

LOFAR Magnetism KSP Meeting @ Sant'Antioco
13-17 May 2013

Capability of Wide-band Polarimetry for Probing the Intergalactic Magnetic Field (IGMF)

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Our Goal

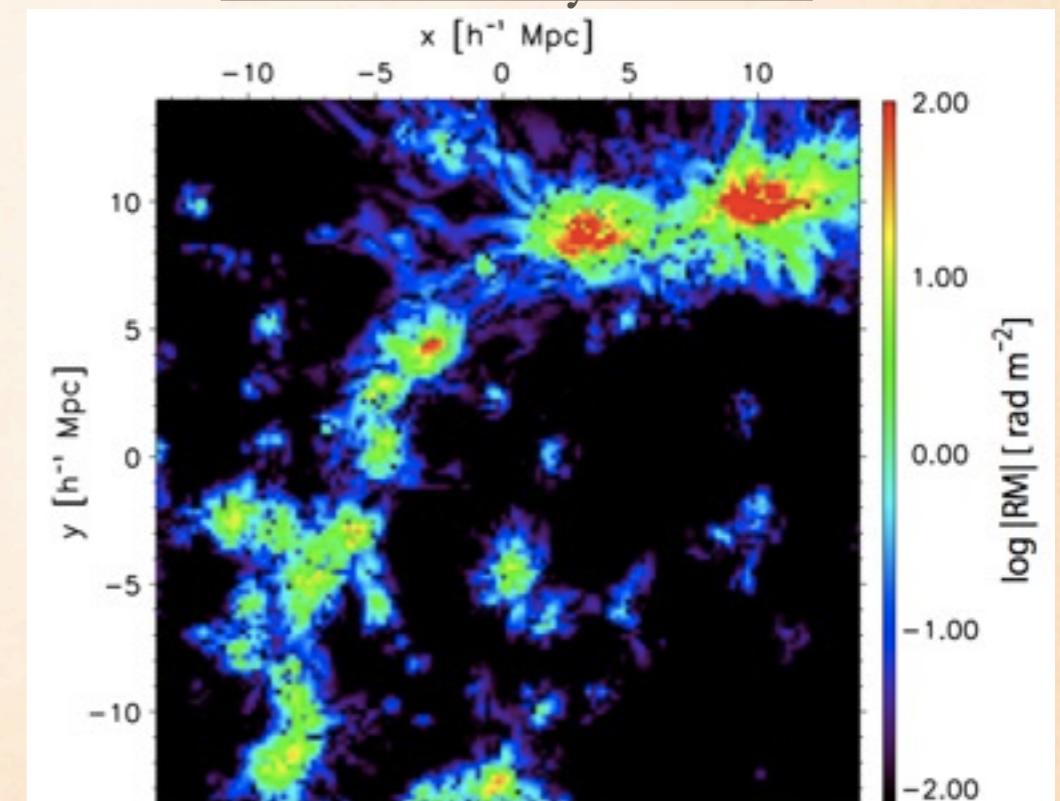
Find **IGMF in filaments of galaxies** by radio telescopes

- ▶ have never been observed
- ▶ affect to many cosmic phenomena
 - CMB fluctuation, propagation of UHECR, etc...
- ▶ may have information of early universe
 - based on ideas : the current cosmic magnetisms originate from primordial MF
- ▶ $\sim 10\text{-}100\text{nG}$, a few rad/m² in RM (Akahori & Ryu 2010)

In this study:

We forecast the capability for proving the IGMF in filaments
assuming
“LOFAR, ASKAP & GMRT”
observation

Akahori & Ryu (2010)



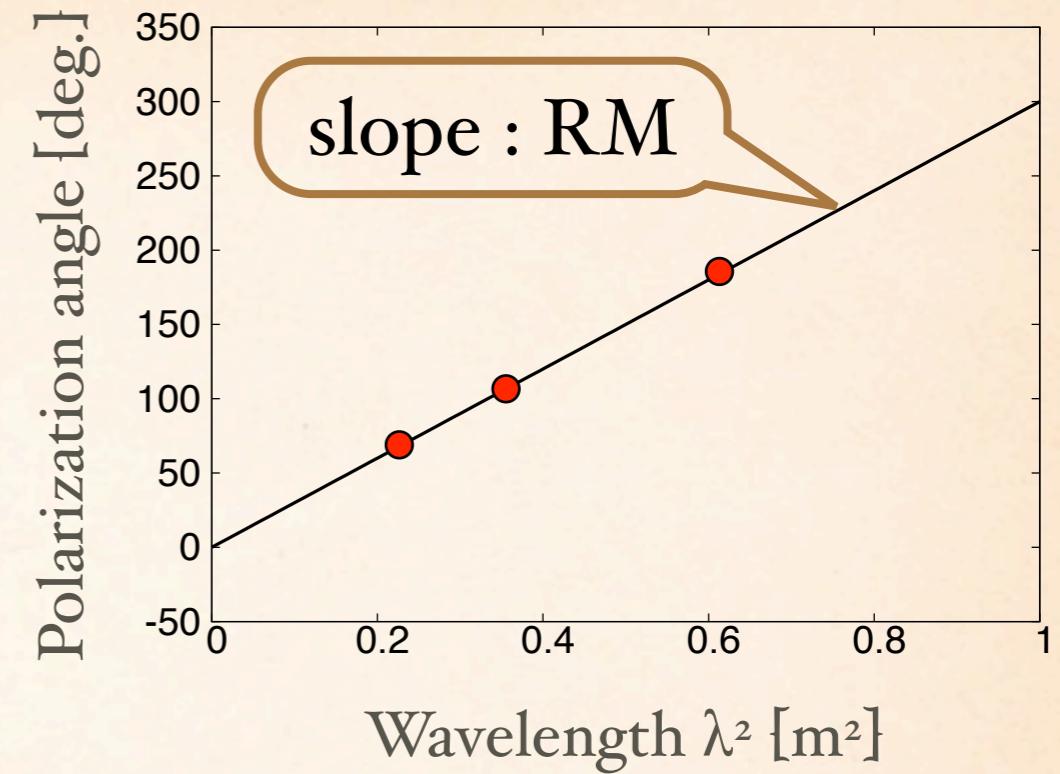
Observation

Faraday Rotation

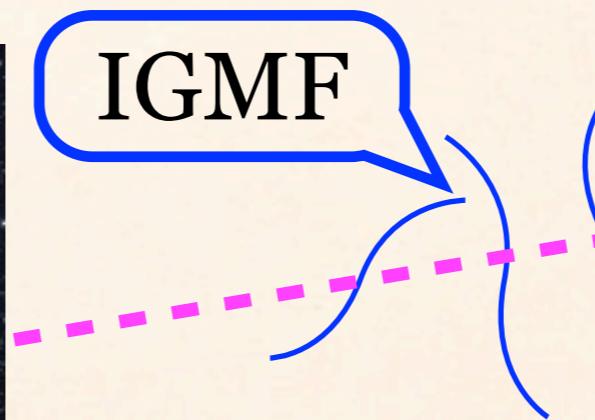
$$\chi = (RM)\lambda^2 + \chi_0$$

$$RM \simeq 0.81 \frac{\text{rad}}{m^2} \int_0^{l_s} \left(\frac{n_e}{\text{cm}^{-3}} \right) \left(\frac{B_{\parallel}}{\mu\text{G}} \right) \left(\frac{dl}{\text{Mpc}} \right)$$

Integration along a LOS



Situation needed for observing IGMF



source

Need to distinguish the Galaxy component, IGMF & source

Faraday Dispersion Function (FDF)

Distribution of MF & radio source along a LOS

$$\underline{P(\lambda^2)} = Q + iU = \int_{-\infty}^{\infty} \underline{F(\phi)} e^{2i\phi\lambda^2} d\phi$$

Observed polarized intensity

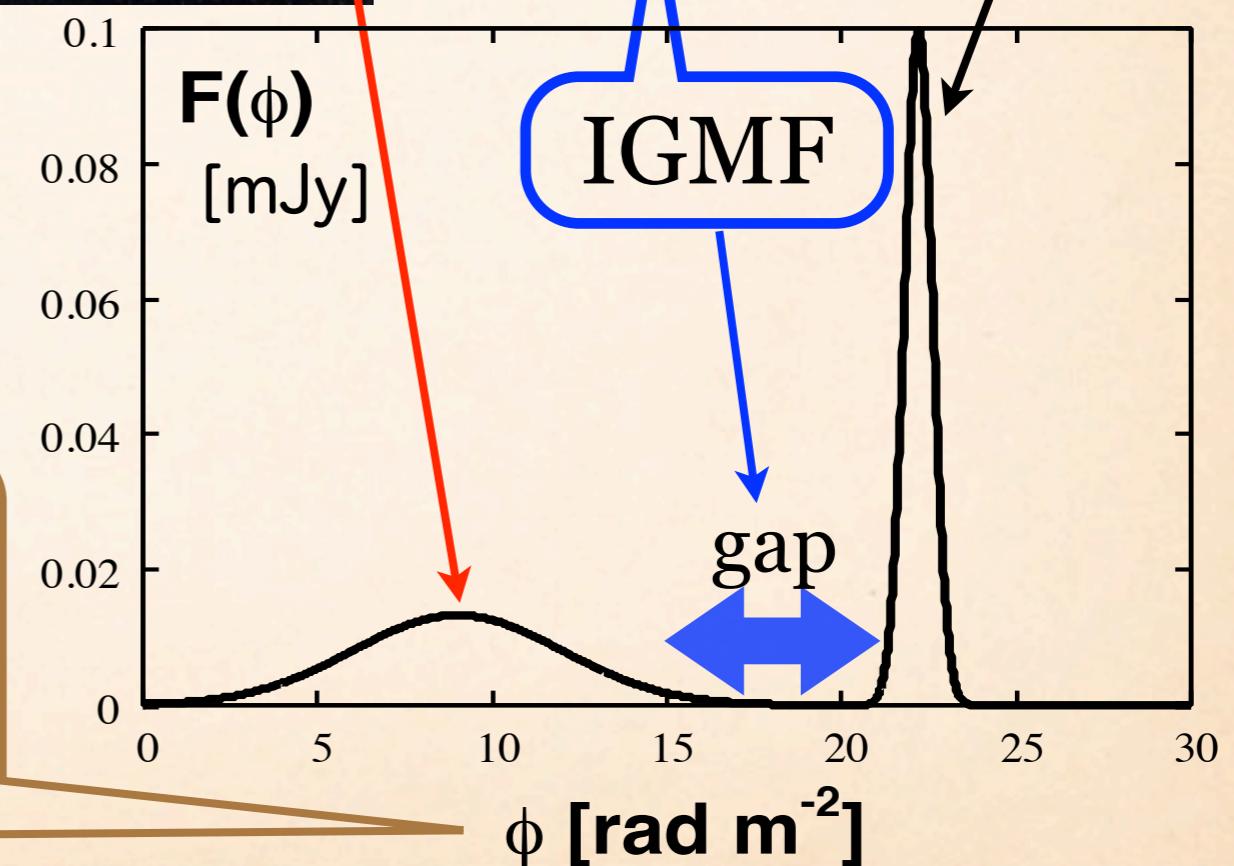
Intrinsic polarized intensity

**Relation between
“observed PI”
&
“FDF”**



Faraday depth
(-distance measured by MF)

$$\phi(r) = 0.81 \int_{\text{there}}^{\text{here}} n_e B \cdot dr \text{ rad m}^{-2}$$



QU-fitting

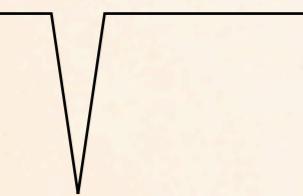
parameters per each source

ϕ : faraday depth of source

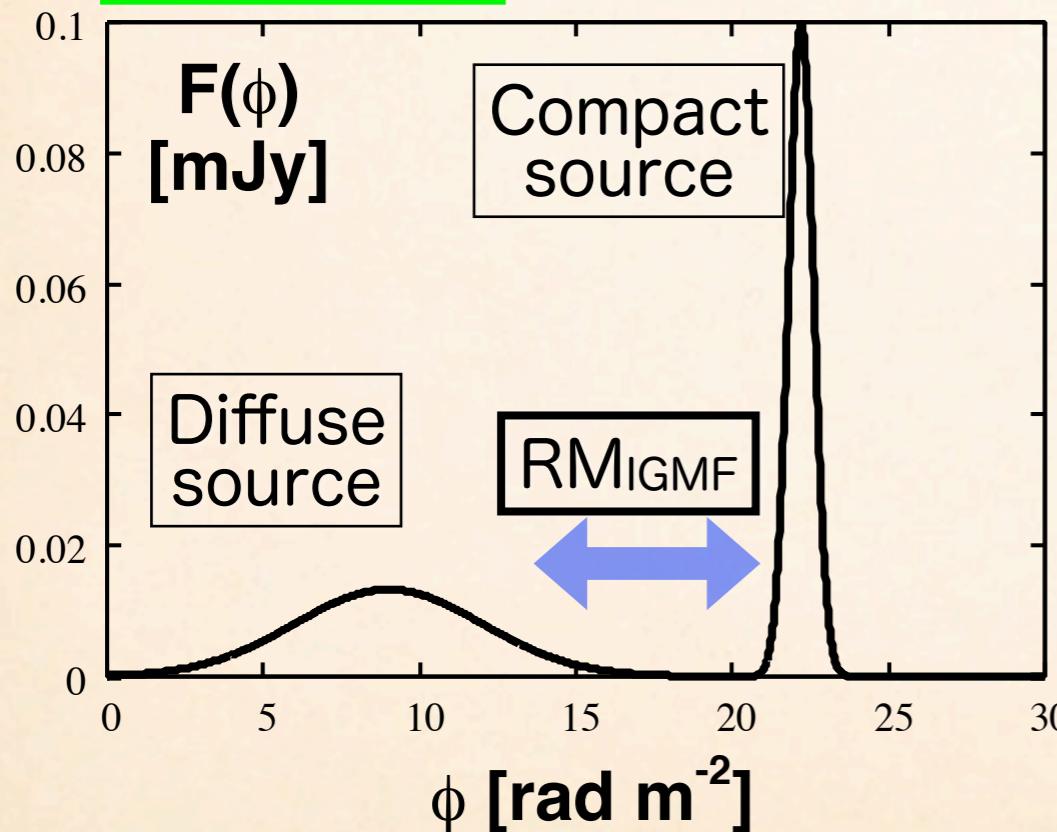
$\delta\phi$: width of source

f : peak intensity of source

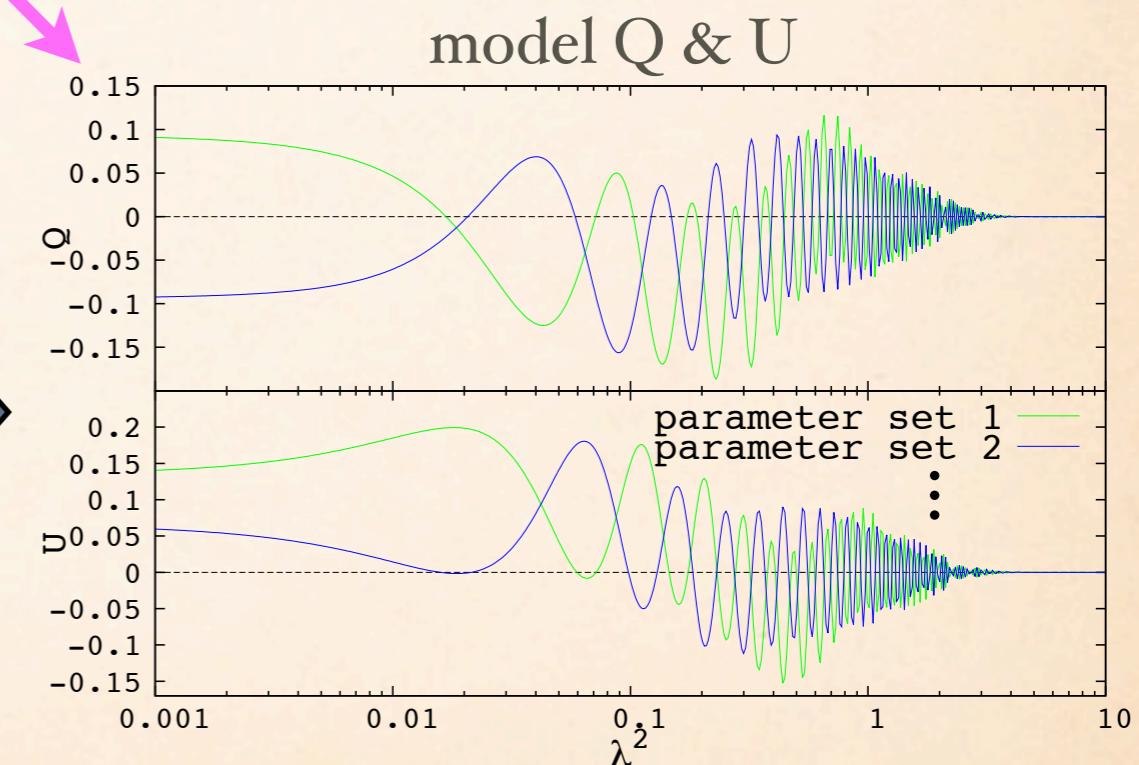
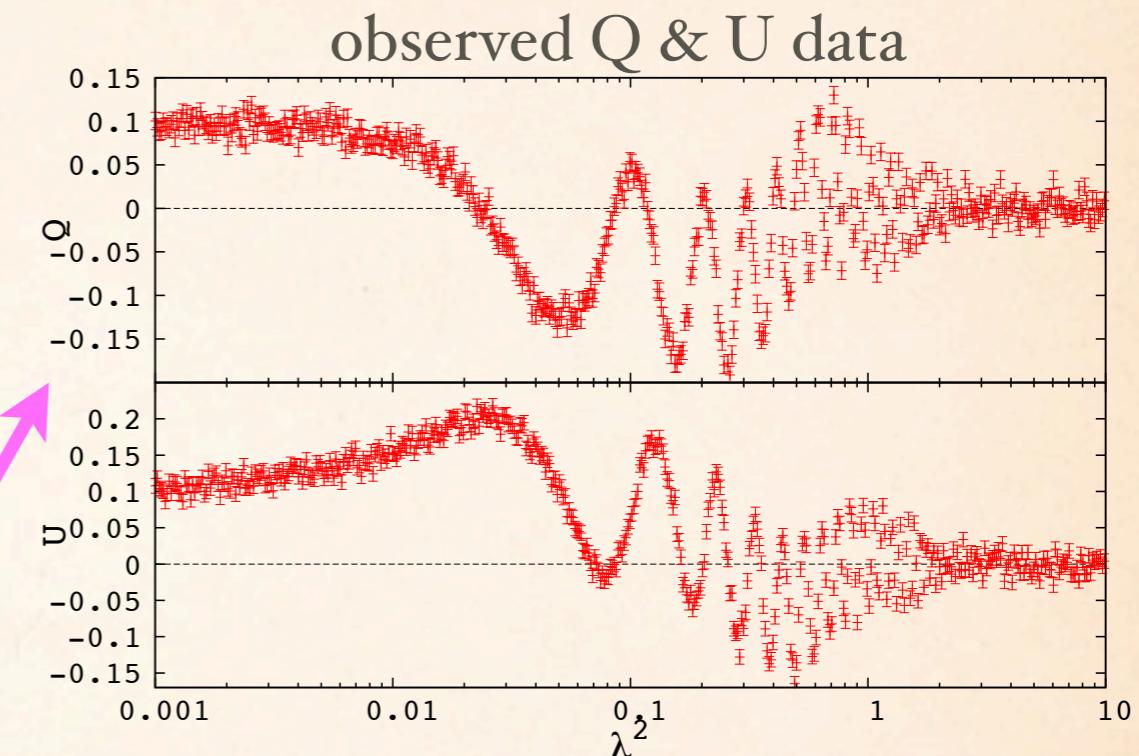
θ : intrinsic polarization angle



Model FDF



QU-fitting



QU-fitting

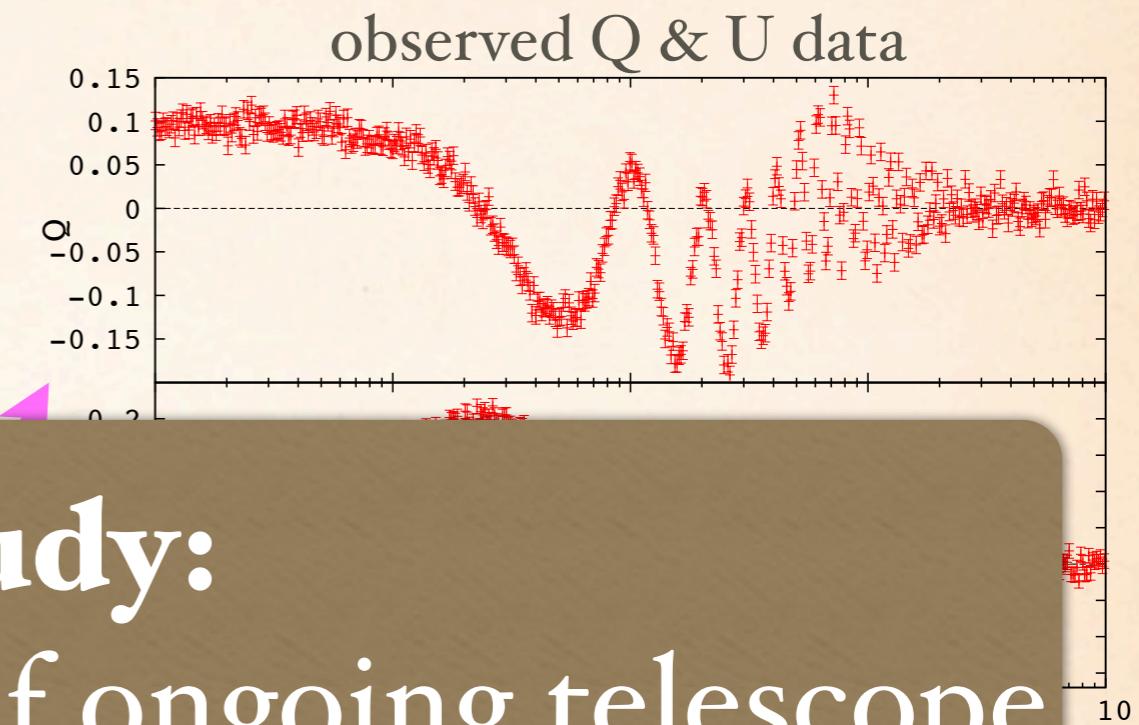
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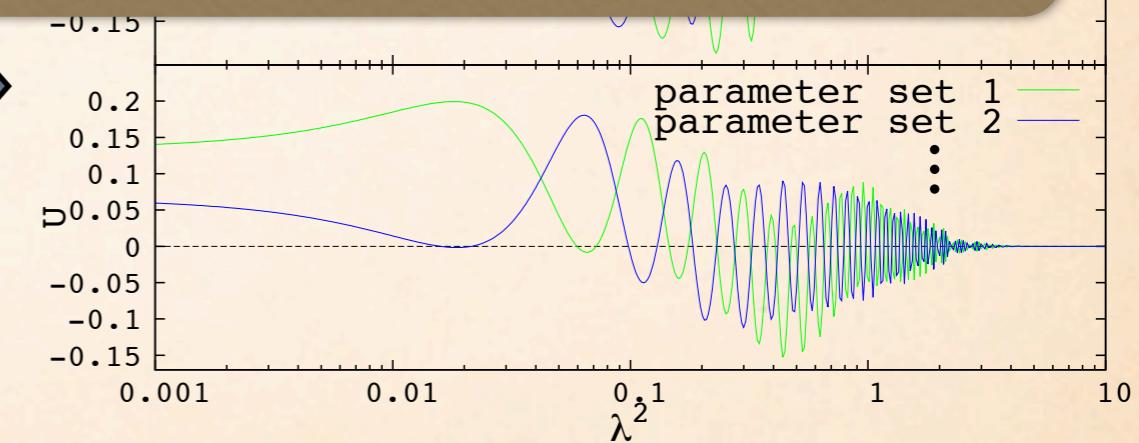
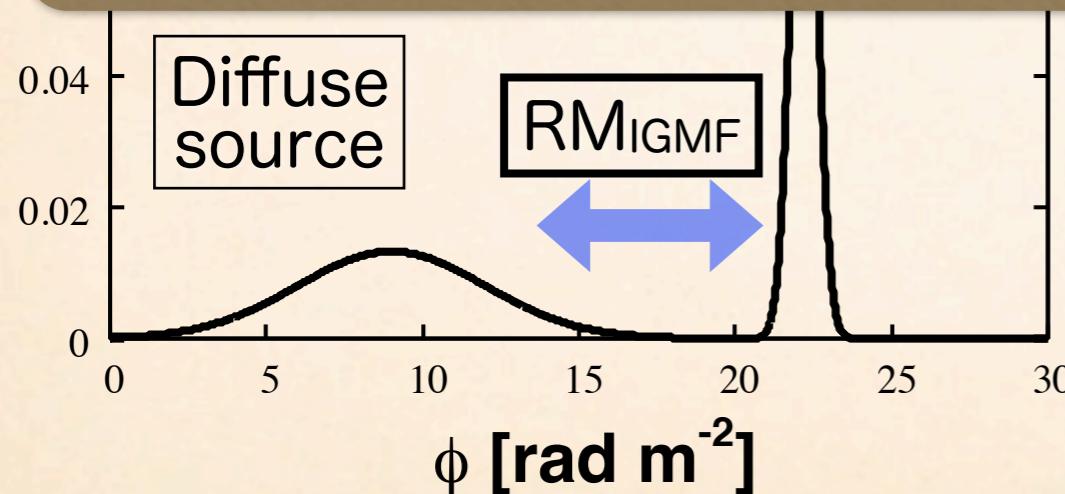
$\delta\phi$: width of source

f : peak intensity of source

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This Study:
Forecast the capability of ongoing telescope
for proving the IGMF by QU-fitting
through Fisher analysis



Fisher Analysis

Fisher Matrix

$$\mathcal{F}_{jk} = \frac{1}{2} \frac{\partial^2 \chi^2}{\partial p_j \partial p_k}$$

$\sim C$ (Curvature)

Observed data
Model

$$\chi^2 = \sum_{l=1}^N \frac{[Y_l(p) - Z_l]^2}{\sigma_l^2}$$

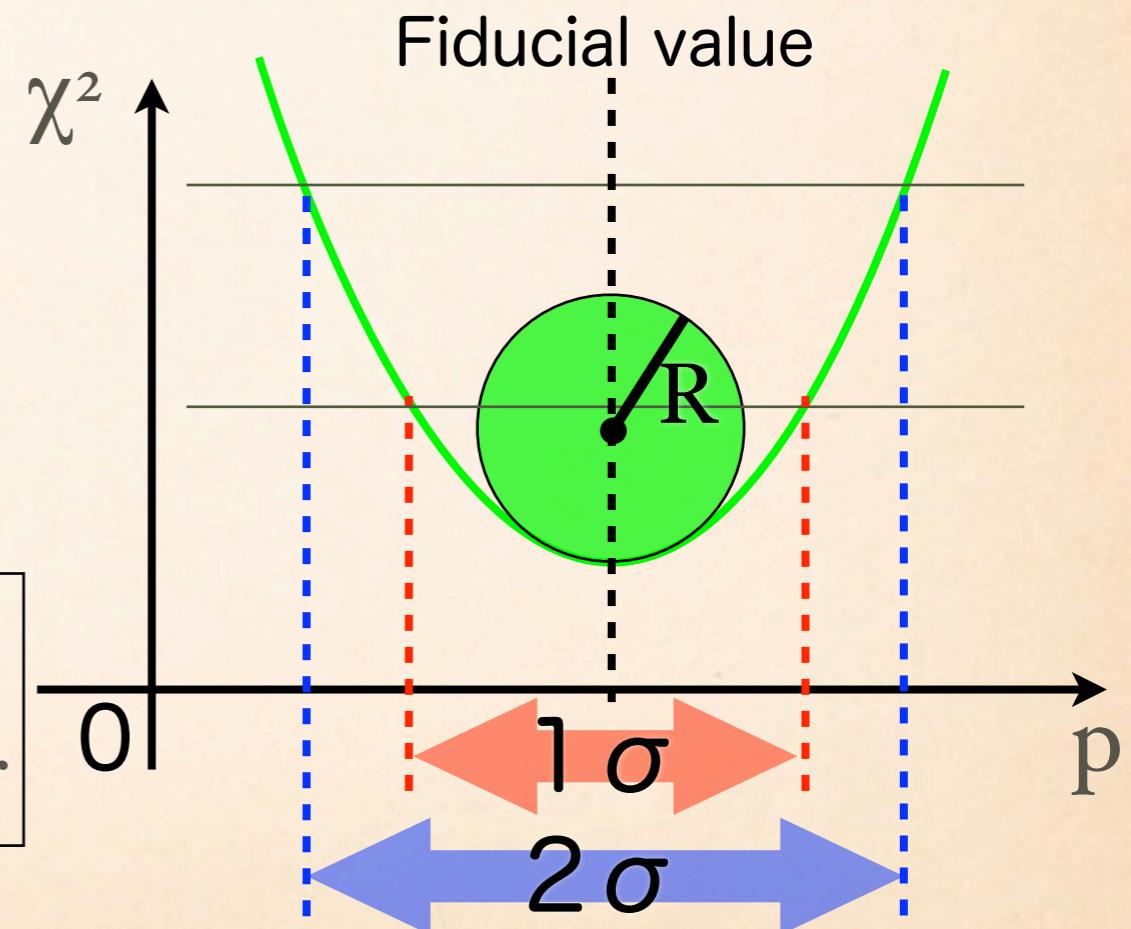
Curvature at the fiducial value in parameter space

Covariance Matrix

$$\sigma_{jk} = (\mathcal{F}^{-1})_{jk}^{1/2}$$

$\sim (1/C)^{1/2} = R$ (Curvature Radius)

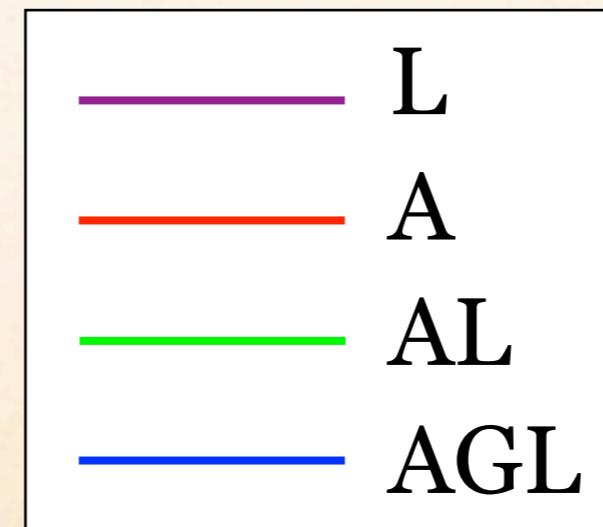
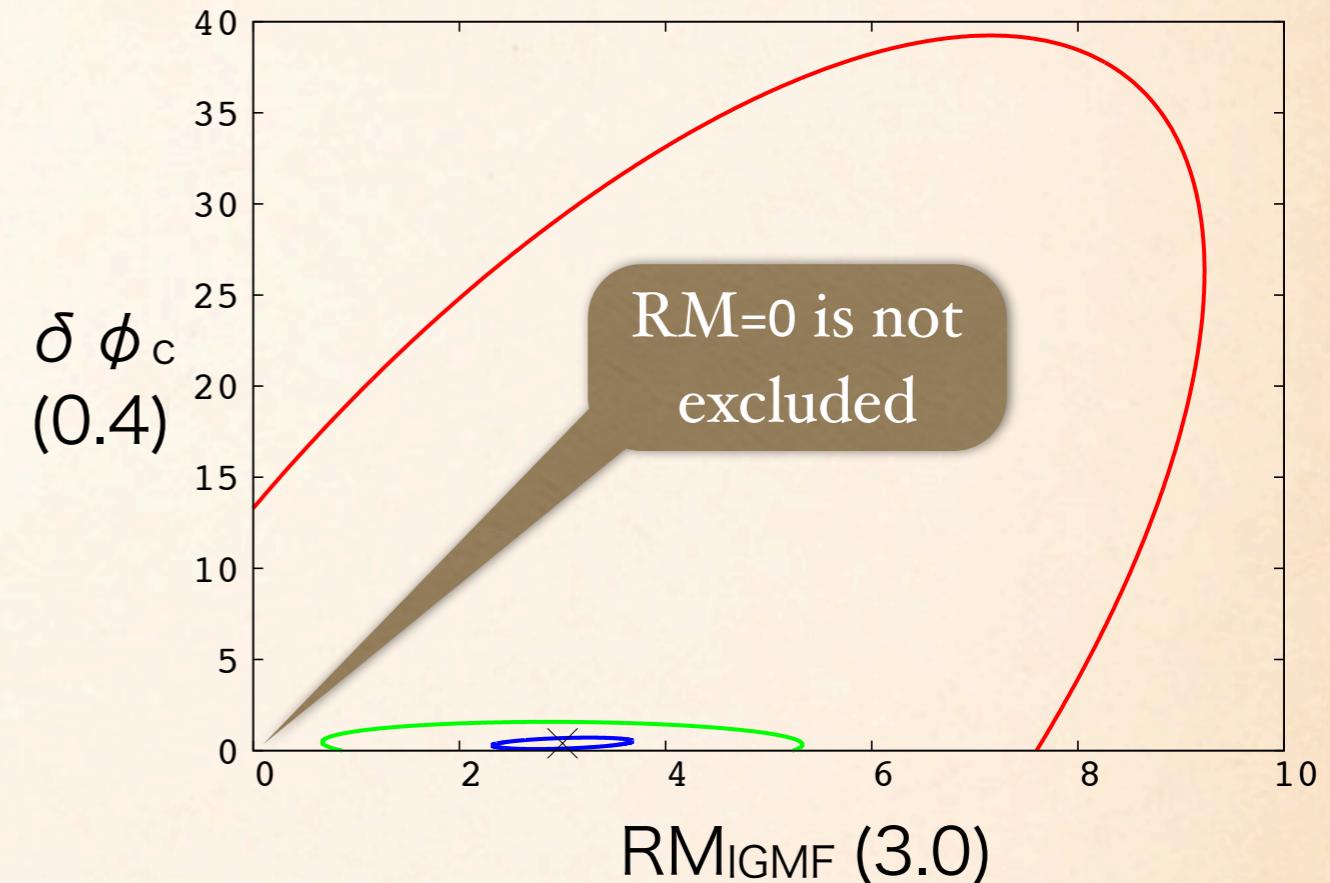
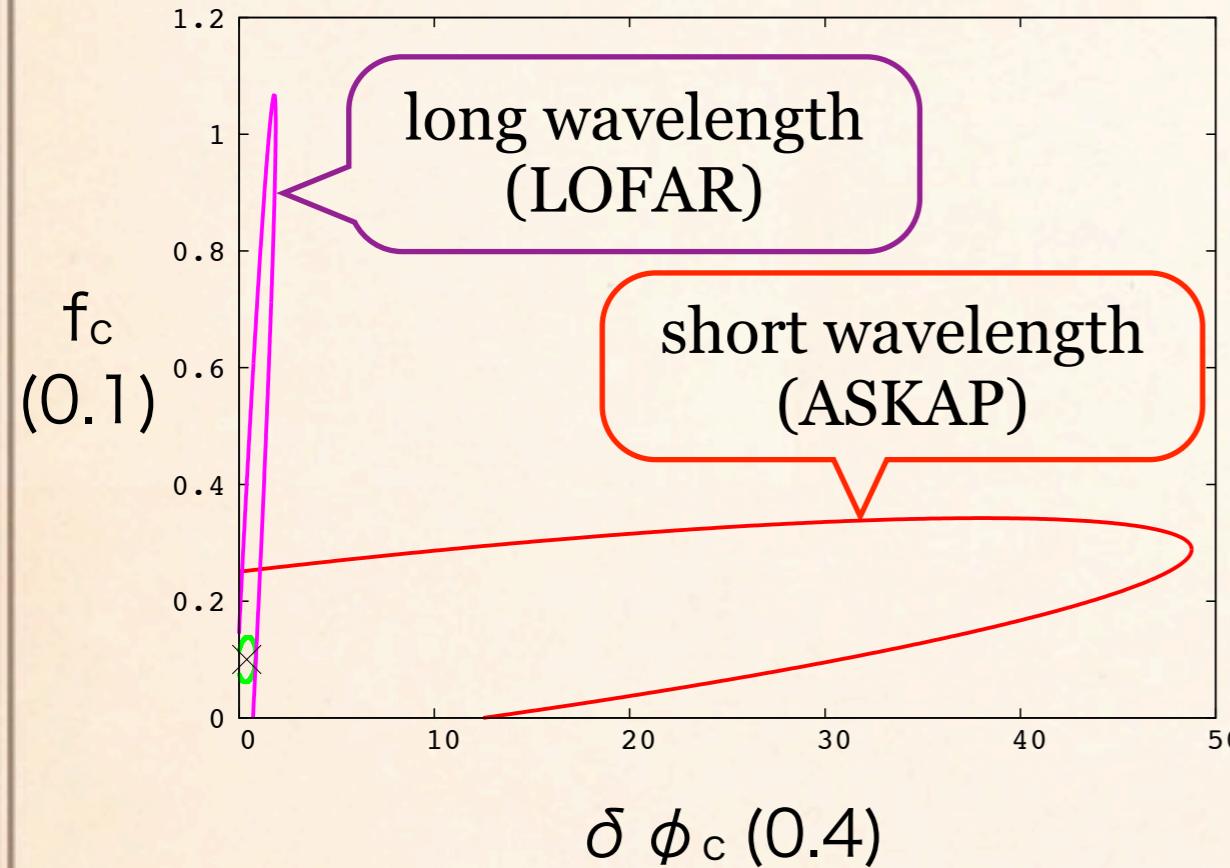
diagonal : $1-\sigma$ error of parameter
non-diagonal : correlation of error



Results I

$1-\sigma$ confidence region

$\text{RM}_{\text{IGMF}} = 3.0 \text{ rad/m}^2$
 $f = 0.1 \text{ mJy}$



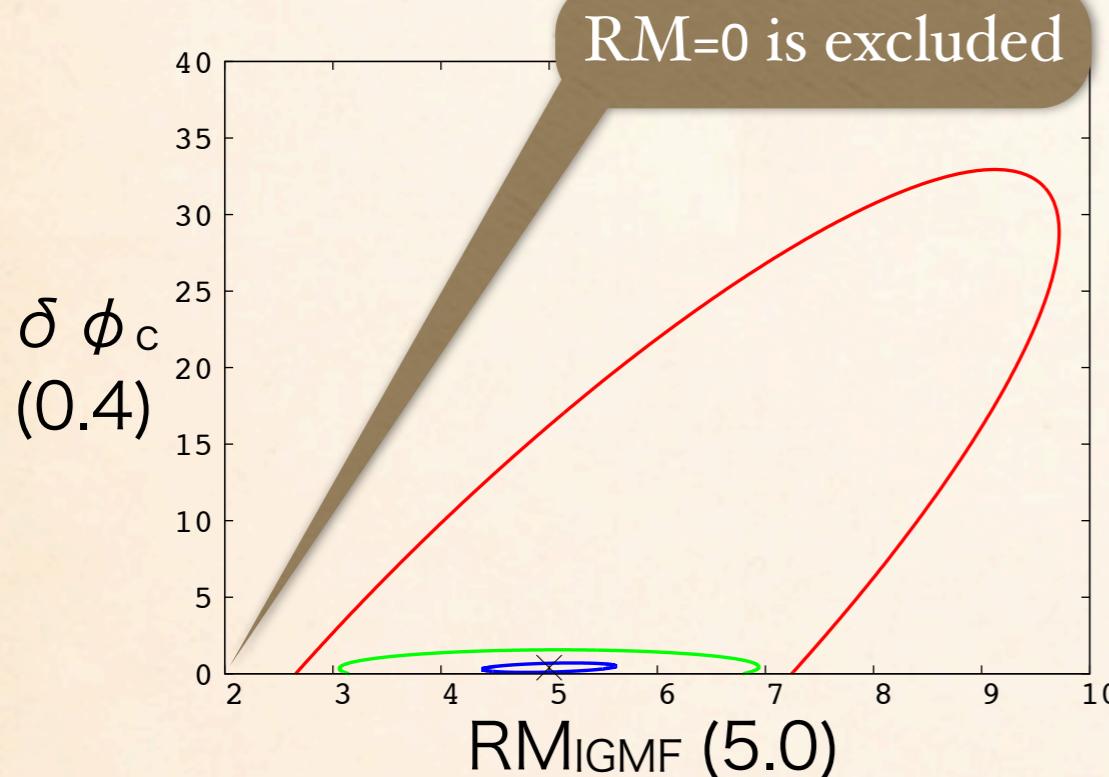
(A : ASKAP, G : GMRT, L : LOFAR)

Results II

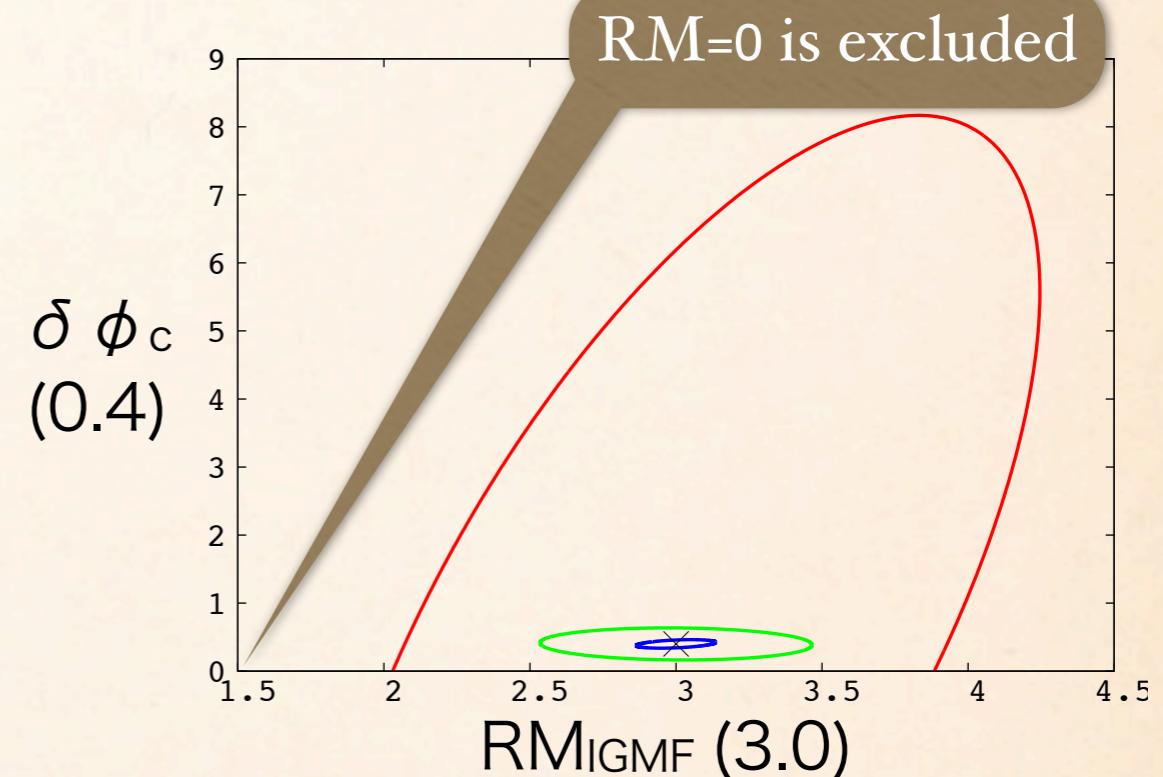
$1-\sigma$ confidence region

$\text{RM}_{\text{IGMF}} = 3.0 \text{ rad/m}^2$
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$\text{RM}_{\text{IGMF}} = 5.0 \text{ rad/m}^2$
 $f = 0.1 \text{ mJy}$



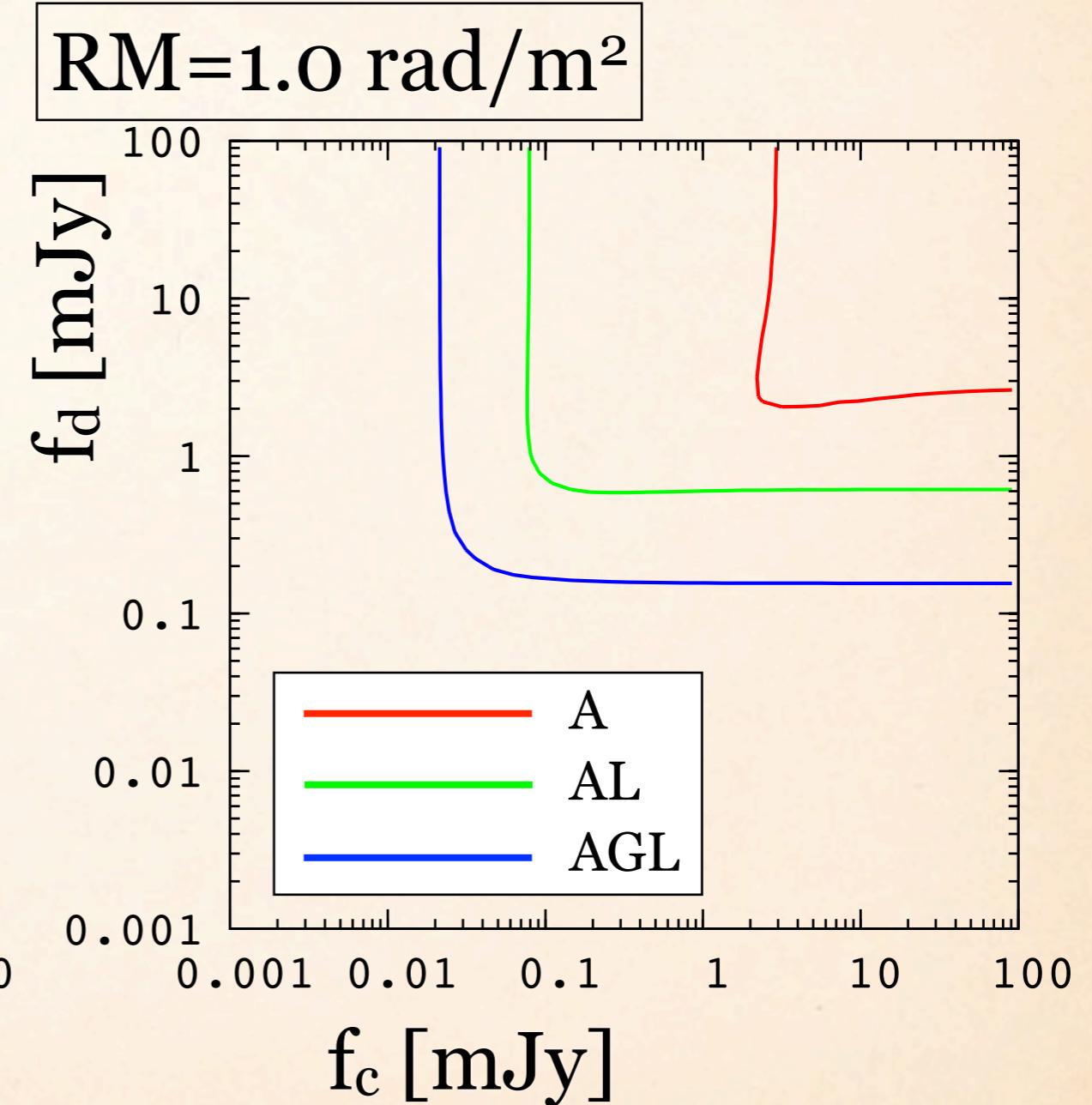
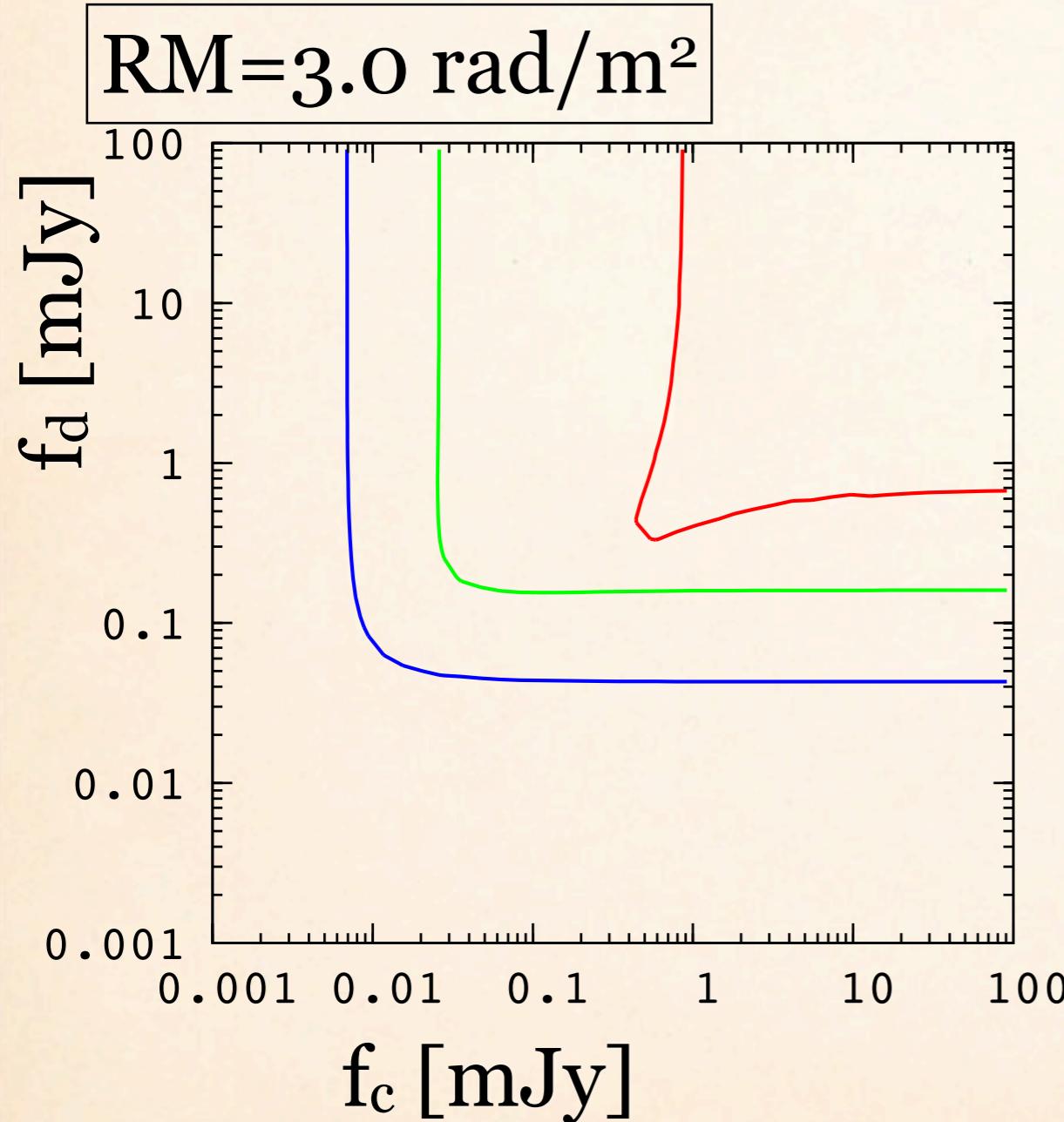
$\text{RM}_{\text{IGMF}} = 3.0 \text{ rad/m}^2$
 $f = 0.5 \text{ mJy}$



**Larger RM_{IGMF} / Brighter source
make it easier to detect the IGMF**

Results III

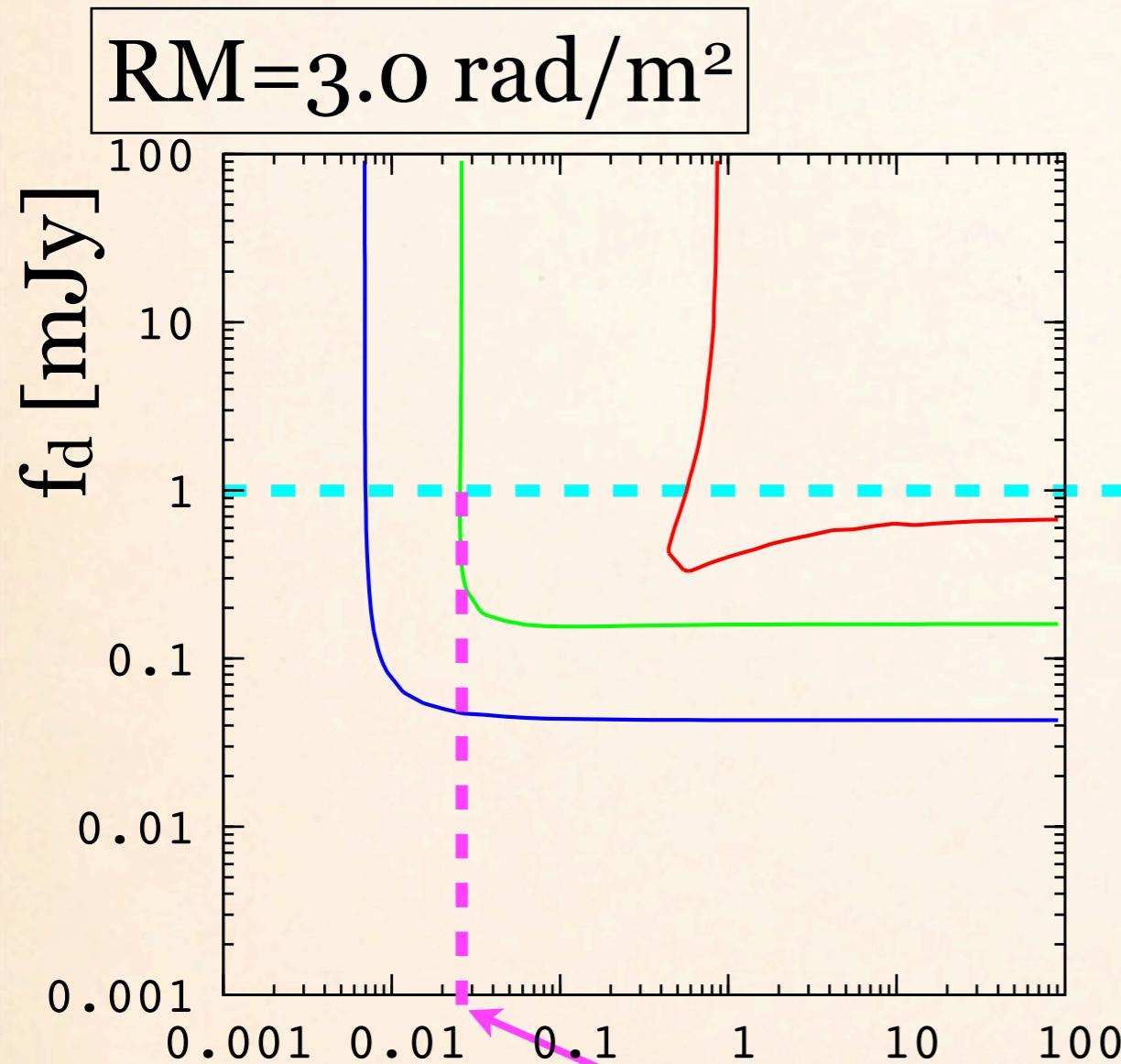
Necessary source intensities for detecting IGMF (3- σ CL)
IGMF is detected in **the up-right regions** of the lines



(A : ASKAP, G : GMRT, L : LOFAR)

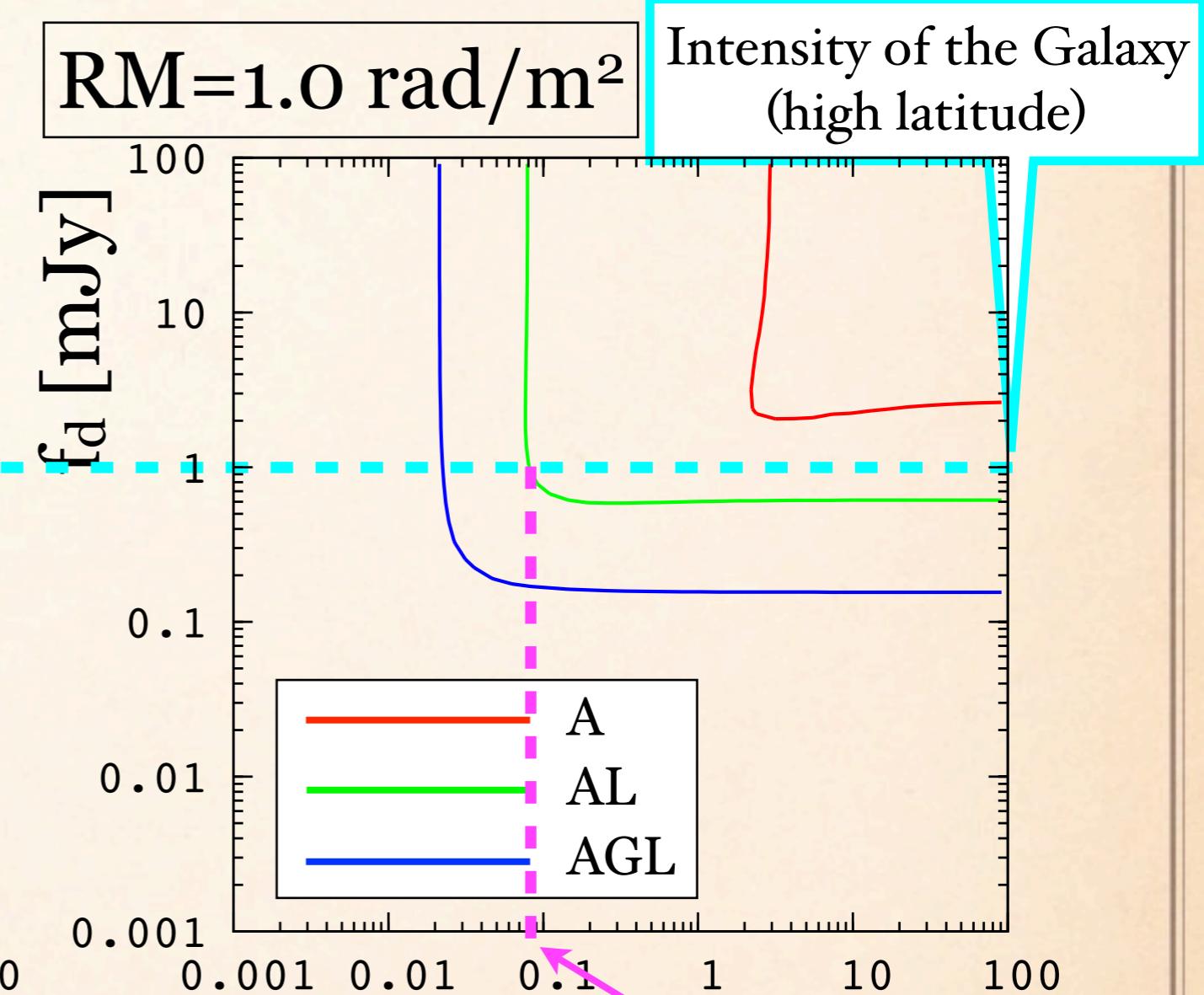
Results III

Necessary source intensities for detecting IGMF (3- σ CL)
 IGMF is detected in **the up-right regions** of the lines



$f_c [\text{mJy}] \sim 0.03 \text{ mJy}$
 $[\text{RM}=3]$

(A : ASKAP, G : GMRT, L : LOFAR)



$f_c [\text{mJy}] \sim 0.09 \text{ mJy}$
 $[\text{RM}=1]$

QU-FITTING
WITH
MCMC

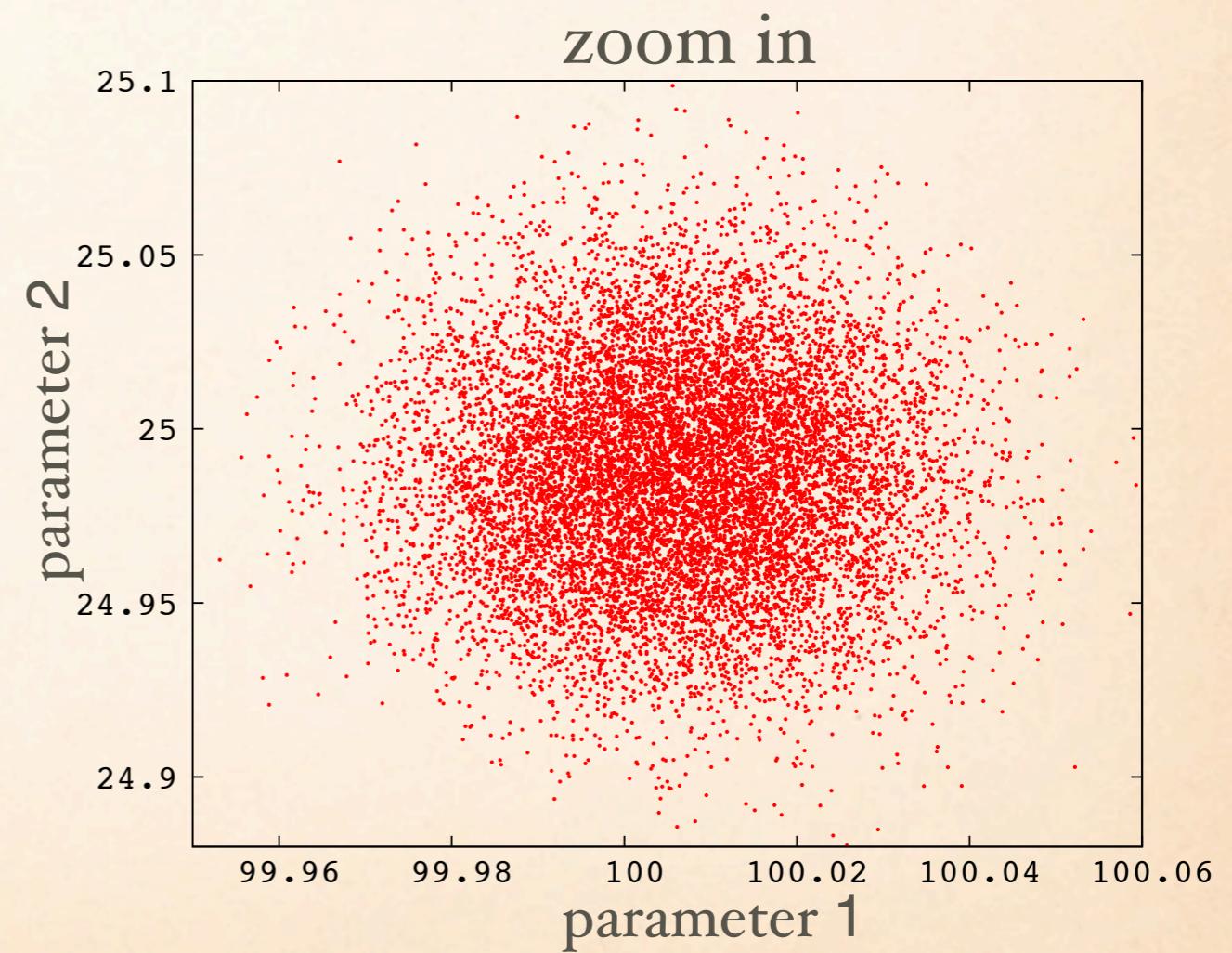
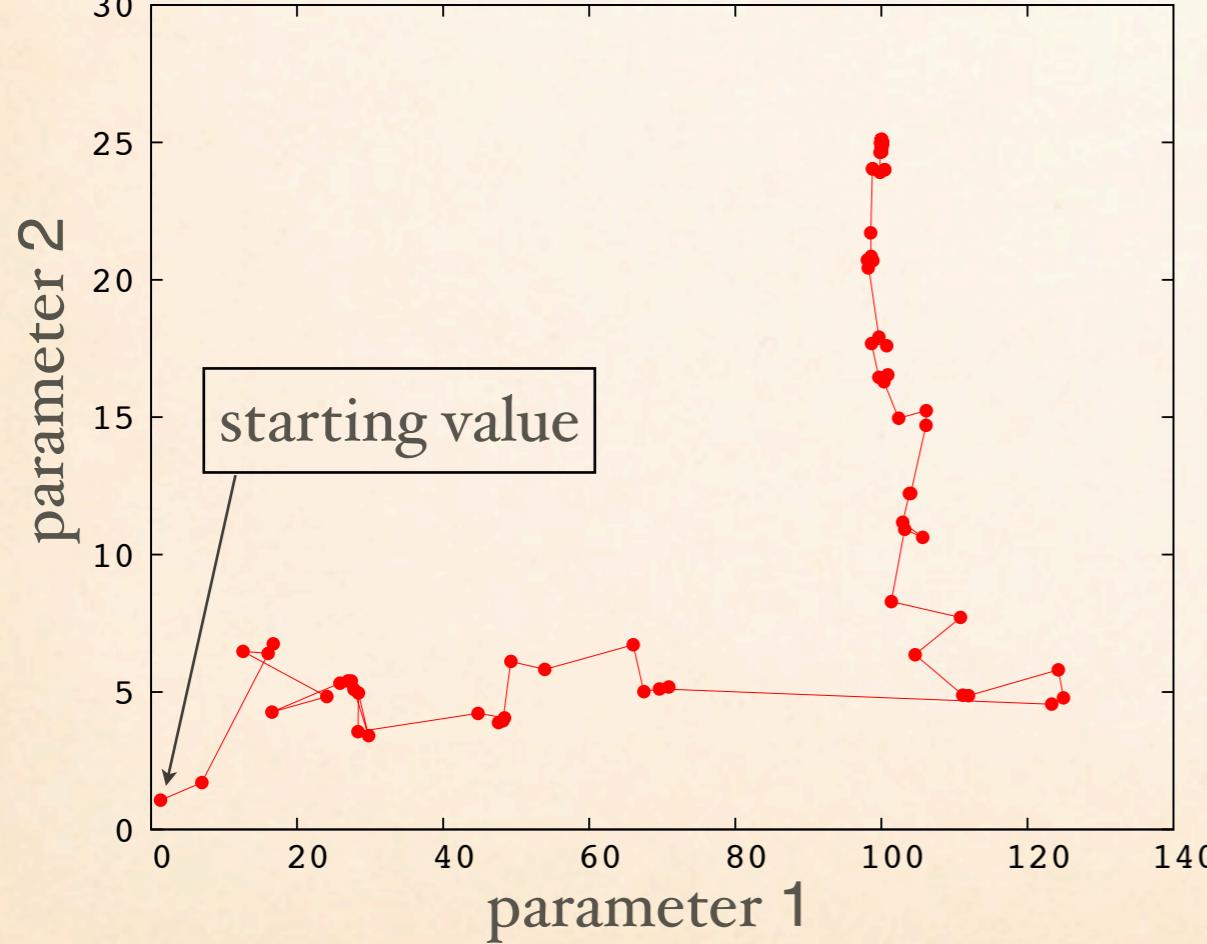
MCMC

Markov Chain Monte Carlo method

(often used in cosmology field to estimate cosmological parameter)

Advantage

- extremely fast in calculation even with many parameters
 - It takes a few seconds for QU-fitting assuming 1000ch observation & 8 parameters
- can evaluate error
 - statistical discussion would be possible



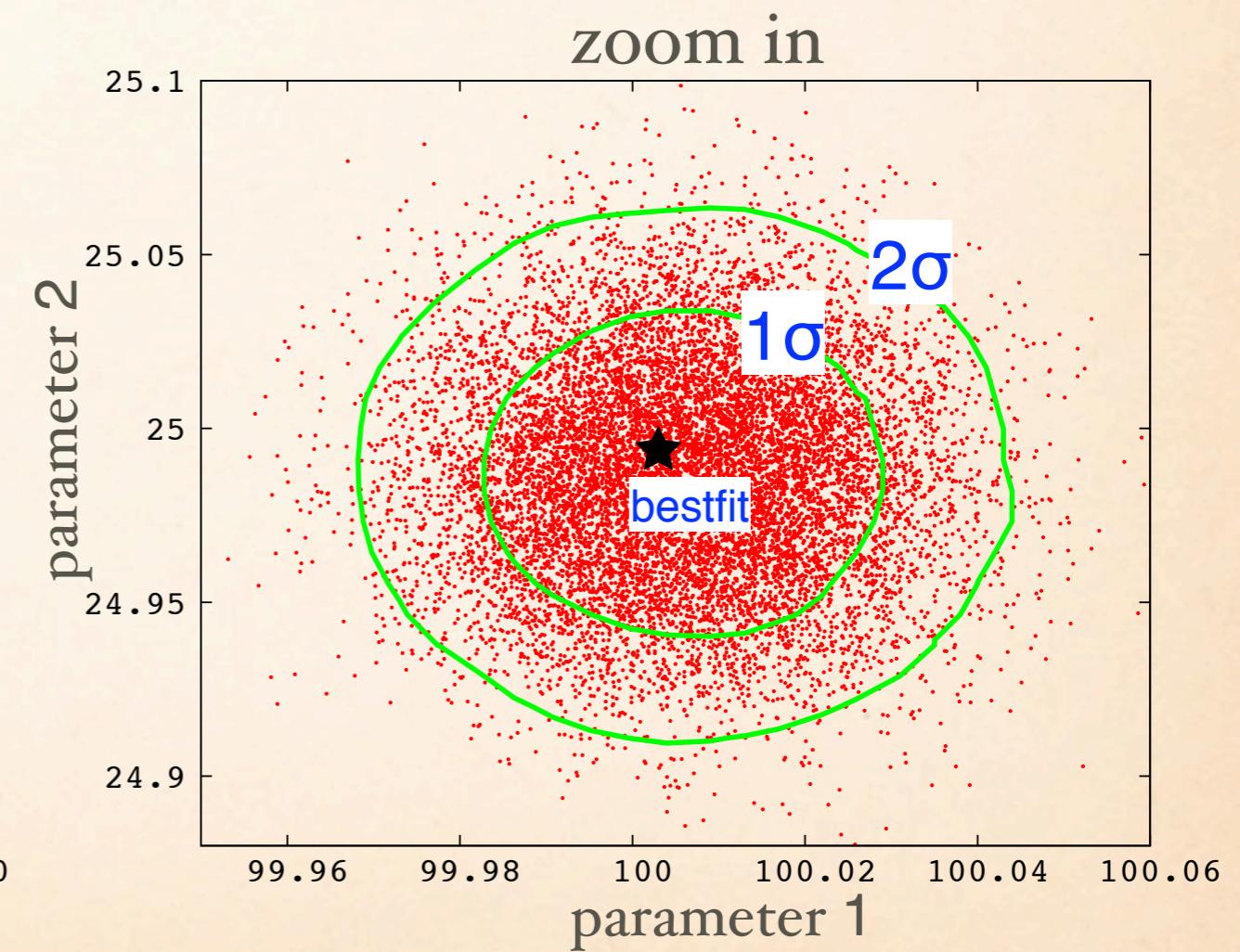
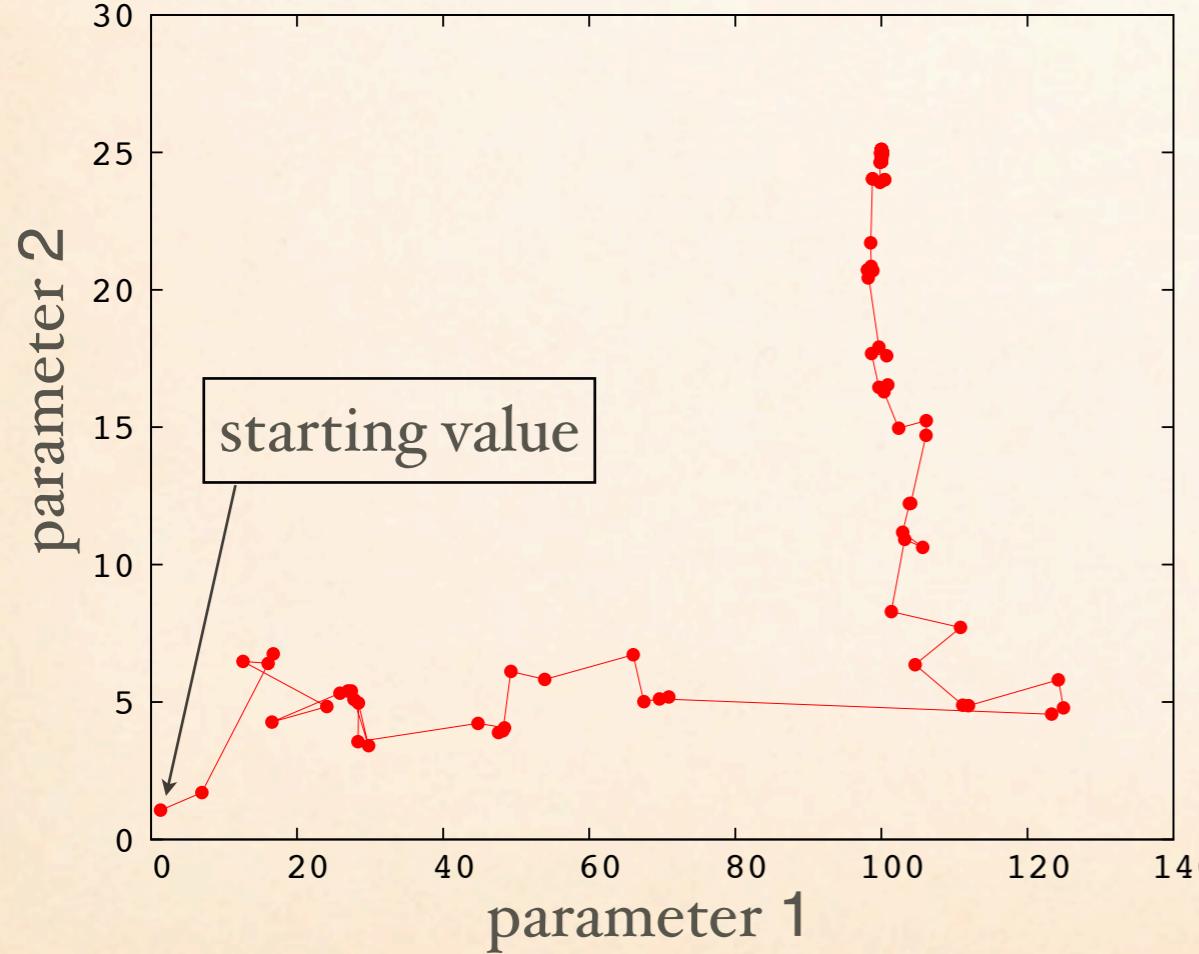
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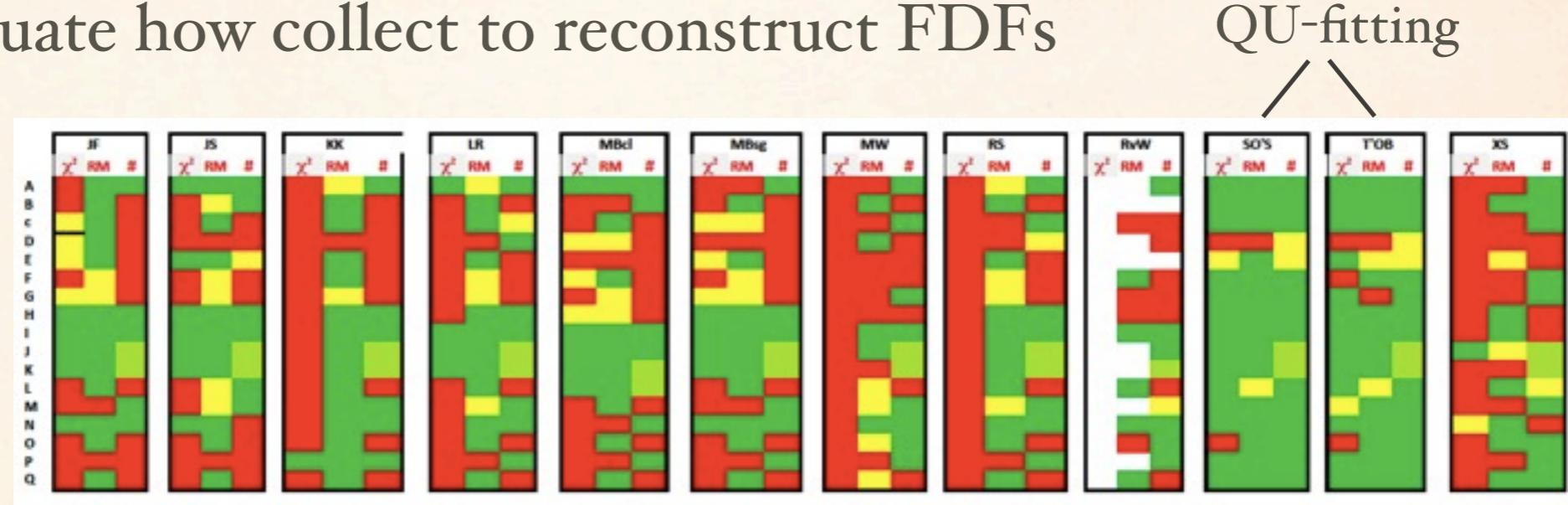
POSSUM : POlarization Sky Survey of the Universe's Magnetism

(One of the ASKAP survey)

POSSUM benchmark test

evaluate how collect to reconstruct FDFs

green : good
yellow : fair
red : bad



- QU-fitting got good scores (even without MCMC)
- By using MCMC,
 - ✓ we make it faster to execute QU-fitting
 - ✓ & make it possible to evaluate parameters errors
- We are involved with a development of POSSUM pipeline

SUMMARY

- ❖ We forecast the capability of ongoing telescope for proving IGMFs of filaments by QU-fitting through Fisher analysis
- ❖ Assuming very simple model as the Galaxy component and RM of the IGMF is a few rad/m², the IGMF can be detected by observing some compact source with intensities more than 0.03mJy by LOFAR & ASKAP
- ❖ QU-fitting with MCMC would be very useful for finding FDF with more accuracy in a sense of finding likely parameters. In addition, statistical dicussions would be possible by this method.