



Test Theories of Gravity via BH Shadows and Modeling of Relativistic Jets

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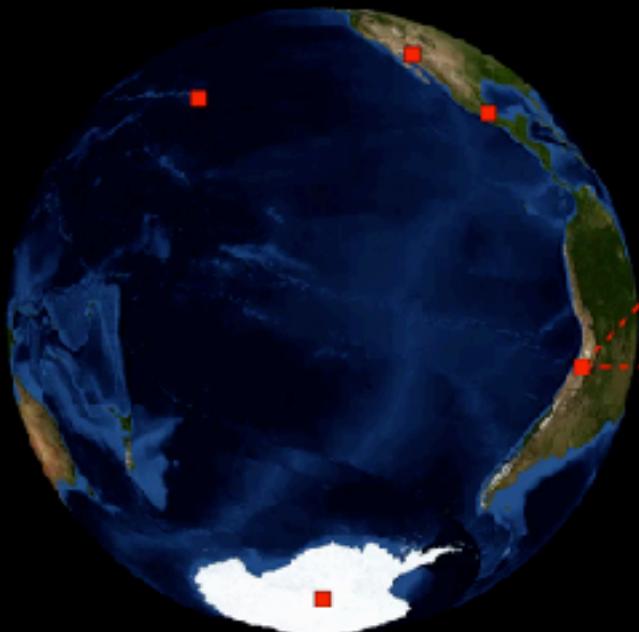
Event Horizon Telescope

International collaboration project of Very Long Baseline Interferometry (VLBI) at mm (sub-mm) wavelength



Event Horizon Telescope

Animation: C. Fromm

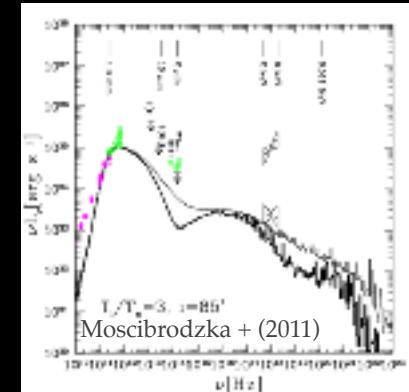


Atacama Large
Millimeter Array (ALMA)



Coordinates: $23^{\circ}01'09''\text{S}$, $67^{\circ}45'12''\text{W}$

Diameter: 12m



Create a virtual radio telescope the size of the earth, using the shortest wavelength

$$\begin{aligned}\lambda &= 1.3 \text{ mm } (\nu = 230 \text{ GHz}) \\ D &\sim 10,000 \text{ km} \\ \Rightarrow \lambda/D &\sim 25 \mu\text{as}\end{aligned}$$

Two main targets: Sgr A* & M87

Predicting the realistic BH shadow image

- Milimetre (submm)-VLBI of EHT will be achieved the event horizon scale observation (BH shadow image) in near future
- Ingredients for realistic theoretical image of **BH shadow**

1. Plasma behaviour surrounding BH

Consider time evolution of accreting matter onto BH and formation of relativistic jets

2. Radiation process

Consider GR effects (geodesic, redshift), thermal/non-thermal radiation process, optical thickness etc.

3. BH spacetime

4. VLBI array configuration and schedule

- Tools: General Relativistic MHD code + General Relativistic Radiation Transfer code + synthetic imaging

Which gravitational theory?

- Future mm/sub-mm VLBI observation of EHT will provide **the first images of the BH shadow** in our galactic centre, Sgr A* & M87.
- If the observations are **sufficiently accurate**, it will provide
 - the evidence for **the existence of an event horizon**
 - Testing **the no-hair theorem** in GR
 - Testing of **GR itself** against a number of **alternative theories of gravity**.
- Reasonable to use a **model-independent framework** which **parametrises the most generic BH geometry** though finite number of adjustable quantities.
- Recently new parametric framework of generic metric is proposed in **spherically symmetric BH** (Rezzolla & Zhidenko 2014) and in **axisymmetric BH** (Konoplya et al. 2016)

Dilaton Black Holes

- For first test, consider **non-rotating Dilaton black hole**.
(coming from Einstein-Maxwell-dilaton-axion (EMDA) gravity which is the low energy limit of the bosonic sector of the heterotic string theory)
- When both the axion field and the BH spin vanish, such a BH is described by **spherically symmetric metric**

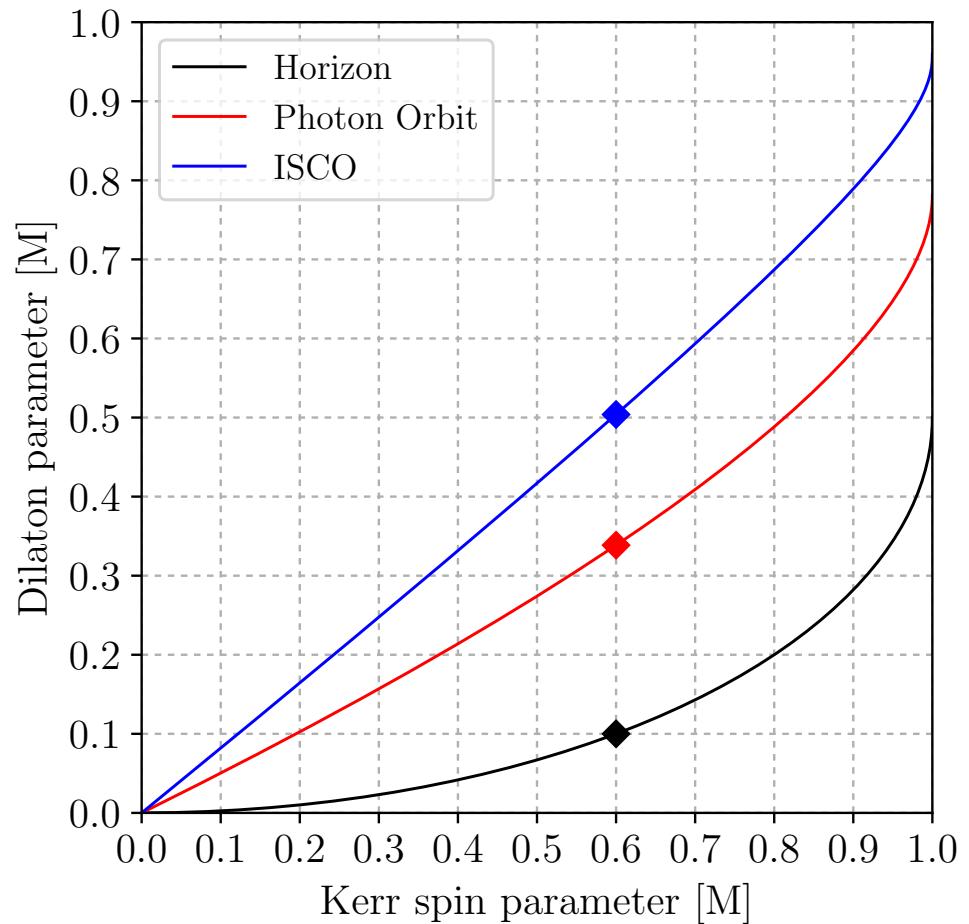
$$ds^2 = - \left(\frac{\rho - 2\mu}{\rho + 2b} \right) dt^2 + \left(\frac{\rho + 2b}{\rho - 2\mu} \right) d\rho^2 + (\rho^2 + 2b\rho)d\Omega^2 \quad (\text{Exact form})$$

$$r^2 = \rho^2 + 2b\rho, \quad M = \mu + b \quad r: \text{radial coordinate}, M: \text{ADM mass}, b: \text{dilaton parameter}$$

- It is clear that if $b=0$, we reproduce **Schwarzschild BH metric**.
- Use **Rezzolla & Zhidenko parameterized metric** to describe non-rotating Dilaton BH metric

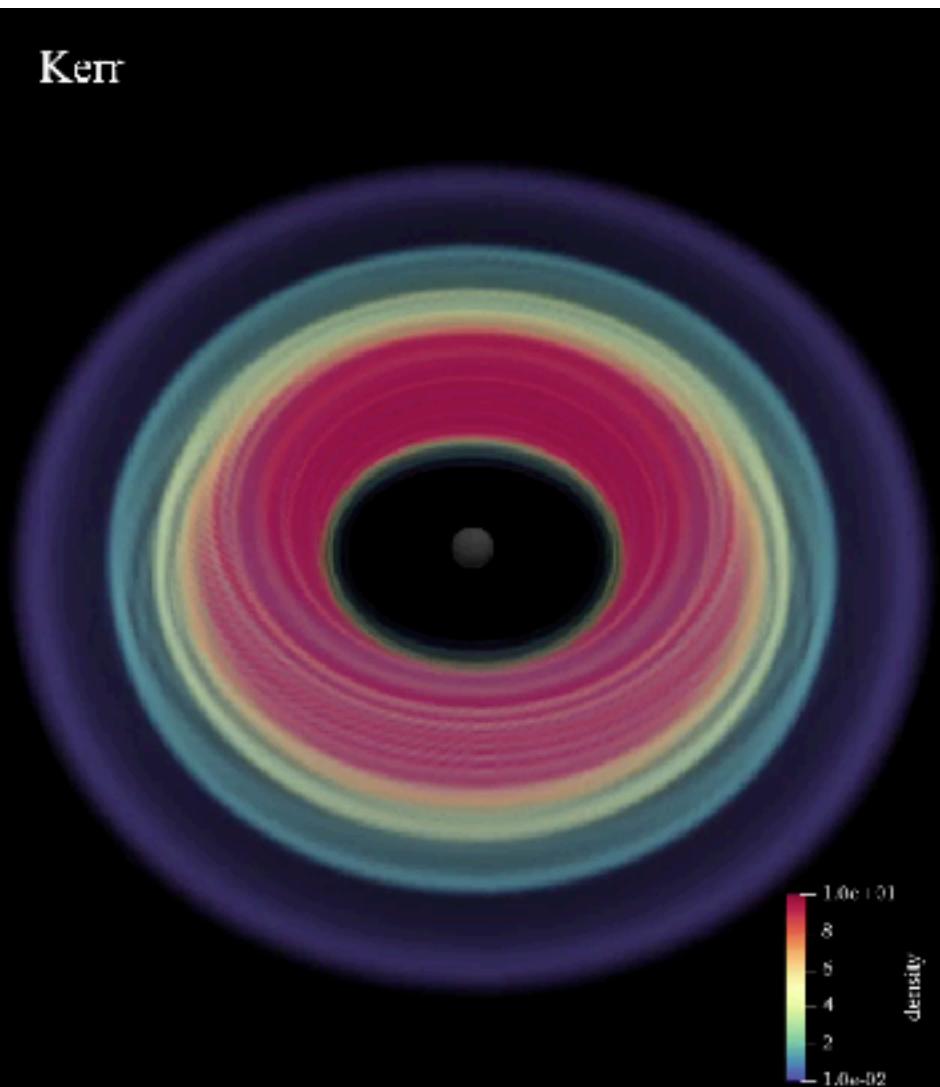
Dilation vs Kerr

- Does Dilation BH mimics Kerr BH?
- Three characteristic radius:
horizon radius, photon orbit, ISCO
- Larger dilation parameter makes
smaller horizon radius, Photon orbit,
& ISCO
- Similar to Kerr spin parameter.
- How affects for plasma behaviour
and radiation signature (BH shadow
image)?

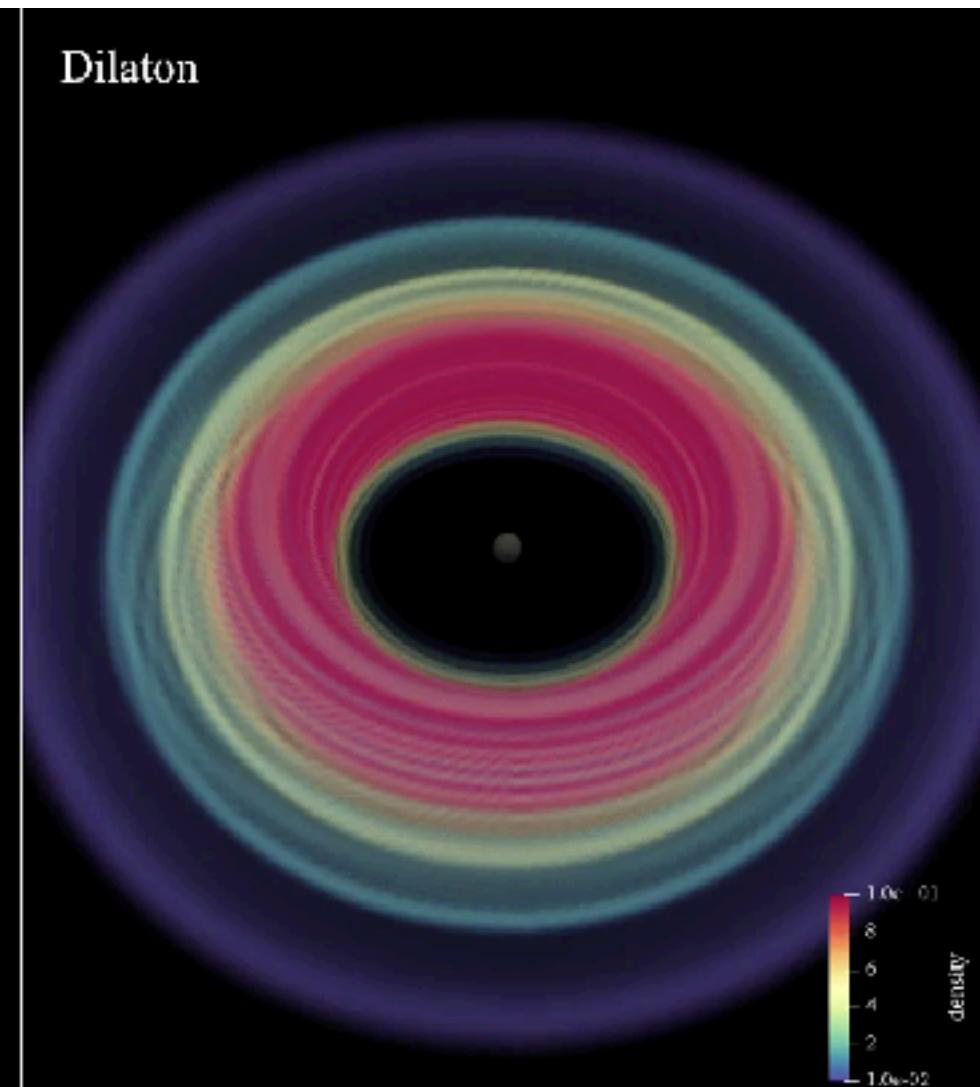


3D GRMHD simulations

Kerr



Dilaton



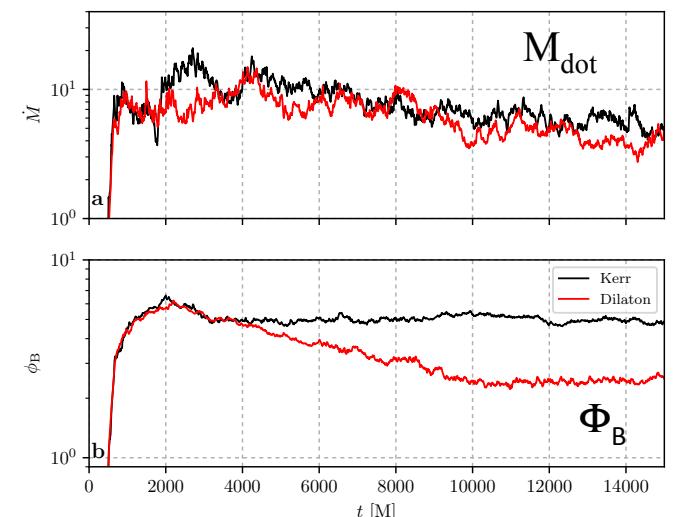
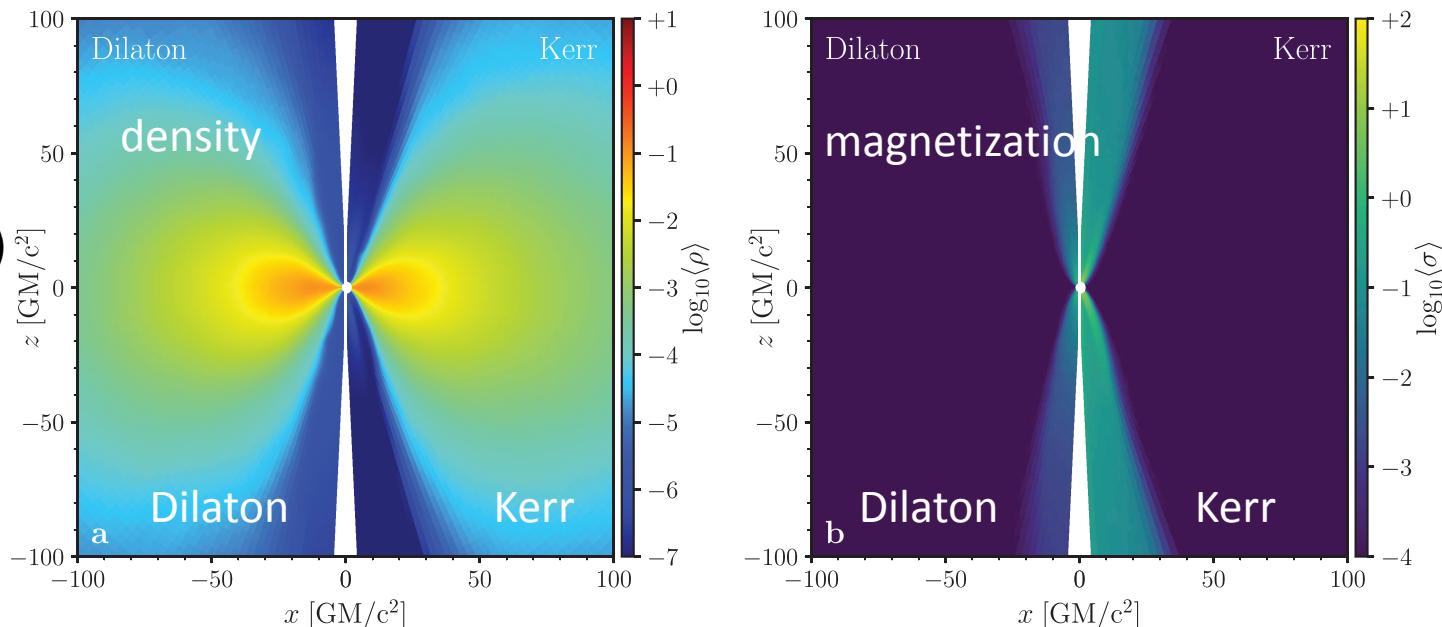
- 3D GRMHD simulations of magnetized torus with a weak poloidal magnetic field loop accreting onto Kerr BH ($a=0.6$) & ISCO-matched dilaton BH ($b=0.5$)

3D GRMHD simulations

- 3D GRMHD simulations of magnetized torus accreting with a weak poloidal magnetic field loop onto **Kerr BH** ($a=0.6$) & **ISCO-matched dilaton BH** ($b=0.5$) by *BHAC*

- Azimuthal & time-averaged density (left) and magnetization (right)

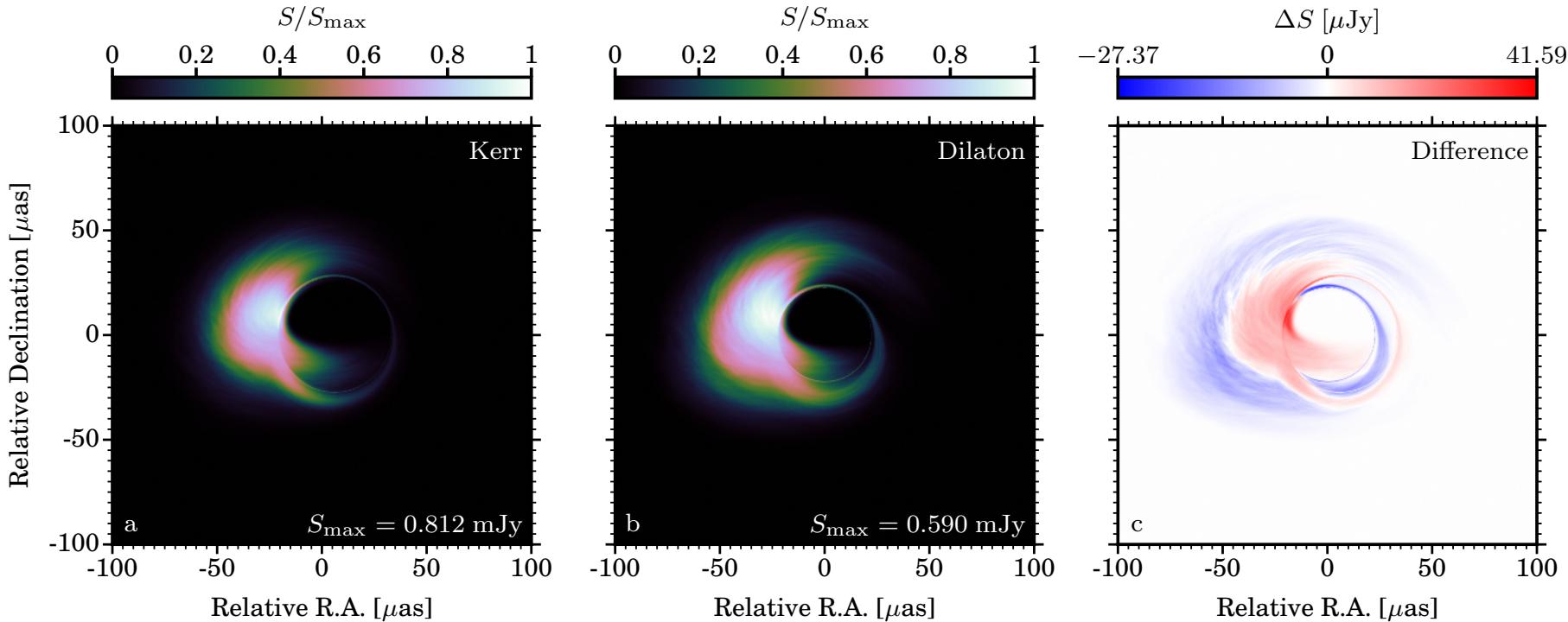
- Time averaged over the interval $t=11000-12000M$ which is reached **quasi-steady state** (turbulence is fully developed)



- Overall plasma behaviour is **very similar** in both cases but high magnetized jet spine region is different (dilaton BH is weaker than Kerr BH).

BH shadow image

Intensity map @ 230GHz, $i=60$ deg, time-averaged ($t=11000-12000M$) by *BHOSS*

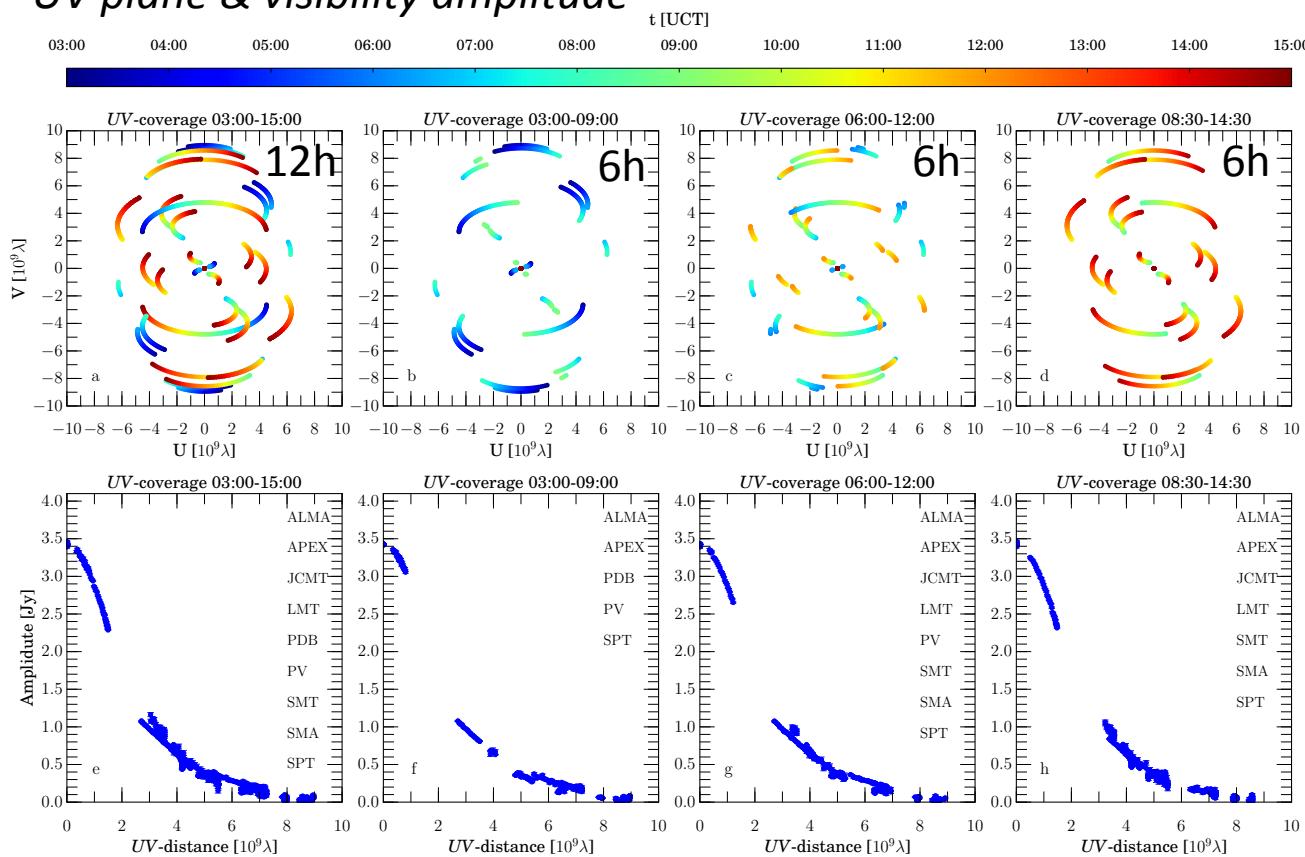


- Emission model (fixed $T_i/T_e = 3$, $\dot{M} \sim 10^{-9} M_\odot \text{ yr}^{-1}$)
- BH shadow image is **quiet similar** ... but we see some difference
- Pixel-by-pixel difference shows **smaller shadow size** by dilaton BH (blue ring), and **offset & asymmetry of shadow** by Kerr BH (red ring)
- But this is “infinite-resolution images”

Synthetic Imaging (VLBI array)

- Consider **realistic properties of VLBI array & stations** adjusting April 2017 EHT observations
- For the synthetic images we use 6h observation time, 420s scan length, 12s integration time, and include interstellar scattering.

UV plane & visibility amplitude



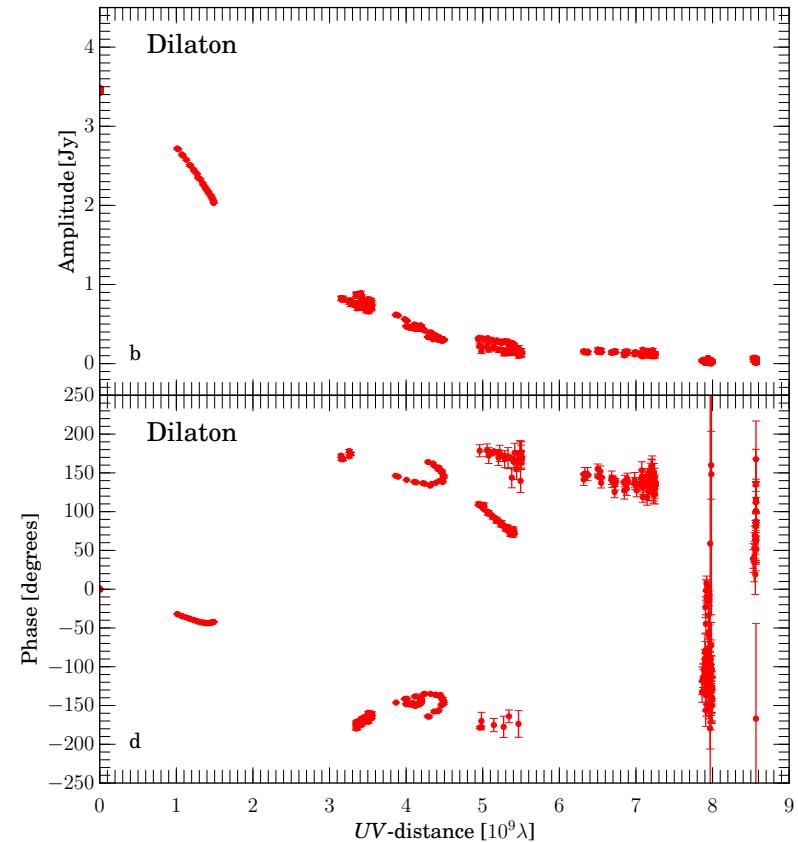
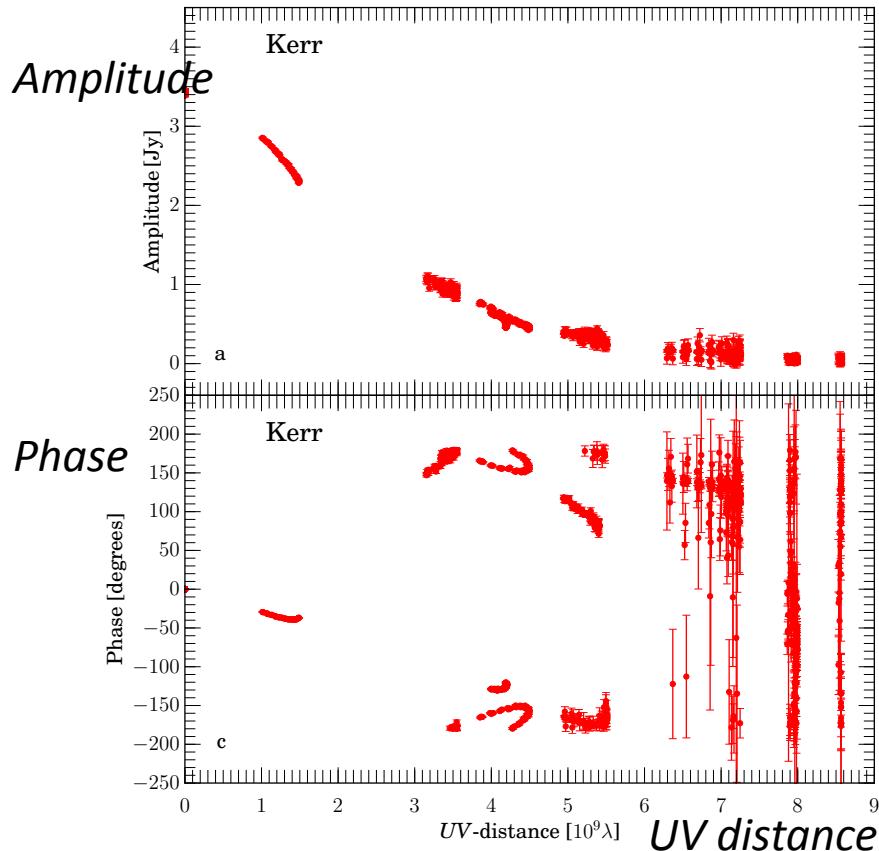
Chosen observation parameter

Parameter	Value
scan length	420 s
integration time	12 s
off-source time	600 s
start time	2017:097:08:30:00 (UT)
end time	2017:097:14:30:00 (UT)
bandwidth	4096 MHz

using *ehtim* python modules

Synthetic imaging (visibility amplitude)

Constrained total flux to 3.4Jy in both cases



Very **similar** visibility amplitude and phase in Kerr and dilaton BHs

Synthetic Imaging (shadow image)

reconstruction: BSMEM with 50% normal beam size

- Convolved GRRT images: already smeared out of sharp emission features
- Reconstructed images: mapped critical features of BH images (e.g., crescent shape)
- interstellar scattering: increases the blurring of these features

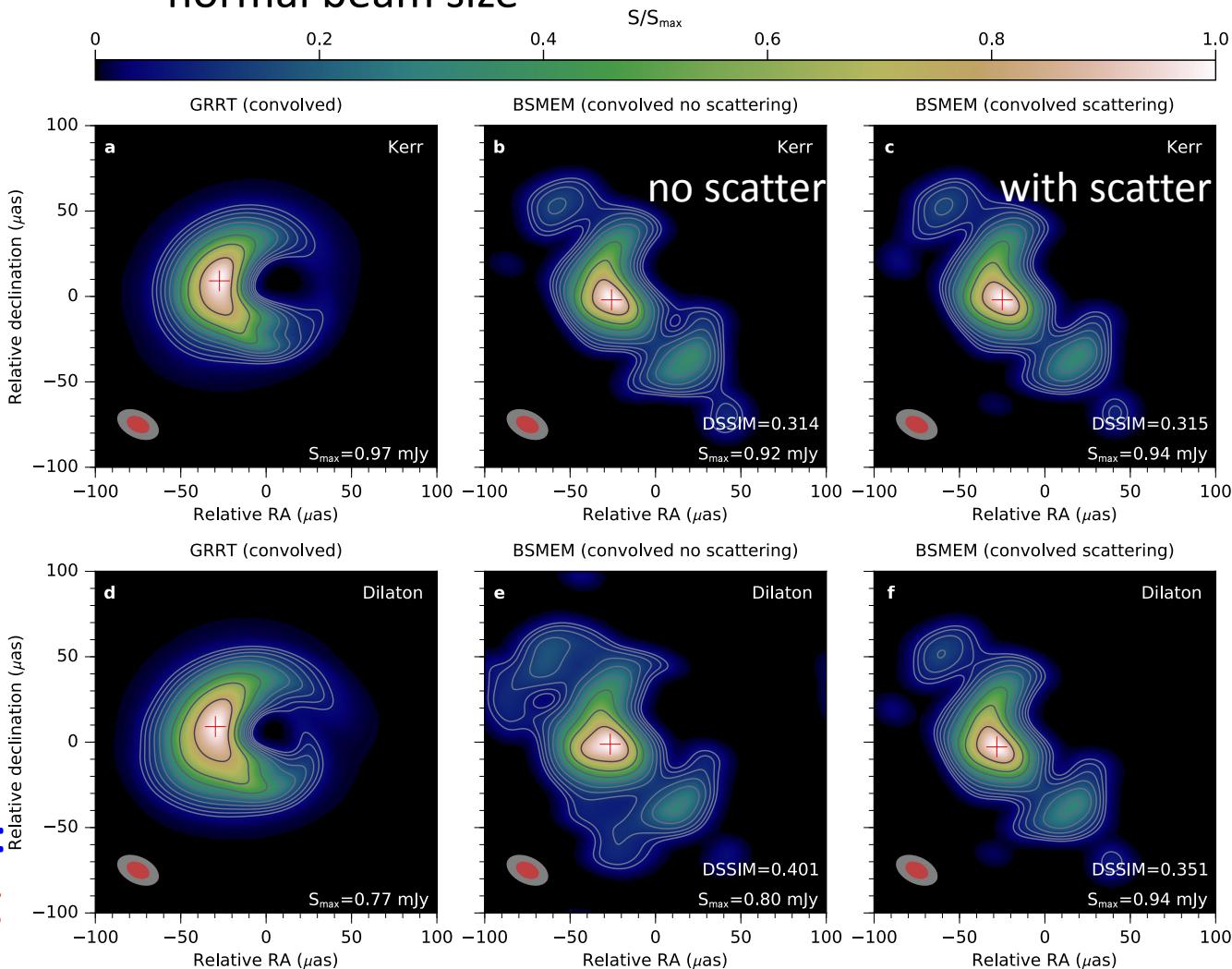


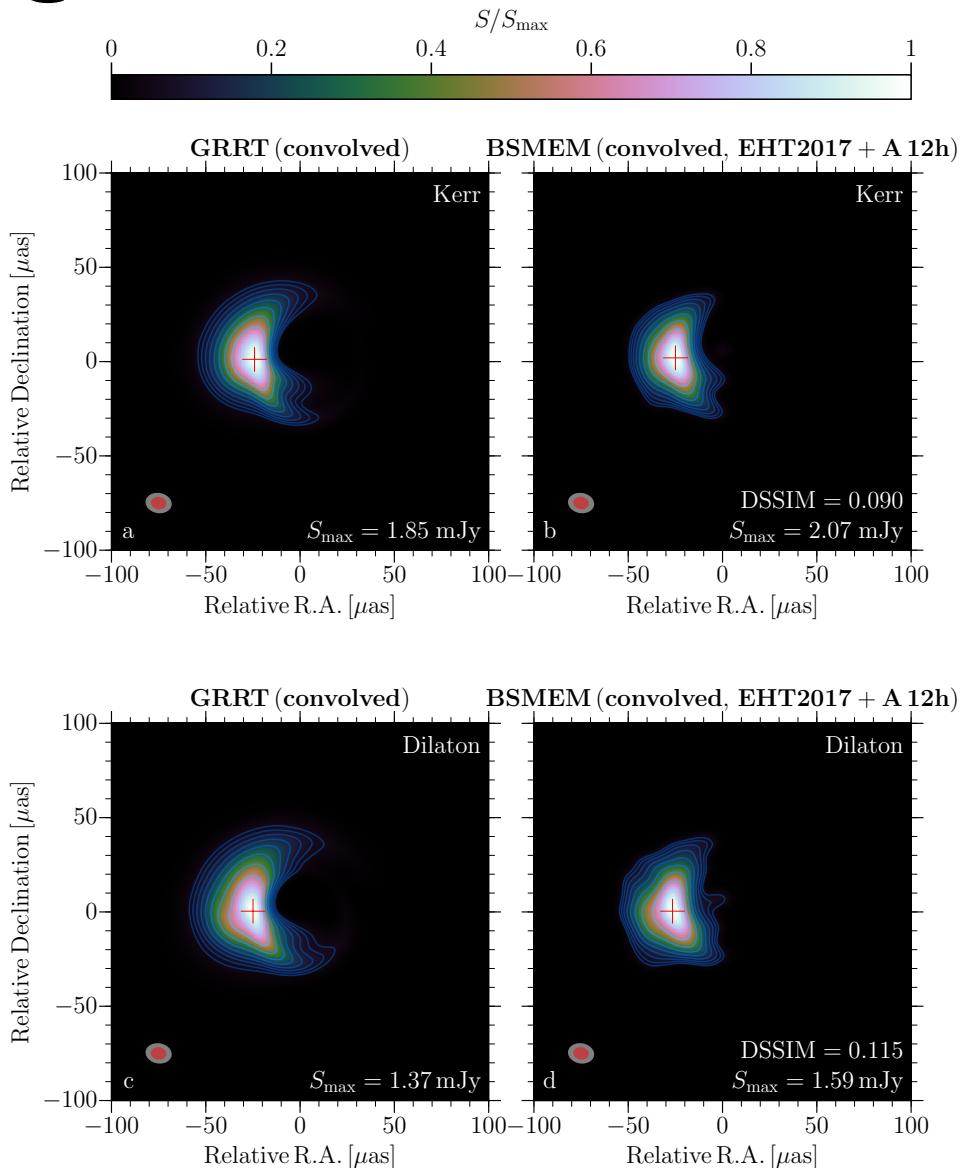
Image-Fidelity assessment

Image 1	Image 2	MSE _{1,2}	DSSIM _{1,2}	
Kerr <i>a</i>	Kerr <i>b</i> [Kerr <i>c</i>]	0.016 [0.016]	0.31 [0.31]	image 1: convolved image 2: reconstructed
Dilaton <i>d</i>	Dilaton <i>e</i> [Dilaton <i>f</i>]	0.016 [0.016]	0.40 [0.35]	
Kerr <i>a</i>	Dilaton <i>e</i> [Dilaton <i>f</i>]	0.018 [0.015]	0.33 [0.30]	
Dilaton <i>d</i>	Kerr <i>b</i> [Kerr <i>c</i>]	0.016 [0.016]	0.37 [0.37]	

- More quantitative comparison, use two image-comparison metrics; **the mean square error (MSE)** and **the structural dissimilarity (DSSIM) index**
- Small values indicate the prominent features of the original convolved images are **well-matched** in the reconstructed images in both BH cases (*first two rows*)
- *But* similar matches are obtained when comparing the convolved image of a Kerr BH with the reconstructed image of a dilaton BH and vice-versa (*3rd & 4th rows*)
- It is presently **difficult** to distinguish between a Kerr BH and a dilaton BH on the basis of BH shadow images alone.

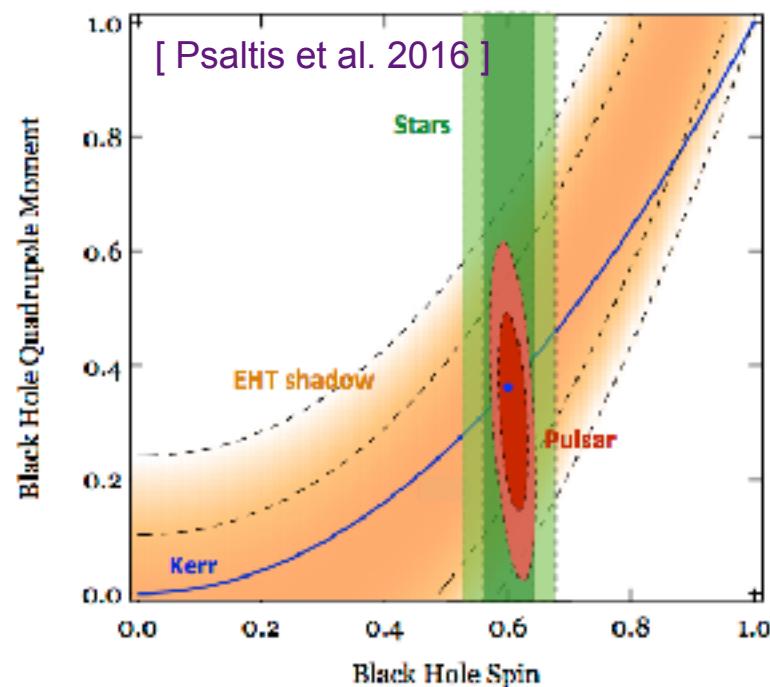
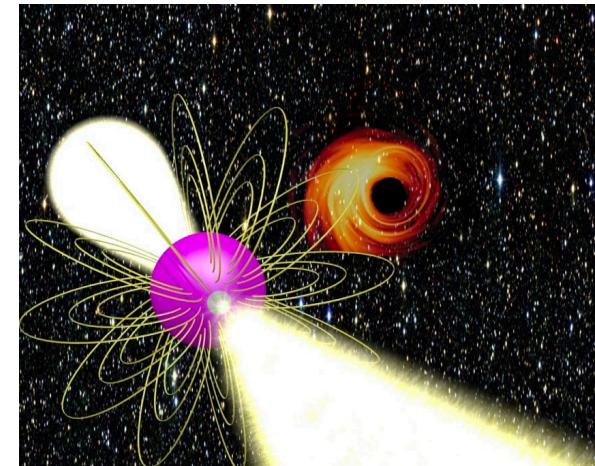
Future development: addition two african telescope @ 340 GHz

- Consider addition of **two african telescopes + 12 hour observation at 340 GHz with 16GHz bandwidth.**
- The reconstructed images **agree very well** with GRRT convolved images and show very detail features.
- Technological developments will **improve the ability** to distinguish BH spacetimes from shadow images alone, motivating further work in this direction.



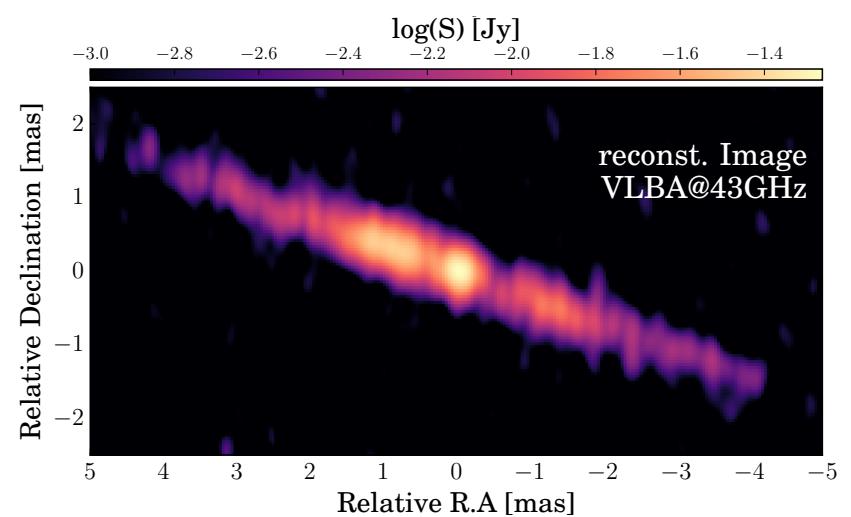
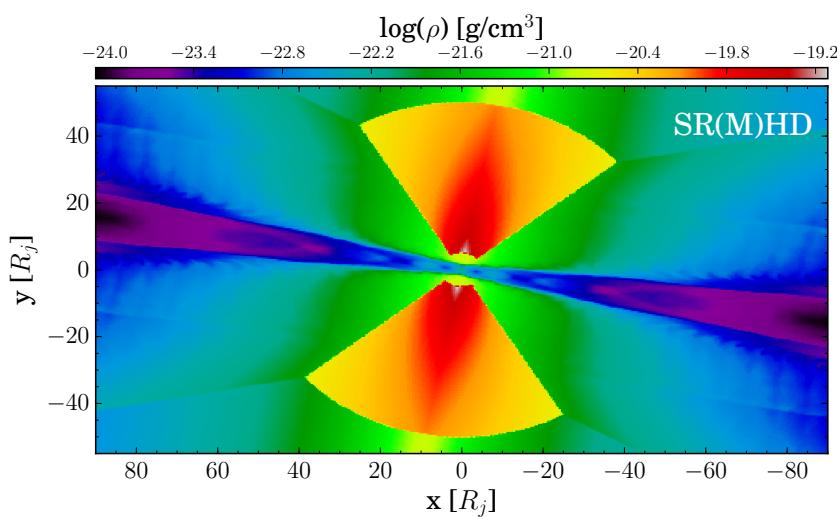
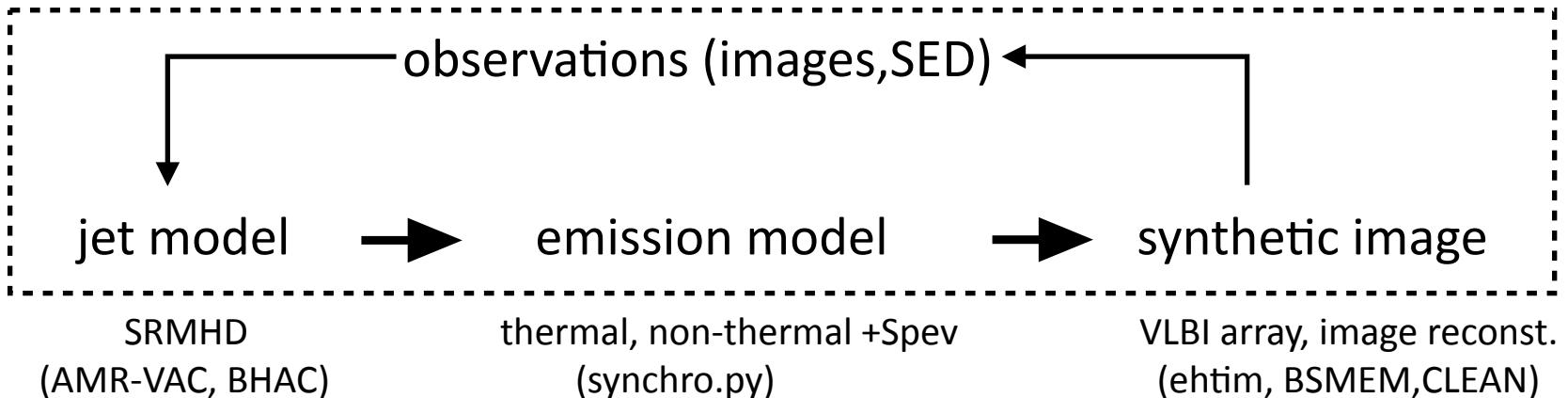
Complementarity to imaging (pulsar timing obs. in the vicinity of Sgr A*)

- Pulsar timing obs. is probing the **far field**,
- BH shadow image is probing the **near field**.
- **Shadow size and shape** depends on BH **mass** and **spin** and inclination angle, a suitable pulsar can provide these parameters with high precision (0.1~ 1%).
- The image itself might not be able to identify deviations from a Kerr **spacetime** due to correlations, a suitable pulsar can help to break such correlations.



Modeling of Relativistic Jets

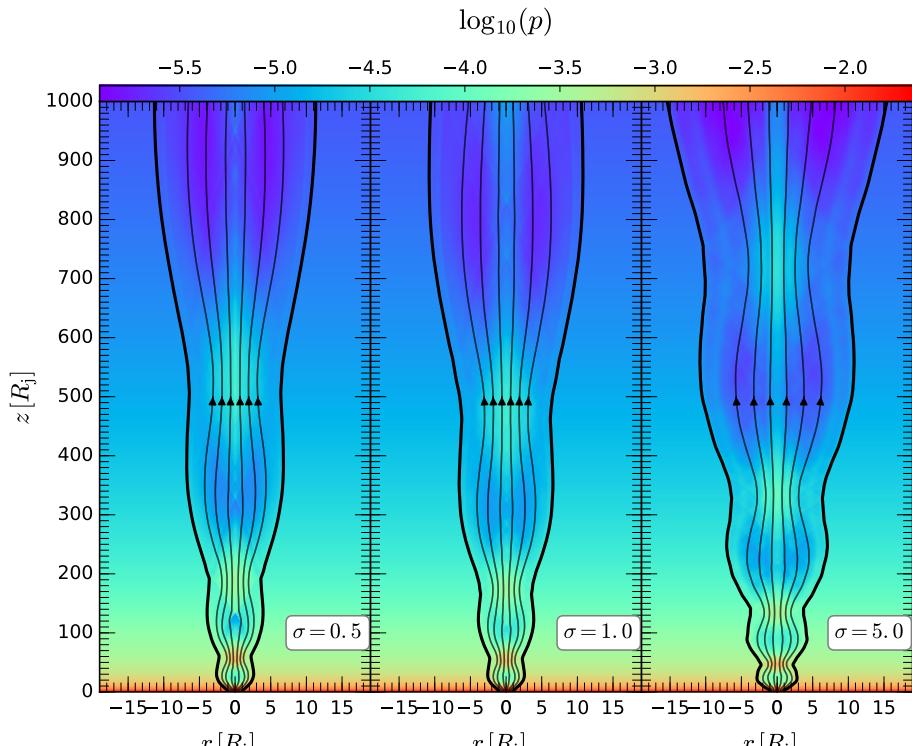
Evolutionary Algorithms (simulation pipeline)



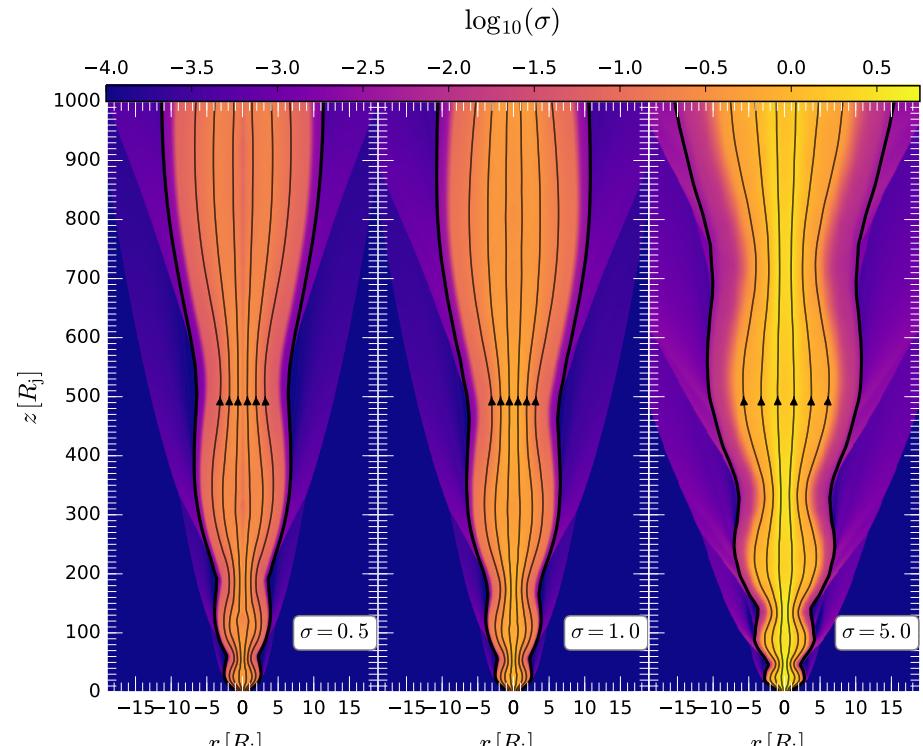
Fromm et. al. (2018)

Jet Model (RMHD simulation)

- Perform 1D RMHD simulations of propagating jets with power-law atmosphere (Porth & Komissarov 2014)
- initial values: $\rho_j = 0.01\rho_a$ $\Gamma = 4$ $\hat{\gamma} = 13/9$ $\kappa = 1.0$
- change magnetisaion $\sigma = b^2/w$



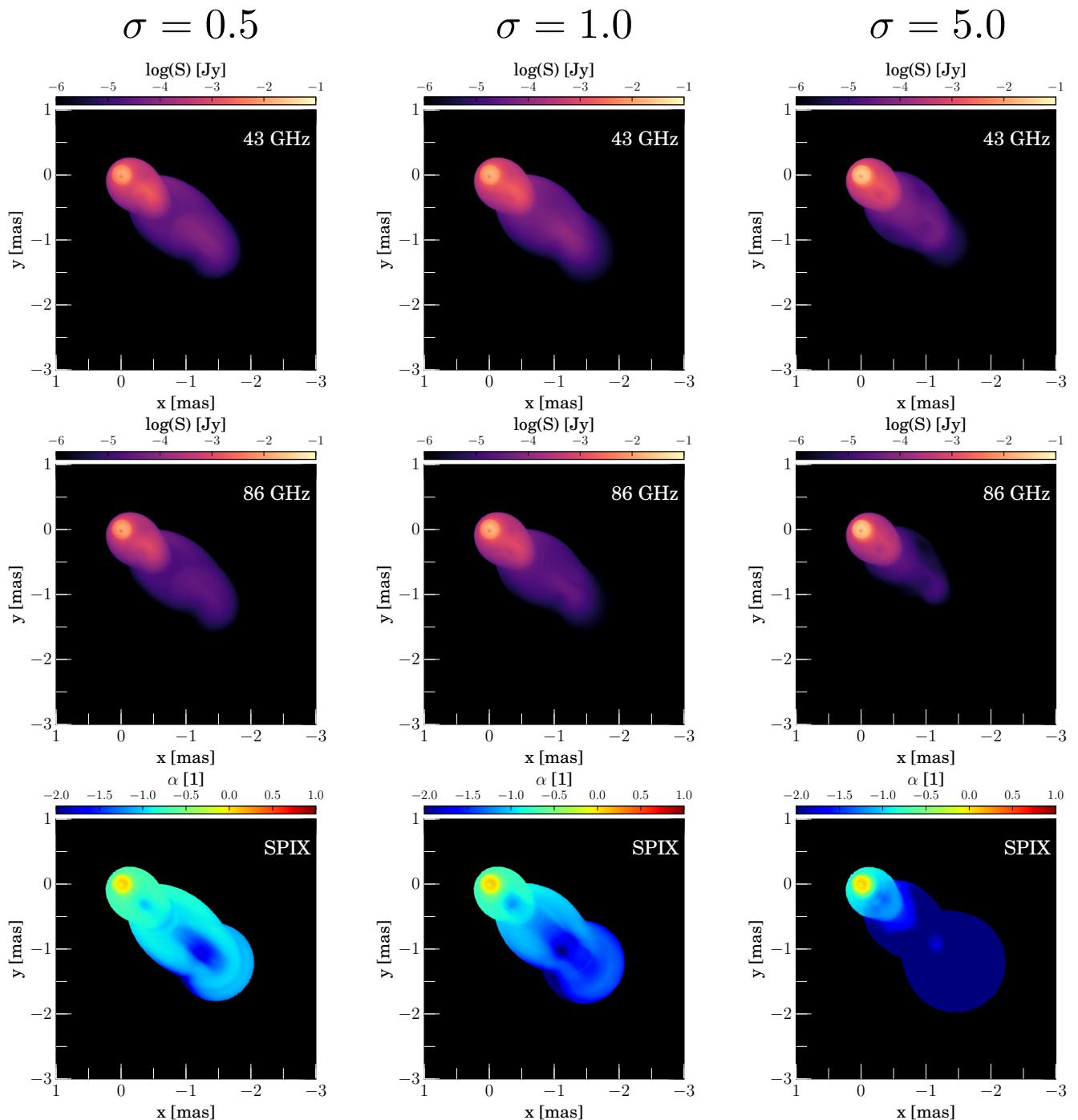
$$\sigma \uparrow \Rightarrow v_a \uparrow \Rightarrow r_{\text{jet}} \downarrow$$



$\sigma \uparrow \Rightarrow$ less recollimation shocks

Synthetic imaging

match 3C279 ($z=0.5$) :
radio spectrum
+15GHz VLBA image



Summary

- It is presently difficult to distinguish between a Kerr BH and a dilaton BH on the basis of BH shadow images alone.
- The results focus on a specific example of a non-GR BH solution (non-rotating dilaton BH) and do not consider the case of extremal black holes and other exotic objects.
- Several future developments can improve our ability to discriminate between GR and alternative theories of gravity using shadow images
 - Advanced image reconstruction algorithms
 - Increases in observational frequency (e.g., 340 GHz) and bandwidth (e.g., 8GHz)
 - Additional VLBI antennas (e.g., in Africa)
 - Source variability and timing measurements
 - Concurrent multifrequency spectroscopic & spectro-polarimetric observations together with horizon-scale VLBI shadow images
- Pulsar timing observations in the vicinity of Sgr A* also have the potential to impose strict constraints on the underlying theory of gravity
- Theoretical jet simulation pipeline would be useful for modelling various relativistic jets.