

RADIO CONTINUUM SURVEYS AND GALAXY EVOLUTION: MODELLING AND SIMULATIONS

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Marta Volonteri Charlotte, Welker

SKADS Simulated Sky (S^3)

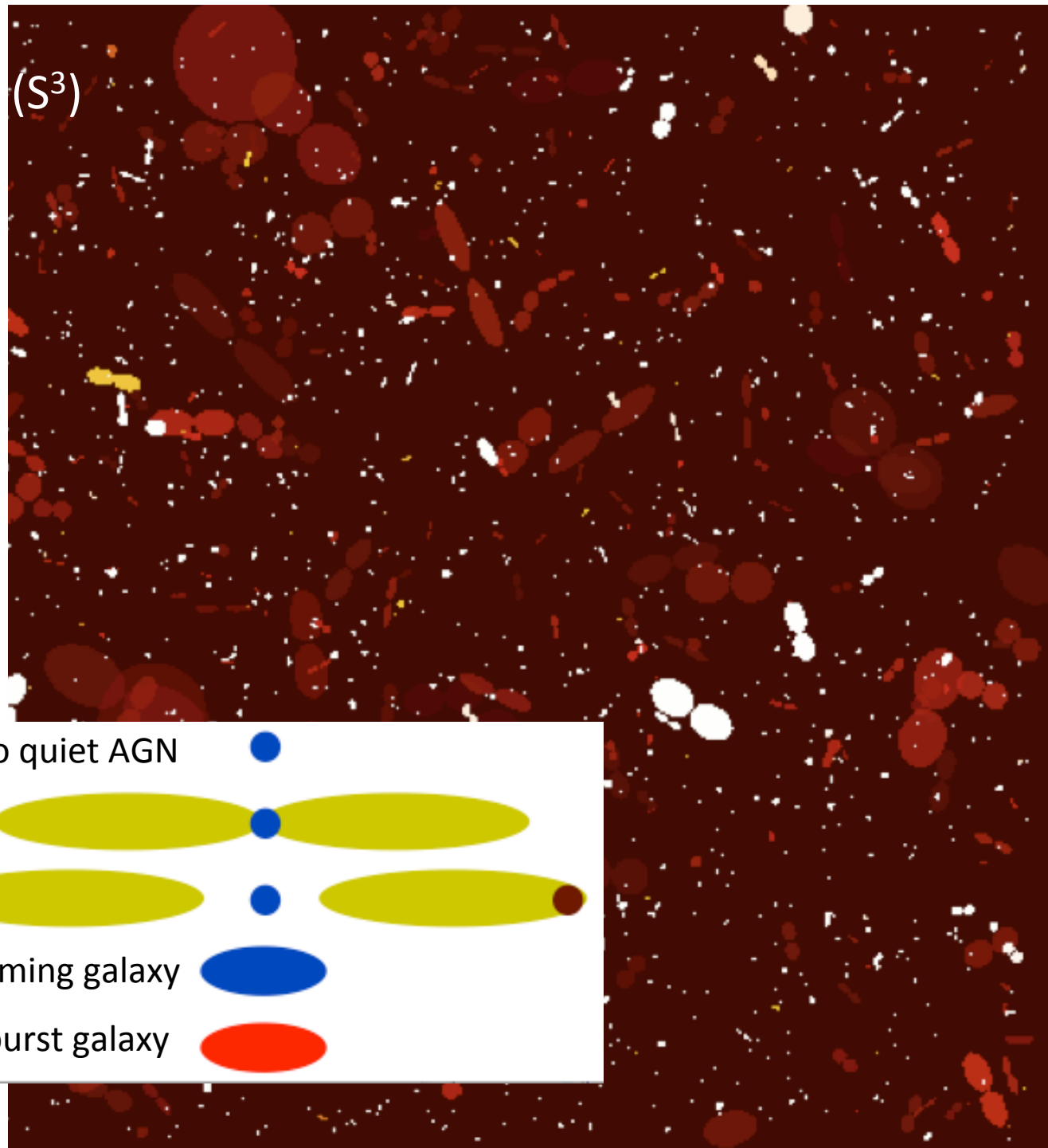
**Semi-Empirical
eXtragalactic**
radio continuum

Wilman et al. 2008

area: $20^\circ \times 20^\circ$

$0 < \text{redshift} < 20$

flux density $> 10 \text{ nJy}$



radio quiet AGN



radio loud (FRI)



radio loud (FR II)



quiescent star forming galaxy



starburst galaxy



Limitations

use of extrapolated luminosity functions

lack of star forming/AGN hybrid galaxies

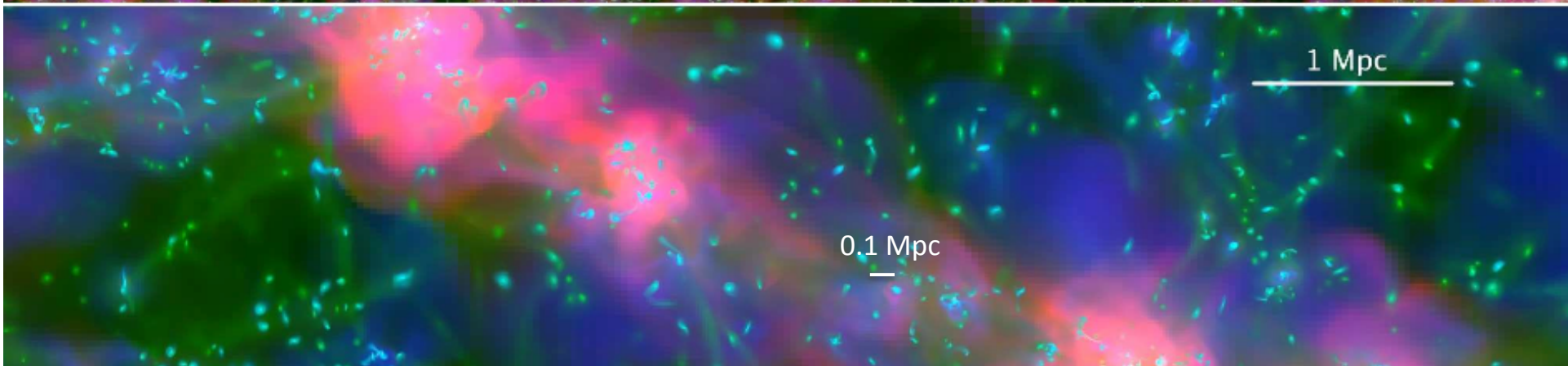
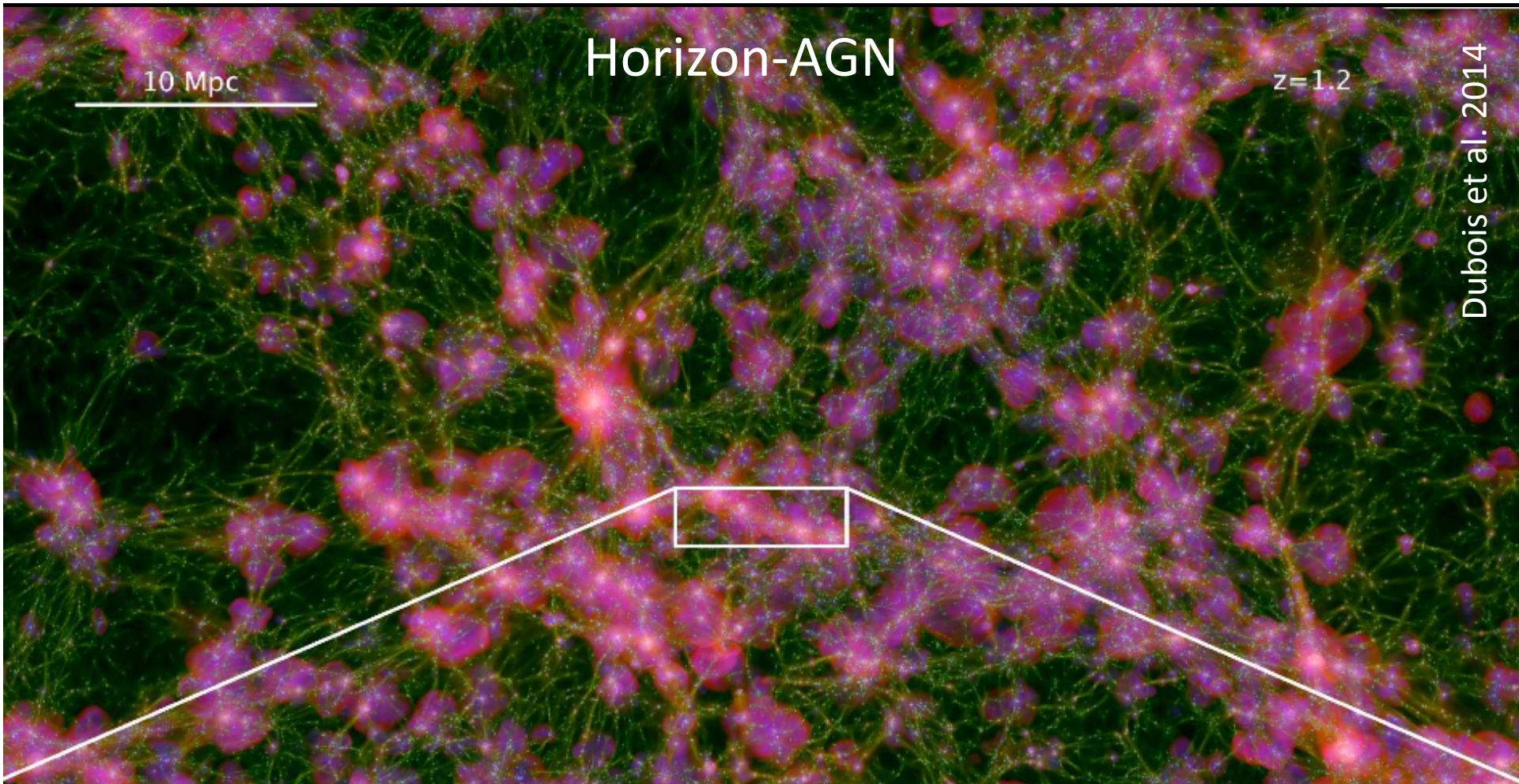
lack of small scale nonlinear clustering

Horizon-AGN

10 Mpc

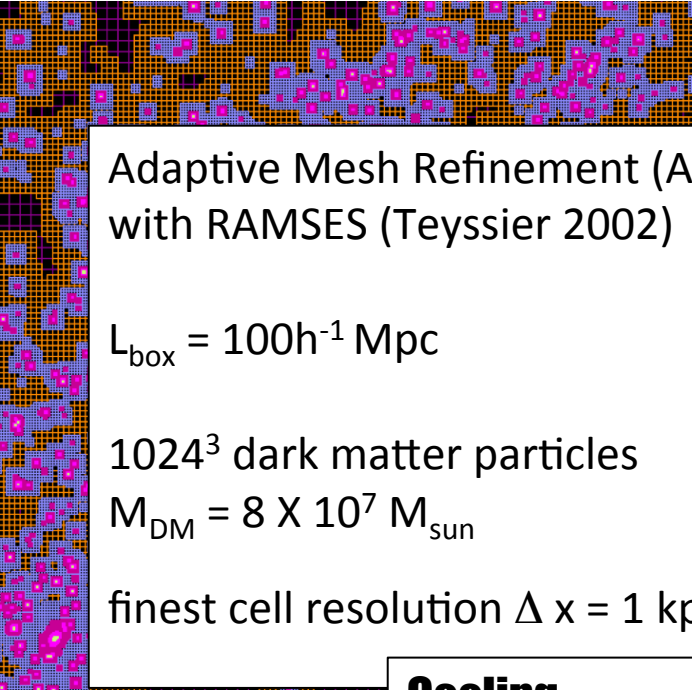
$z=1.2$

Dubois et al. 2014



Horizon-AGN Simulation

<http://www.horizon-simulation.org>



Adaptive Mesh Refinement (AMR)
with RAMSES (Teyssier 2002)

$$L_{\text{box}} = 100h^{-1} \text{ Mpc}$$

1024^3 dark matter particles

$$M_{\text{DM}} = 8 \times 10^7 M_{\text{sun}}$$

finest cell resolution $\Delta x = 1 \text{ kpc}$

Cooling

Down to 10^4 K

Heating

Uniform UV background
at $z_{\text{reion}} = 10$

Star formation

$$\text{if } \rho > \rho_0$$

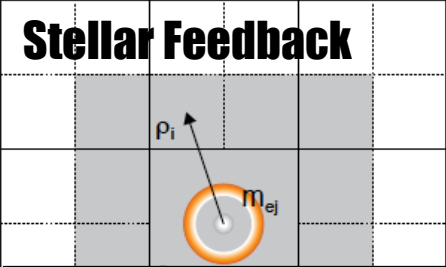
$$(\rho_0 = 0.1 \text{ H/cm}^3)$$

$$\dot{\rho}_* = \frac{\epsilon \rho}{t_{\text{ff}}} \propto \rho^{3/2}$$

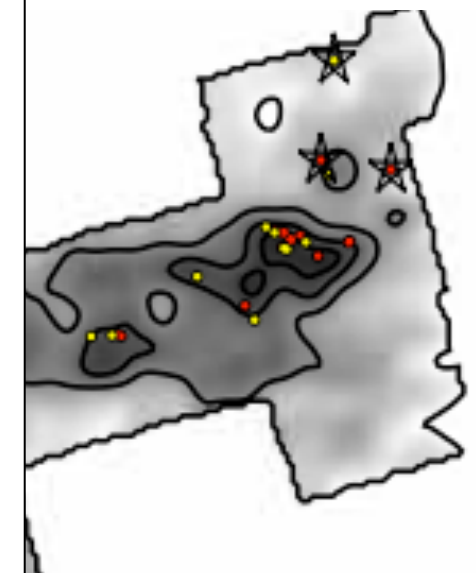
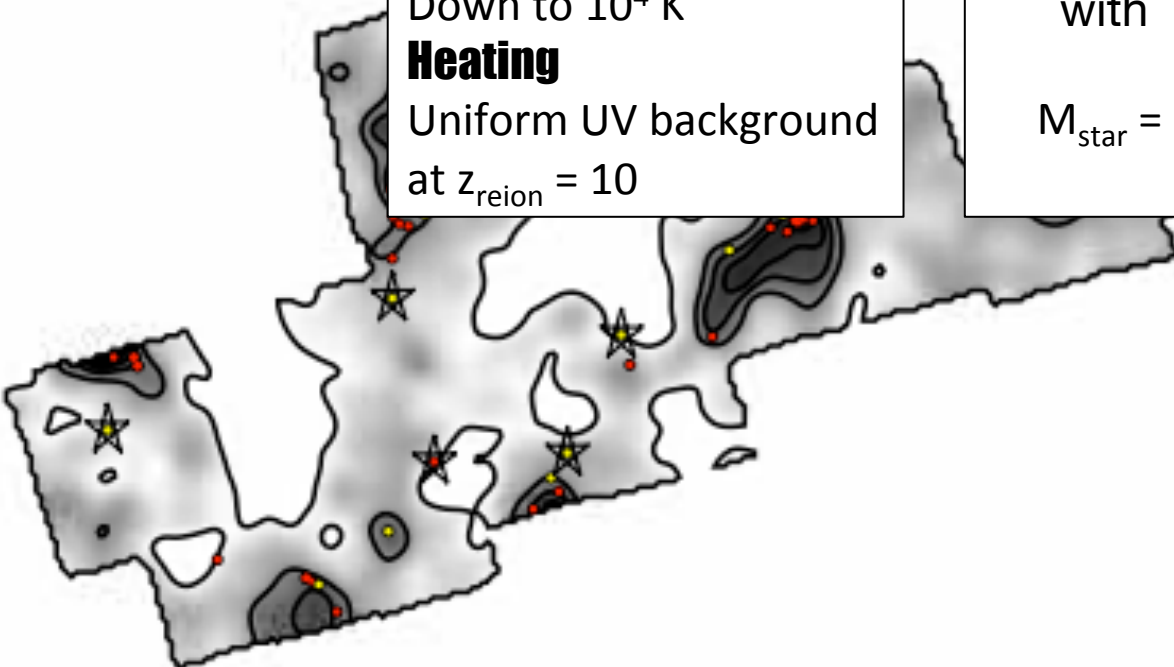
$$\text{with } \epsilon = 0.02$$

$$M_{\text{star}} = 2 \times 10^6 M_{\text{sun}}$$

Stellar Feedback



Assume Salpeter IMF
Stellar winds + SNII + SNIa
O, Fe, C, N, Si, Mg, H



Black hole creation

$$M_{\text{seed}} = 10^5 M_{\text{sun}}$$

in regions of high gas
and stellar densities

Black hole growth

via accretion and mergers

$$\dot{M}_{\text{BH}} \propto \rho \frac{M_{\text{BH}}^2}{c_s^3}$$

Bondi-Hoyle capped
at Eddington

Black hole feedback

2 modes: radio & quasar

$$\chi = \frac{\dot{M}_{\text{BH}}}{\dot{M}_{\text{Edd}}}$$

if $\chi \leq 0.01$ then jet with

$$L_{\text{radio}} = 0.1 \dot{M}_{\text{BH}} c^2$$

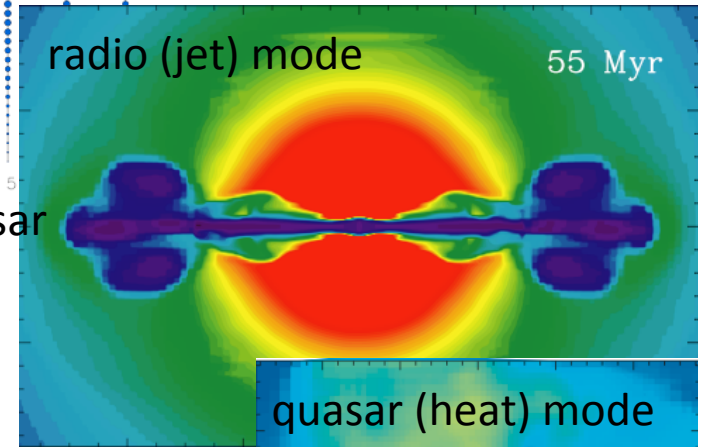
if $\chi > 0.01$ then isotropic injection of
thermal energy with

$$L_{\text{quasar}} = 0.015 \dot{M}_{\text{BH}} c^2$$

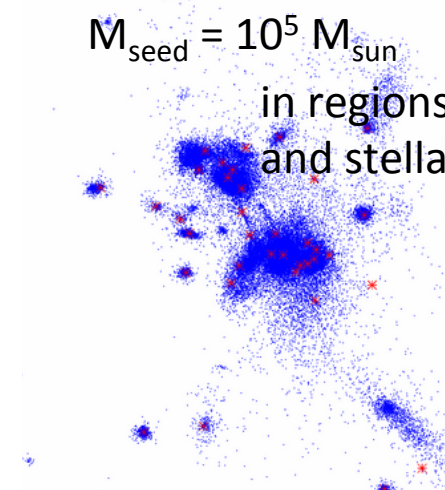
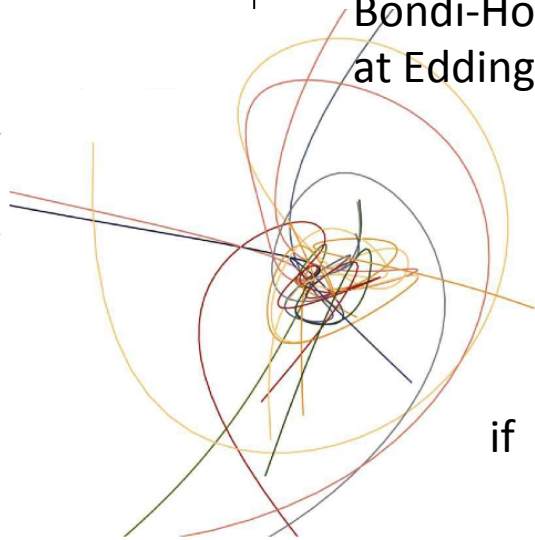
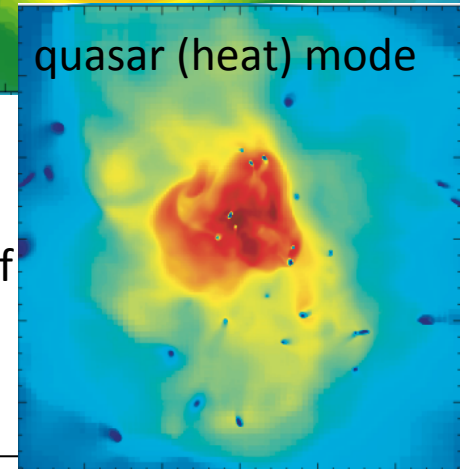
Horizon-AGN Simulation

<http://www.horizon-simulation.org>

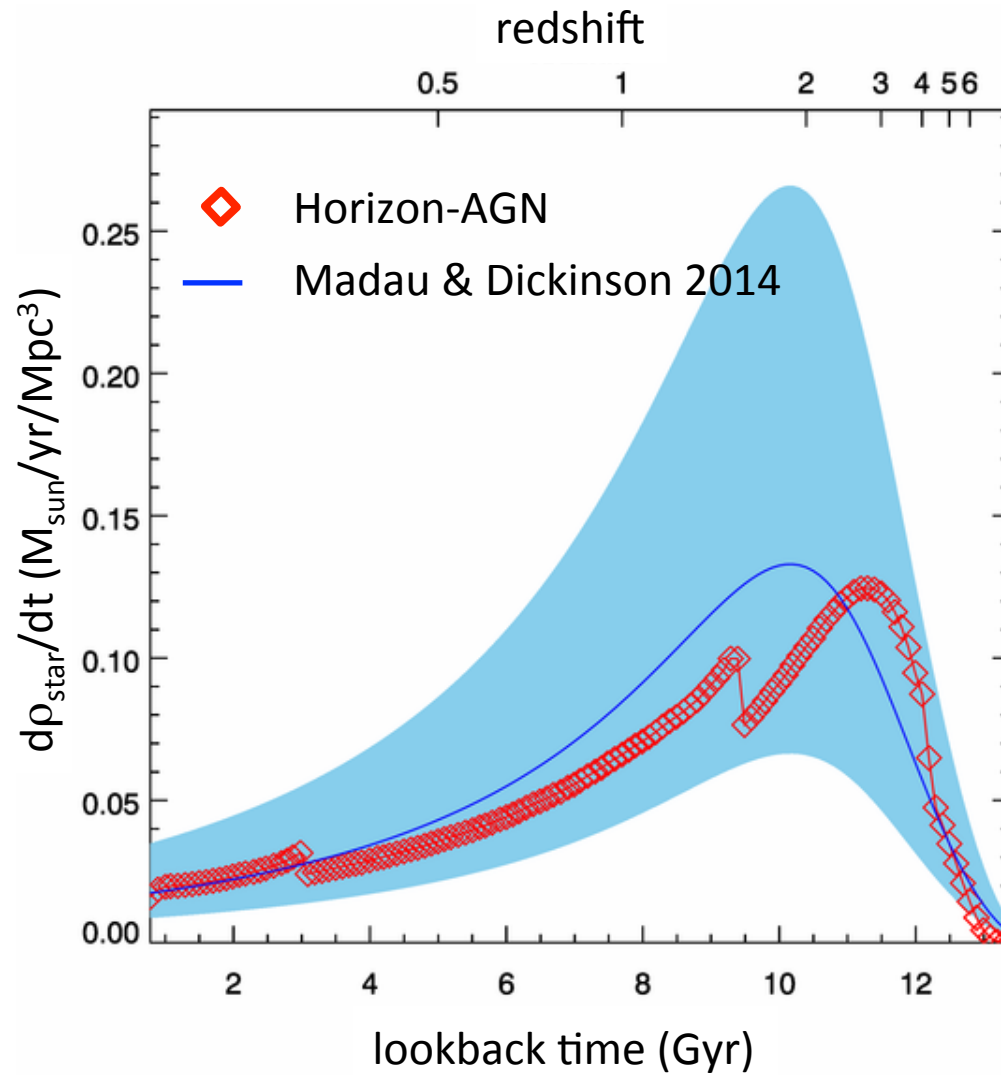
radio (jet) mode 55 Myr



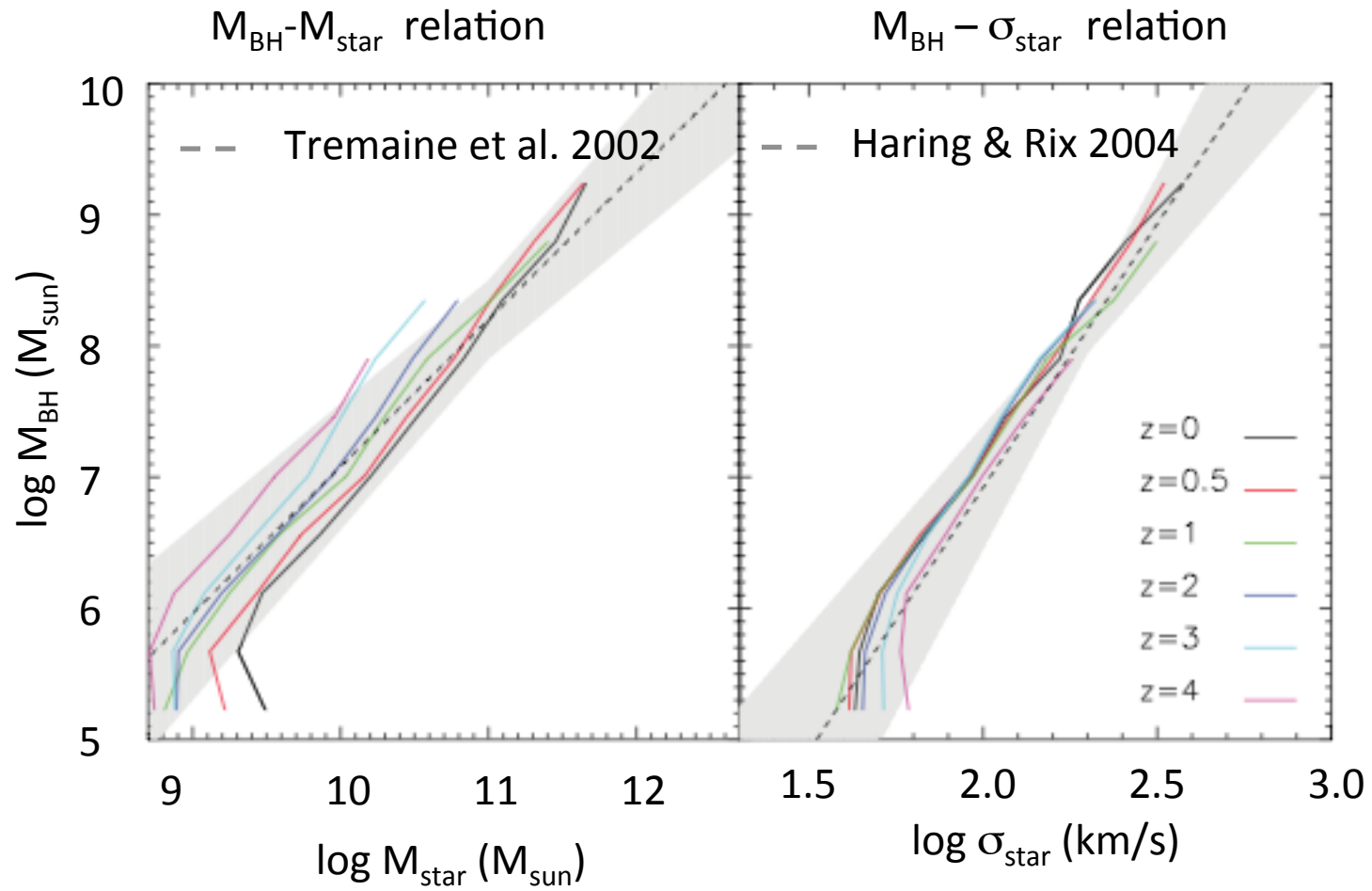
quasar (heat) mode



History of cosmic star formation rate density



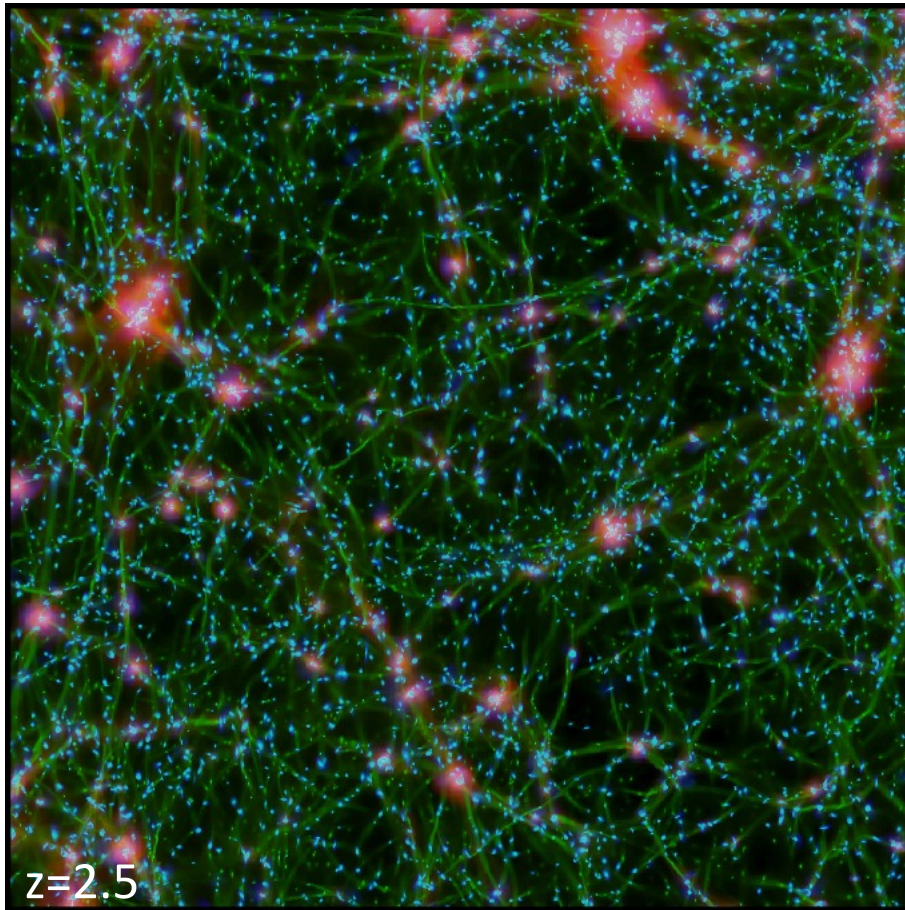
Black hole scaling relations



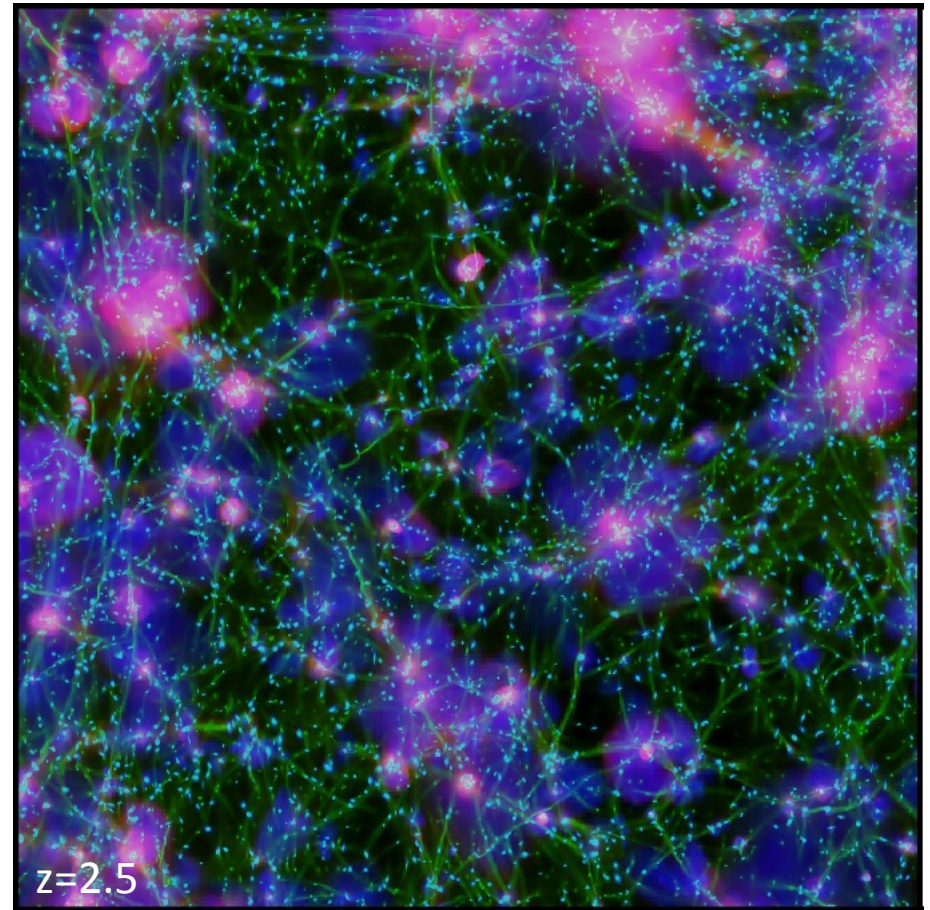
Dubois et al. 2012

What's the role of AGN feedback?

Horizon no-AGN

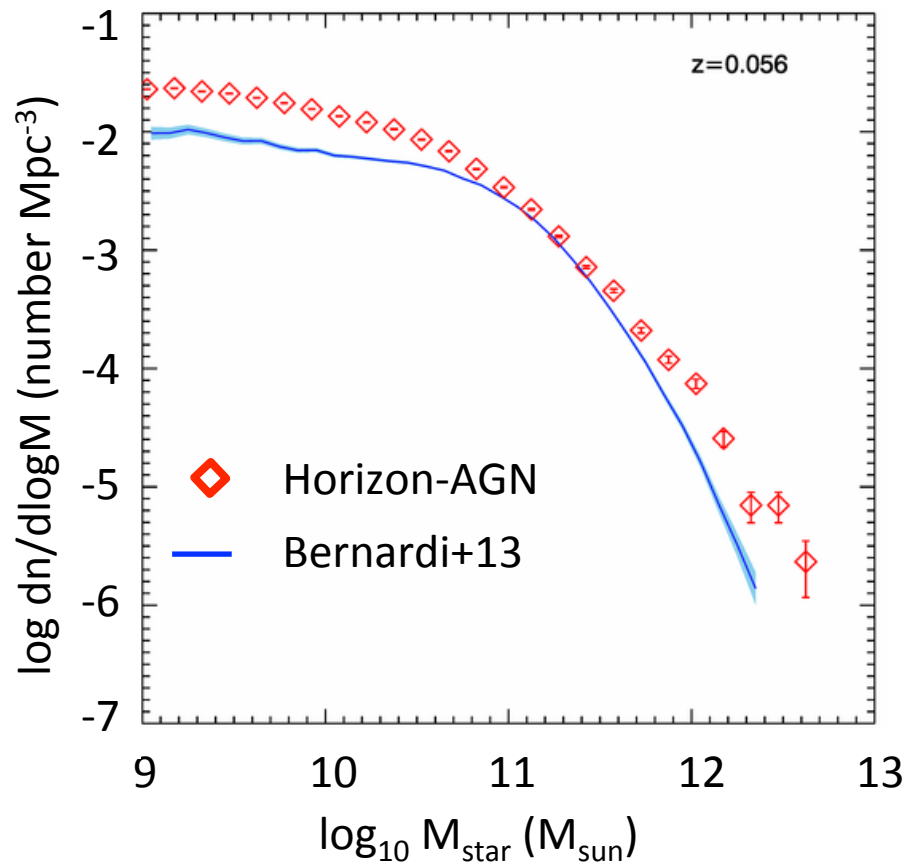


Horizon-AGN



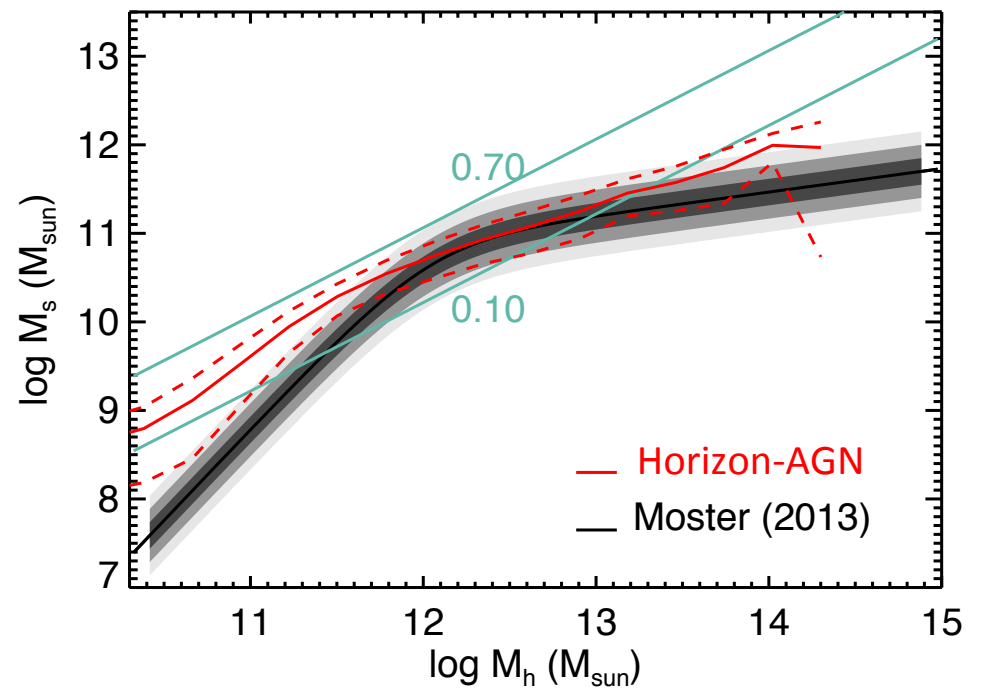
Stellar masses

Stellar mass function



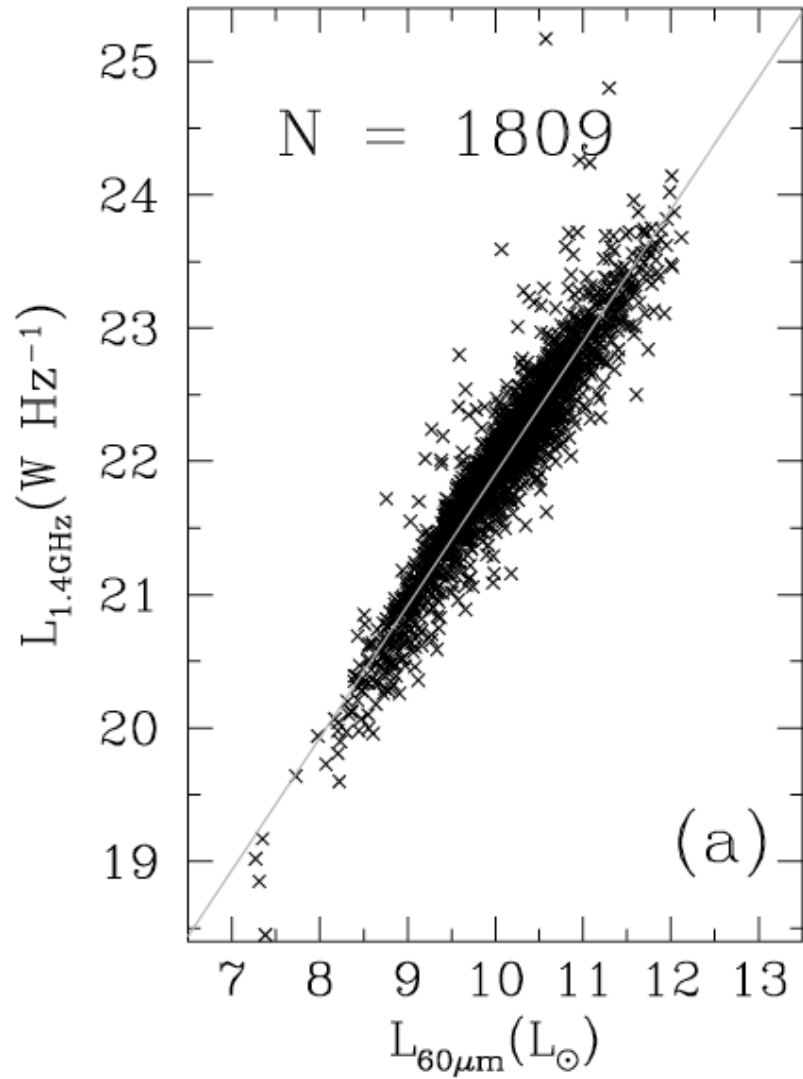
Kaviraj et al, in prep

Moster plot

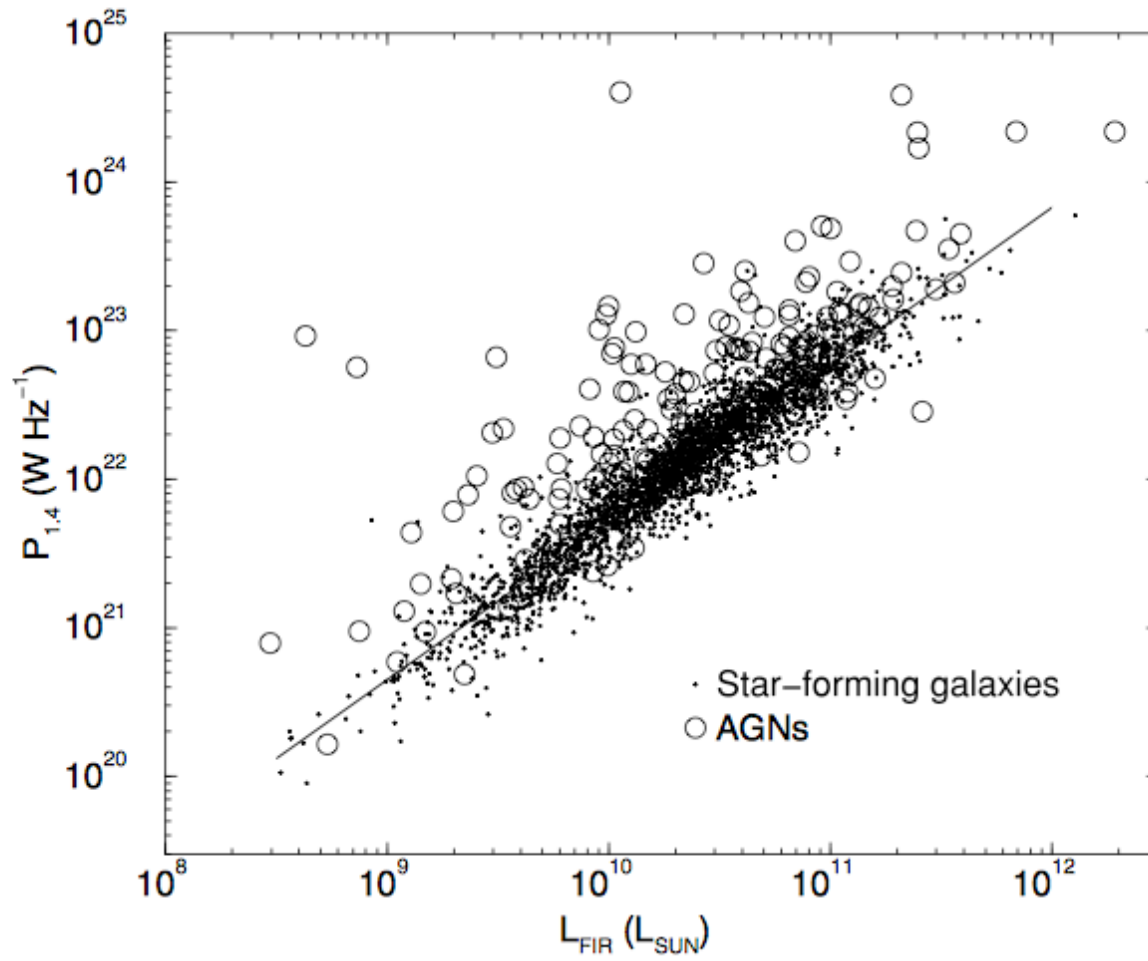


Dubois et al 2014

The FIR/Radio Correlation

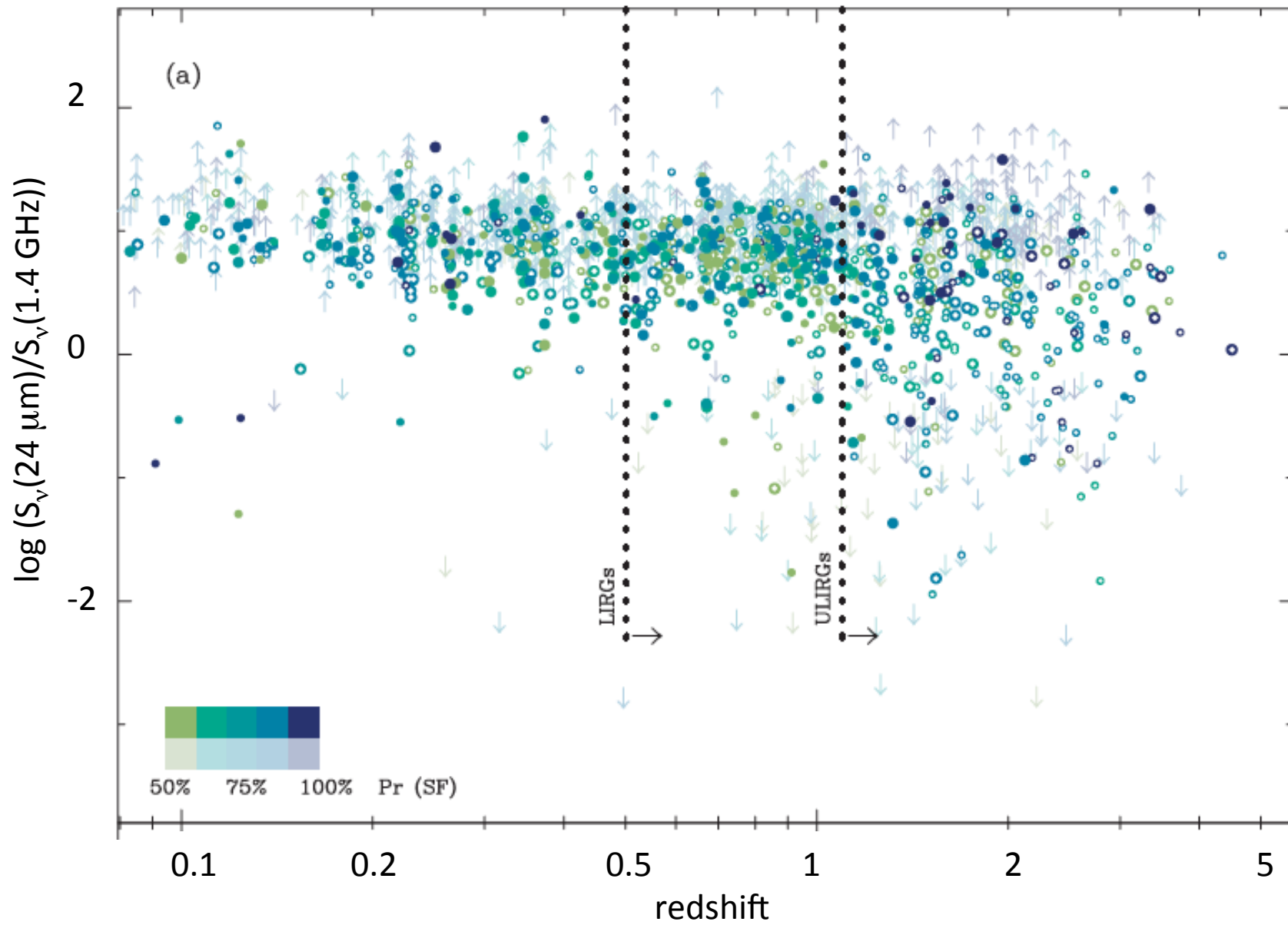


Yun, Reddy, Condon 2001



Mauch & Sadler 2007

Redshift evolution of radio-FIR correlation for star forming galaxies



Sargent et al. 2010

Model for radio emission from star formation

Condon 1992

Measure SFR ($M \geq 5 M_{\text{sun}}$)

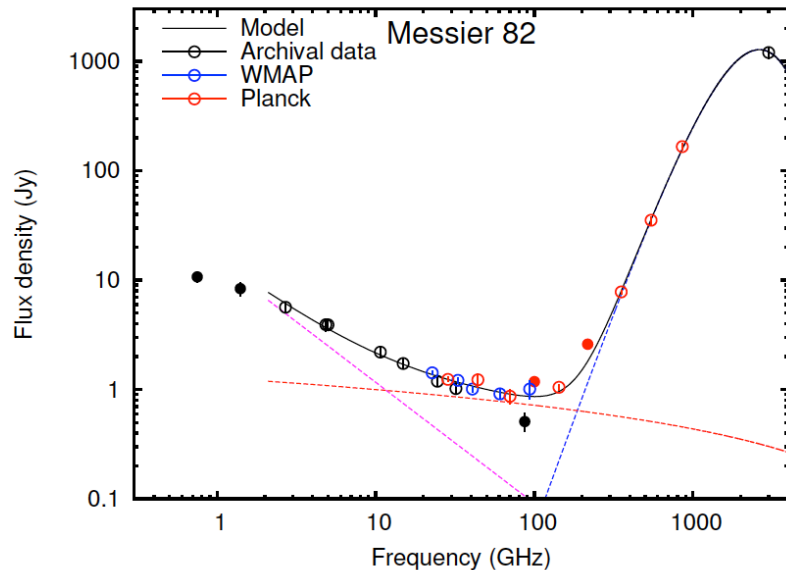
Nonthermal radio emission

$$\left(\frac{L_N}{\text{W Hz}^{-1}}\right) \sim 5.3 \times 10^{21} \left(\frac{\nu}{\text{GHz}}\right)^{-\alpha} \left[\frac{\text{SFR}(M \geq 5 M_{\odot})}{M_{\odot} \text{ yr}^{-1}}\right]$$

where alpha = 0.8

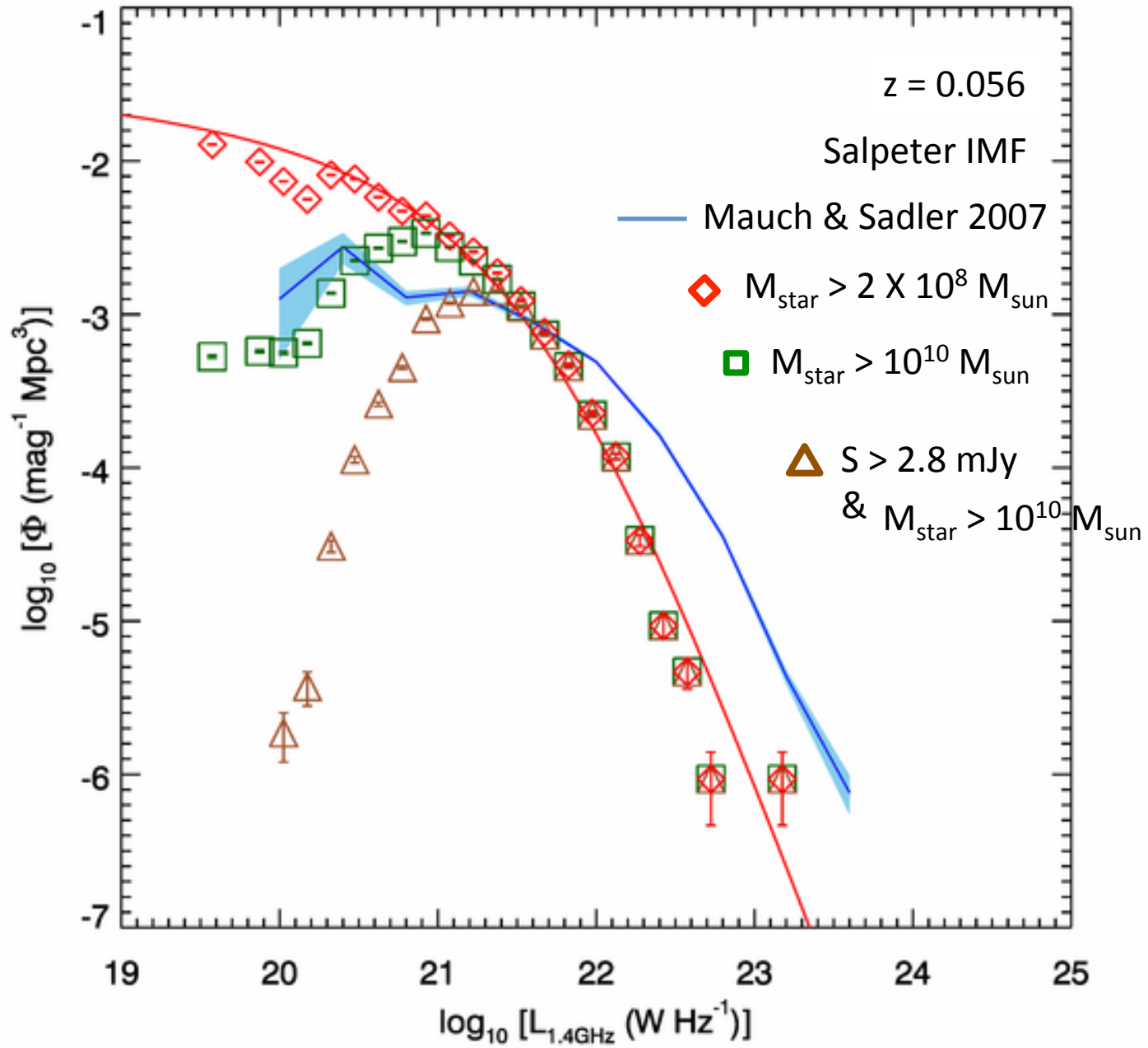
Thermal radio emission

$$\left(\frac{L_T}{\text{W Hz}^{-1}}\right) \sim 5.5 \times 10^{20} \left(\frac{\nu}{\text{GHz}}\right)^{-0.1} \left[\frac{\text{SFR}(M \geq 5 M_{\odot})}{M_{\odot} \text{ yr}^{-1}}\right]$$

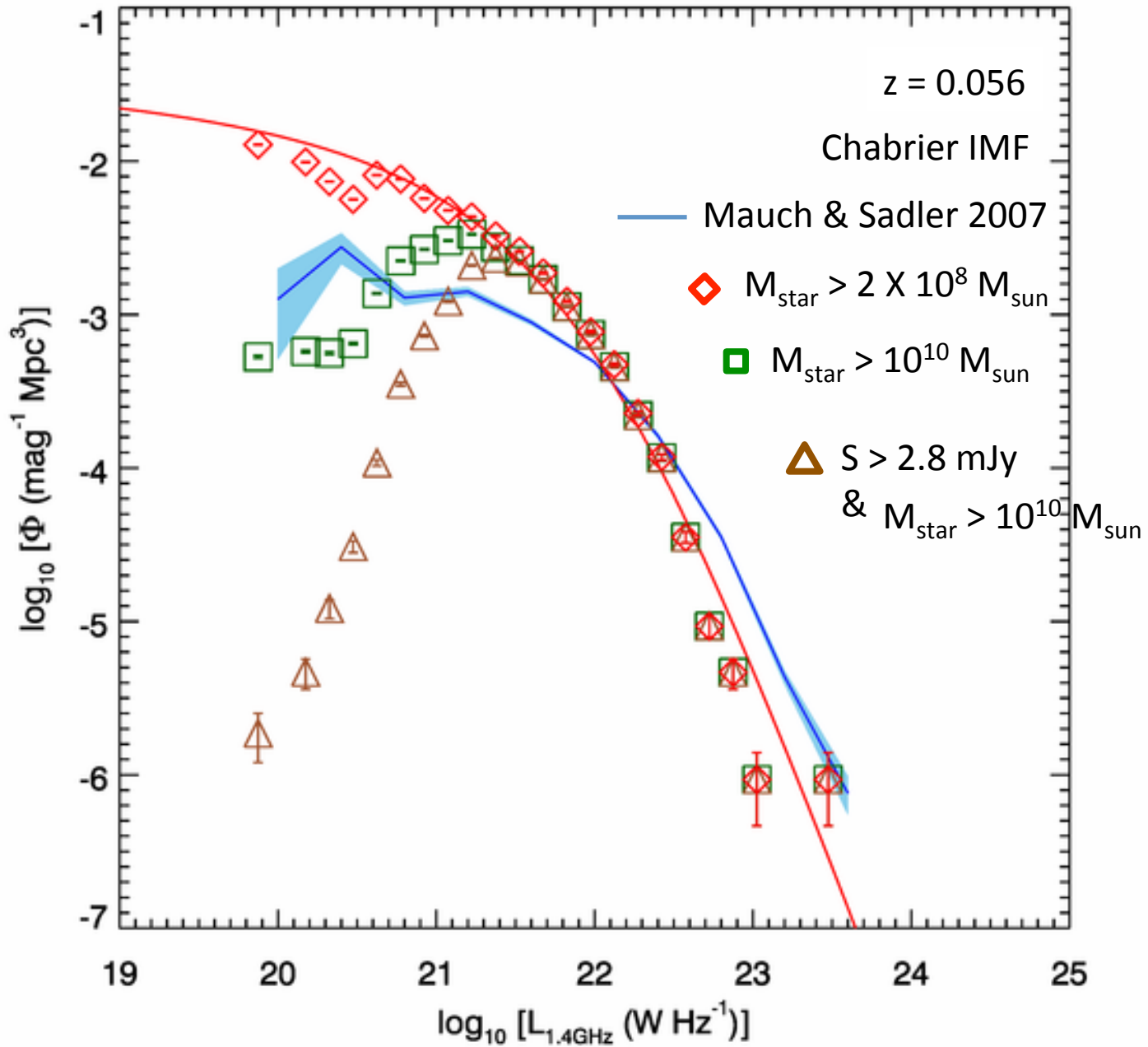


Peel et al. 2011

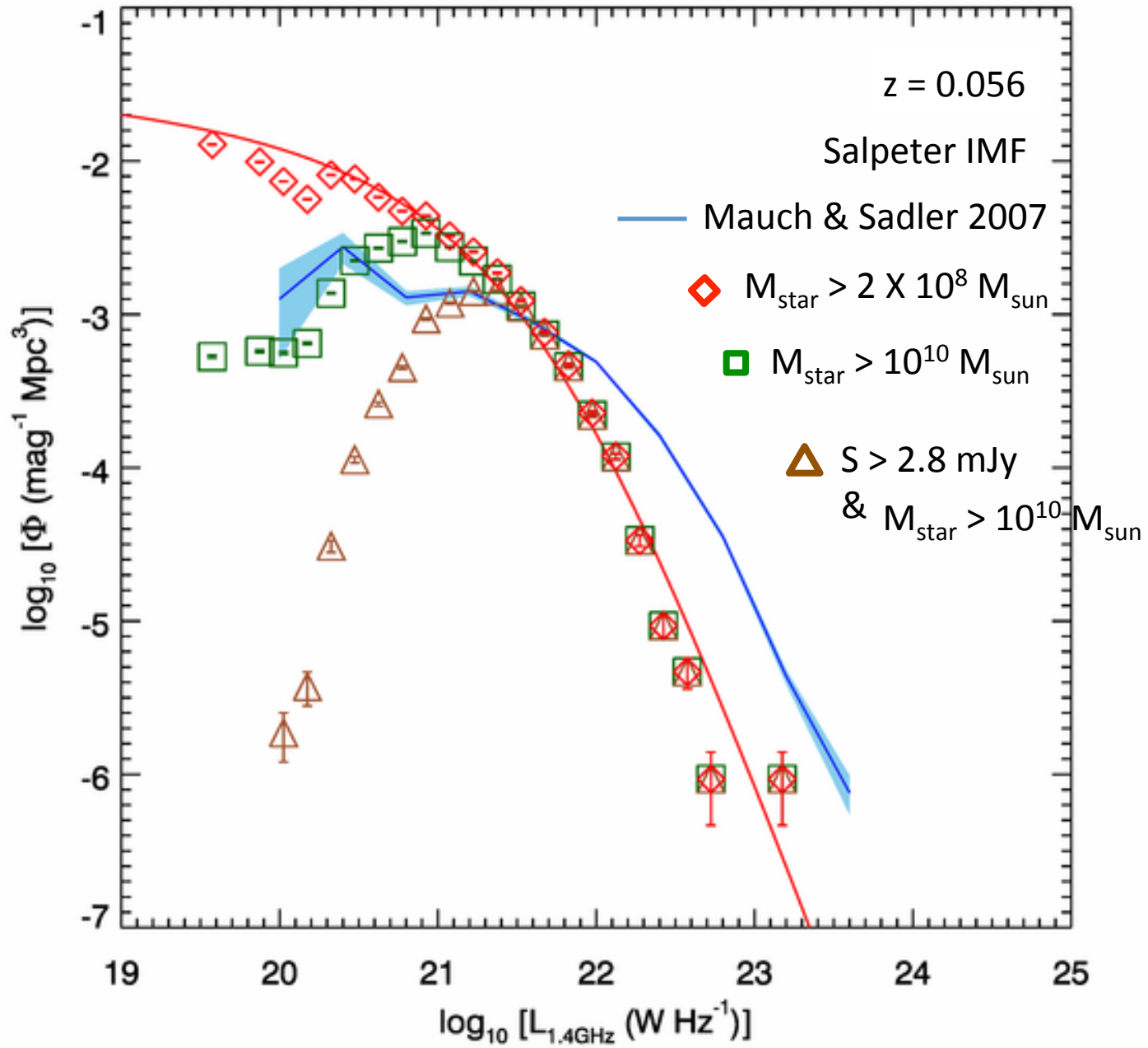
1.4 GHz SFG Radio Luminosity Function



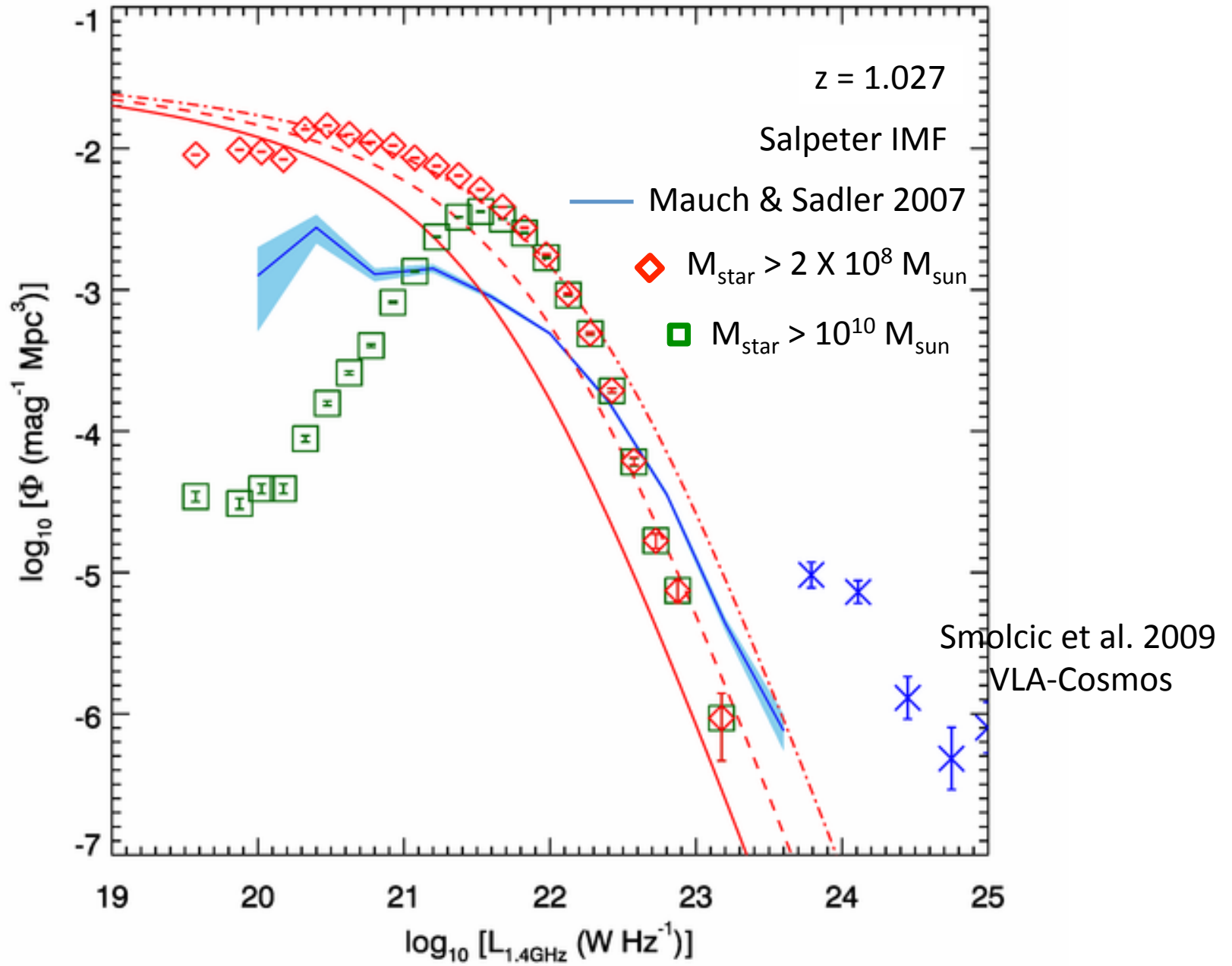
1.4 GHz SFG Radio Luminosity Function



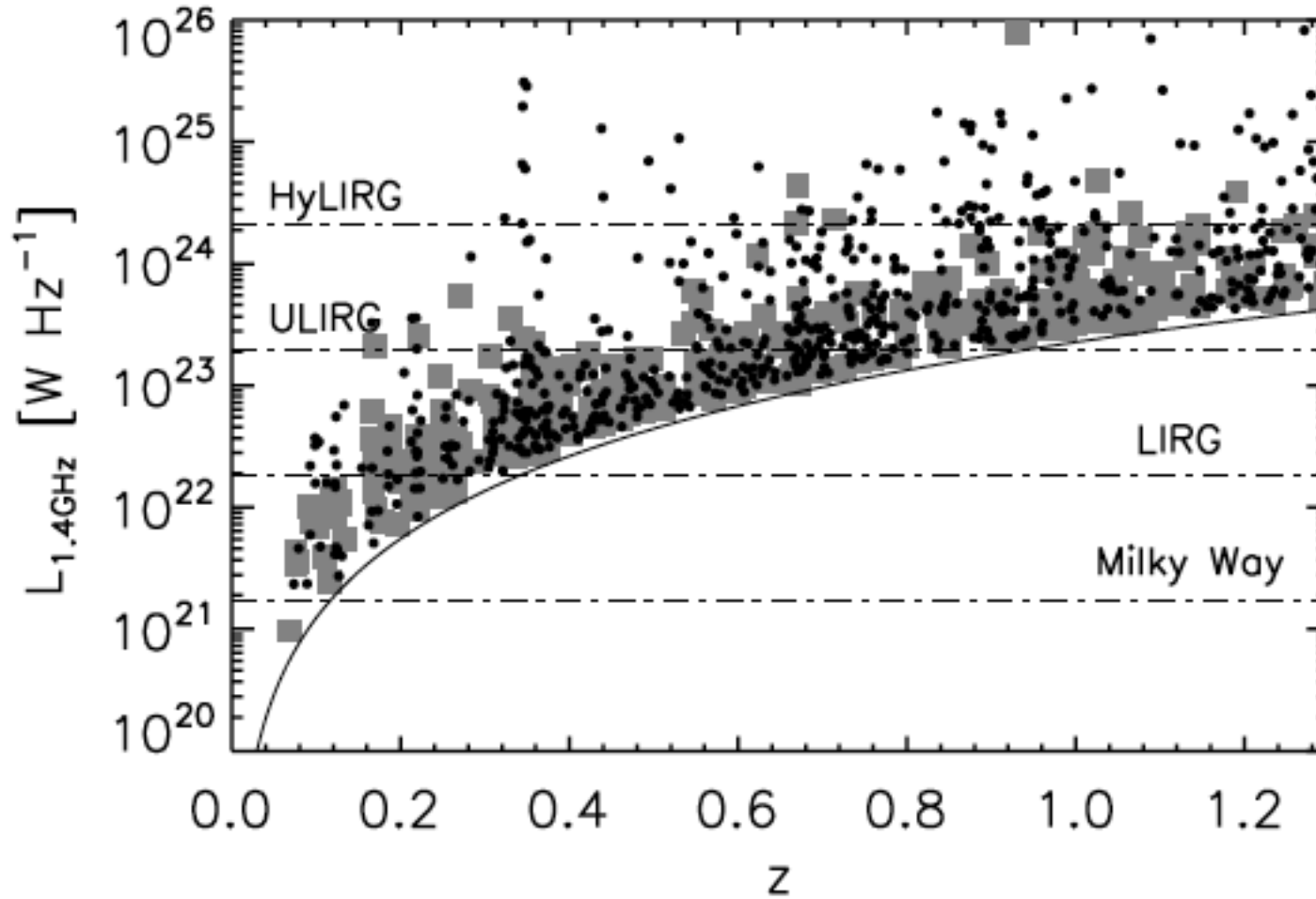
1.4 GHz SFG Radio Luminosity Function



1.4 GHz SFG Radio Luminosity Function



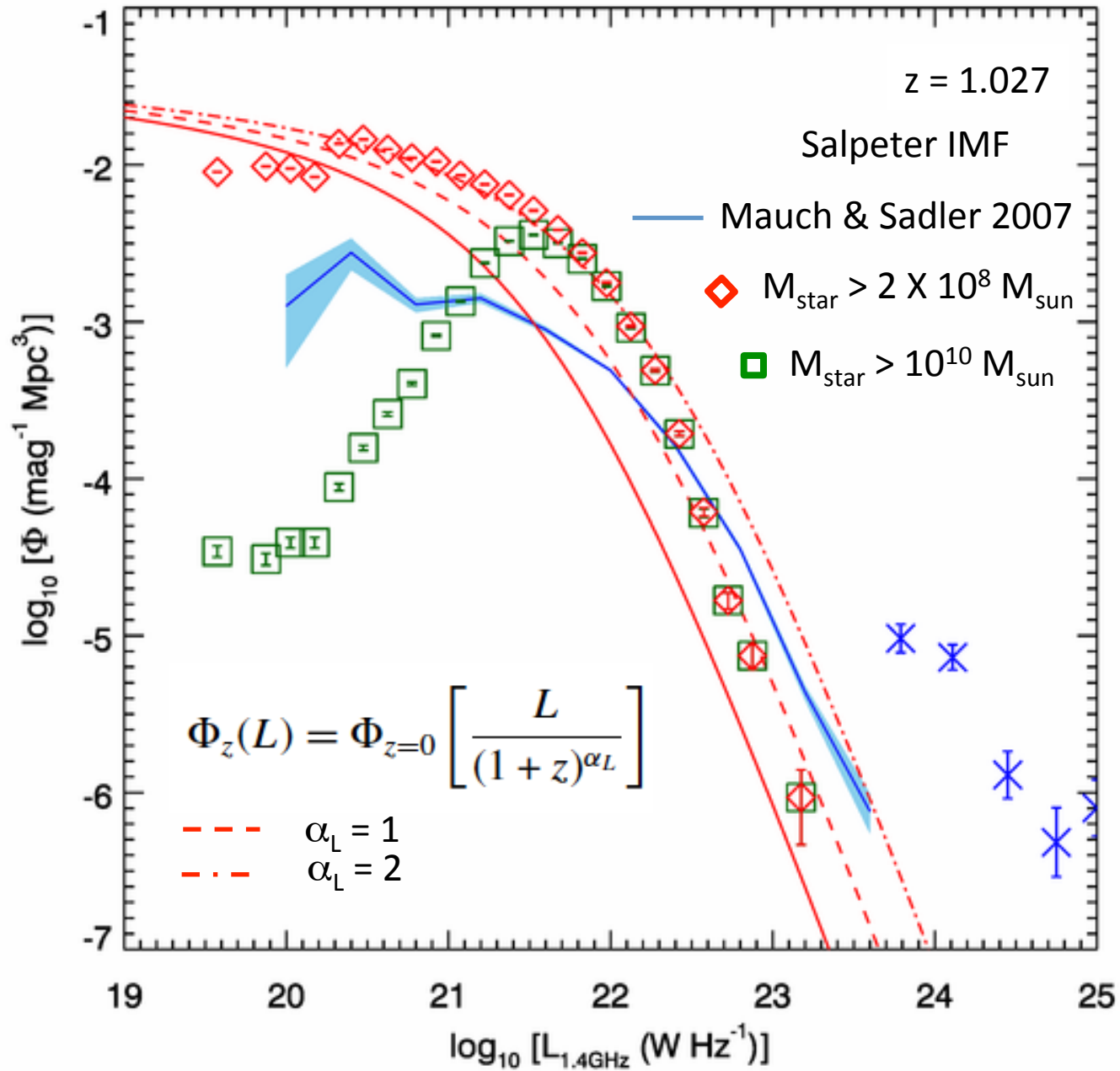
1.4 GHz Luminosity Function as a function of redshift



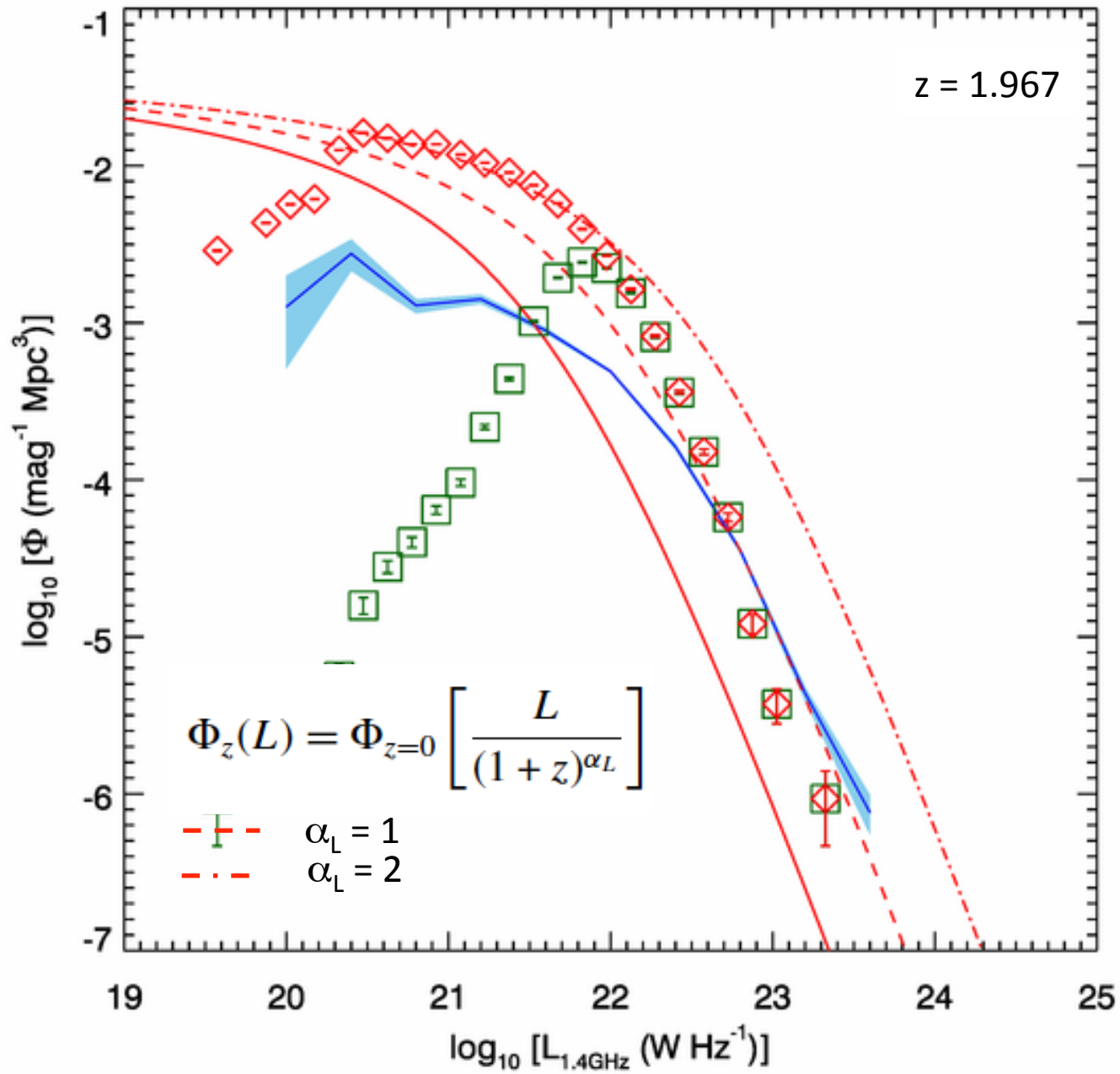
Grey squares: SF galaxies
Black dots: AGNs

Smolcic et al. 2008

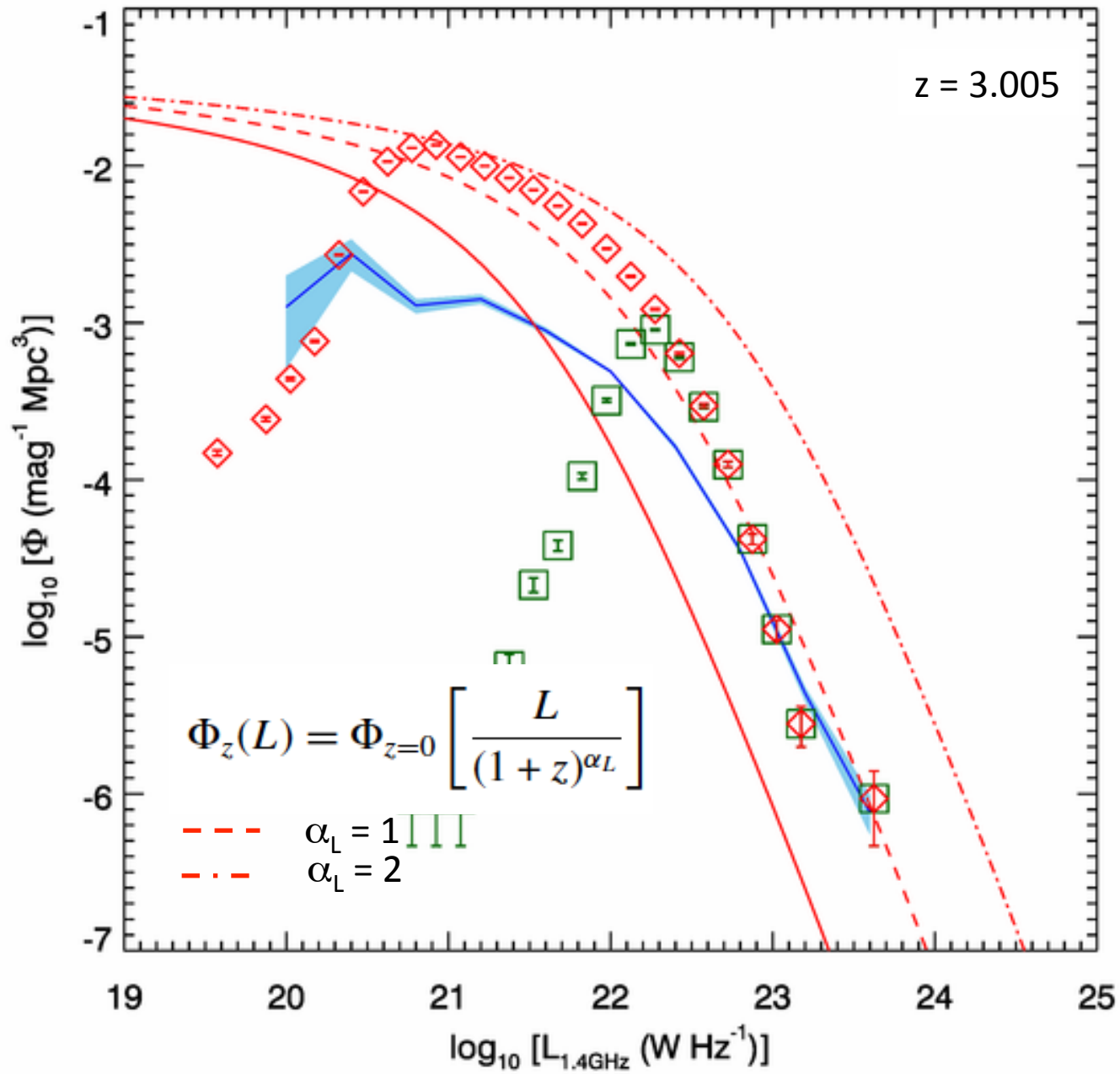
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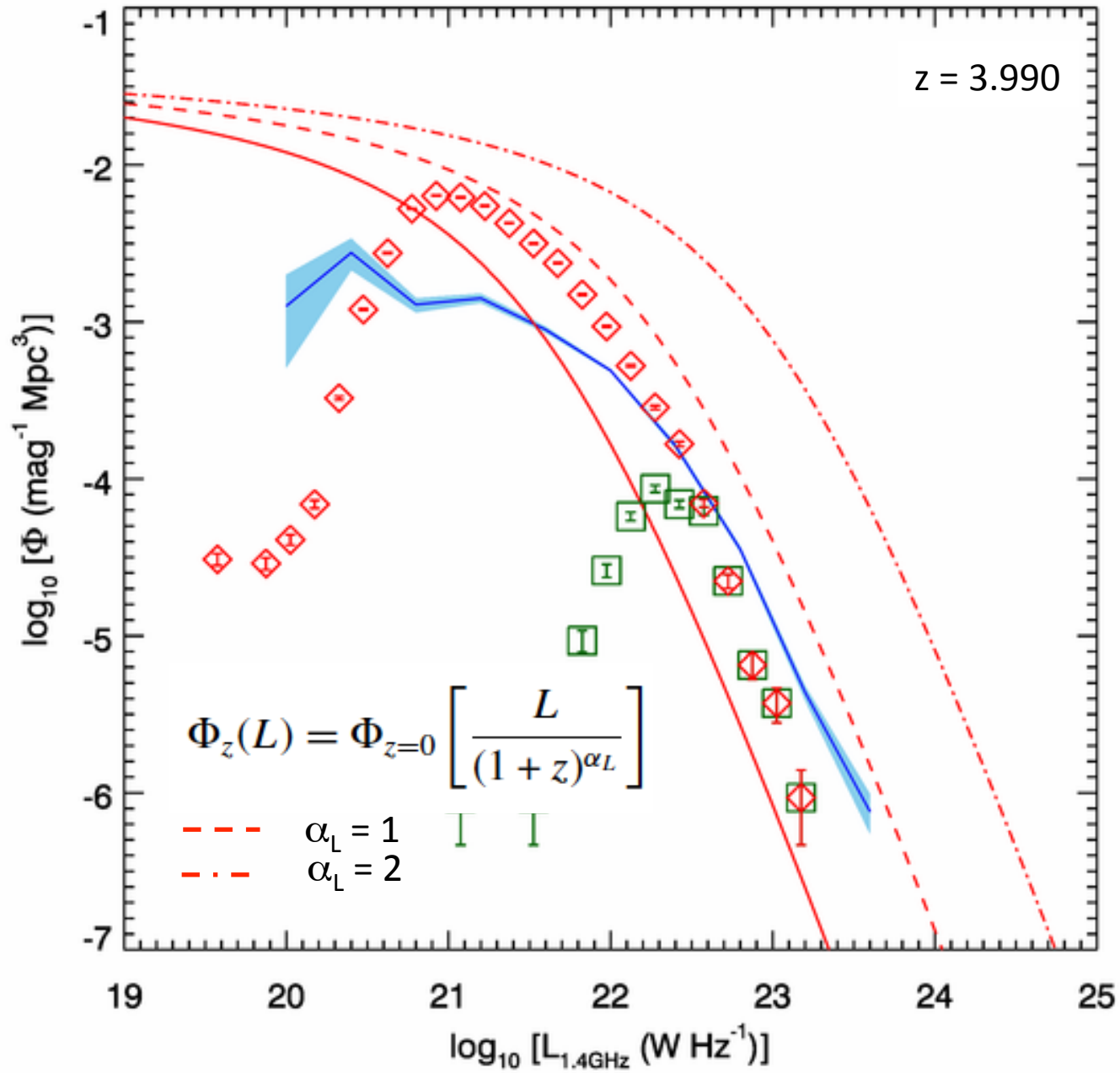
1.4 GHz SFG Radio Luminosity Function



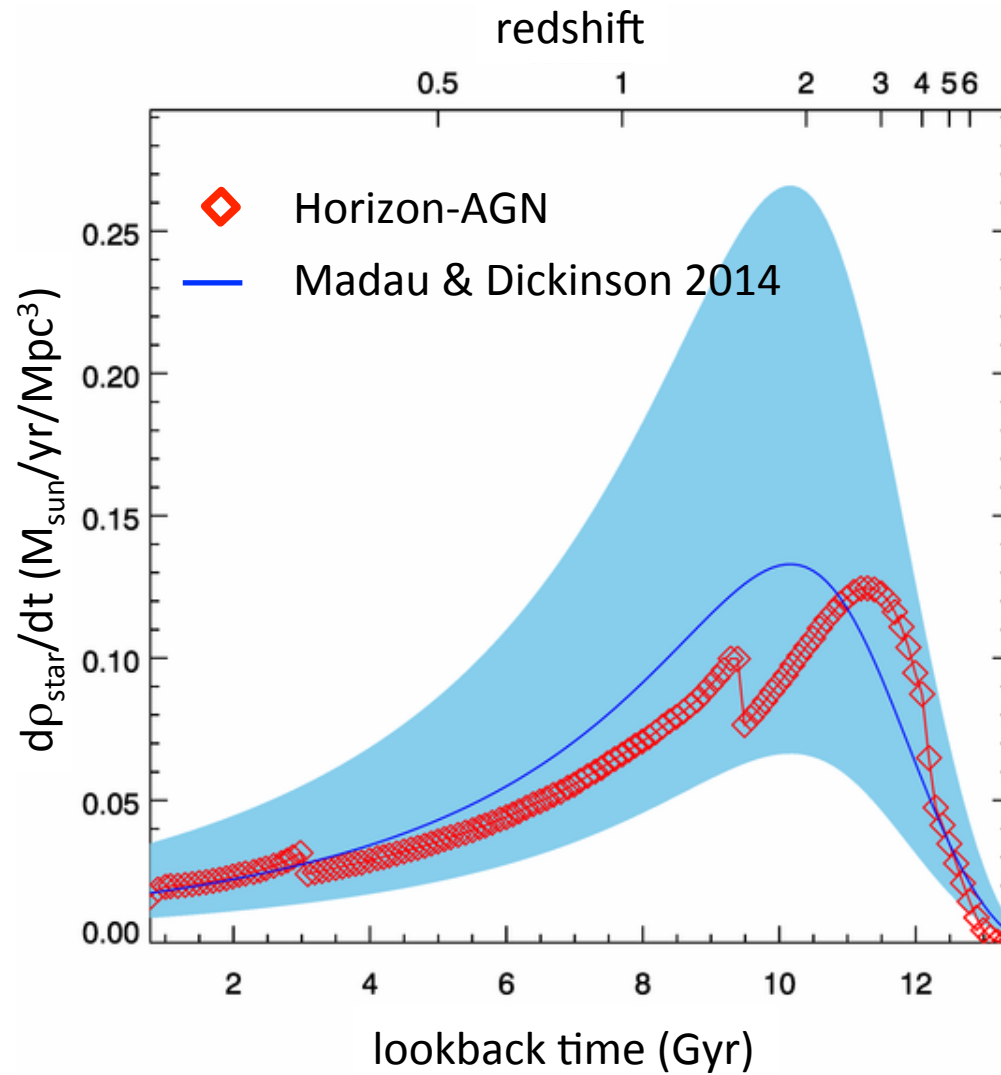
1.4 GHz SFG Radio Luminosity Function



1.4 GHz SFG Radio Luminosity Function



History of cosmic star formation rate density



Model for radio emission from AGN: exploit analogy between X-ray binaries & AGNs

Kording, Jester, Fender 2008

X-ray binaries

Hard state objects

Flat radio spectra
Stable, compact jets

Intermediate state sources

Unstable jets
Ejections of highly relativistic blobs

AGNs

Low luminosity AGN

Accreting at low fraction of Eddington
Flat spectrum radio core
Energy output: jet

Radio Loud AGN

Accreting at high fraction of Eddington
Energy output: radiation,
extended radio lobes

Measure accretion
rate onto black hole



Compare to Eddington accretion



For low accretion

$$\chi = \dot{M}_{\text{acc}} / \dot{M}_{\text{edd}} < \chi_{\text{low}}$$

Low luminosity AGN

Use relationship between core radio
luminosity & mass accretion rate
(Kording, Fender, Migliari 2006)

$$\dot{M} \approx 4 \times 10^{17} \left(\frac{L_{\text{Rad}}}{10^{30} \text{ erg s}^{-1}} \right)^{12/17} \text{ g s}^{-1}$$

let $L_{\text{rad}} \sim \nu L_{\nu}$ (assume a flat spectrum)
& solve for L_{ν} for a particular ν ,
e.g. $\nu = 1.4 \text{ GHz}$

For high accretion

$$\chi = \dot{M}_{\text{acc}} / \dot{M}_{\text{edd}} > \chi_{\text{high}}$$

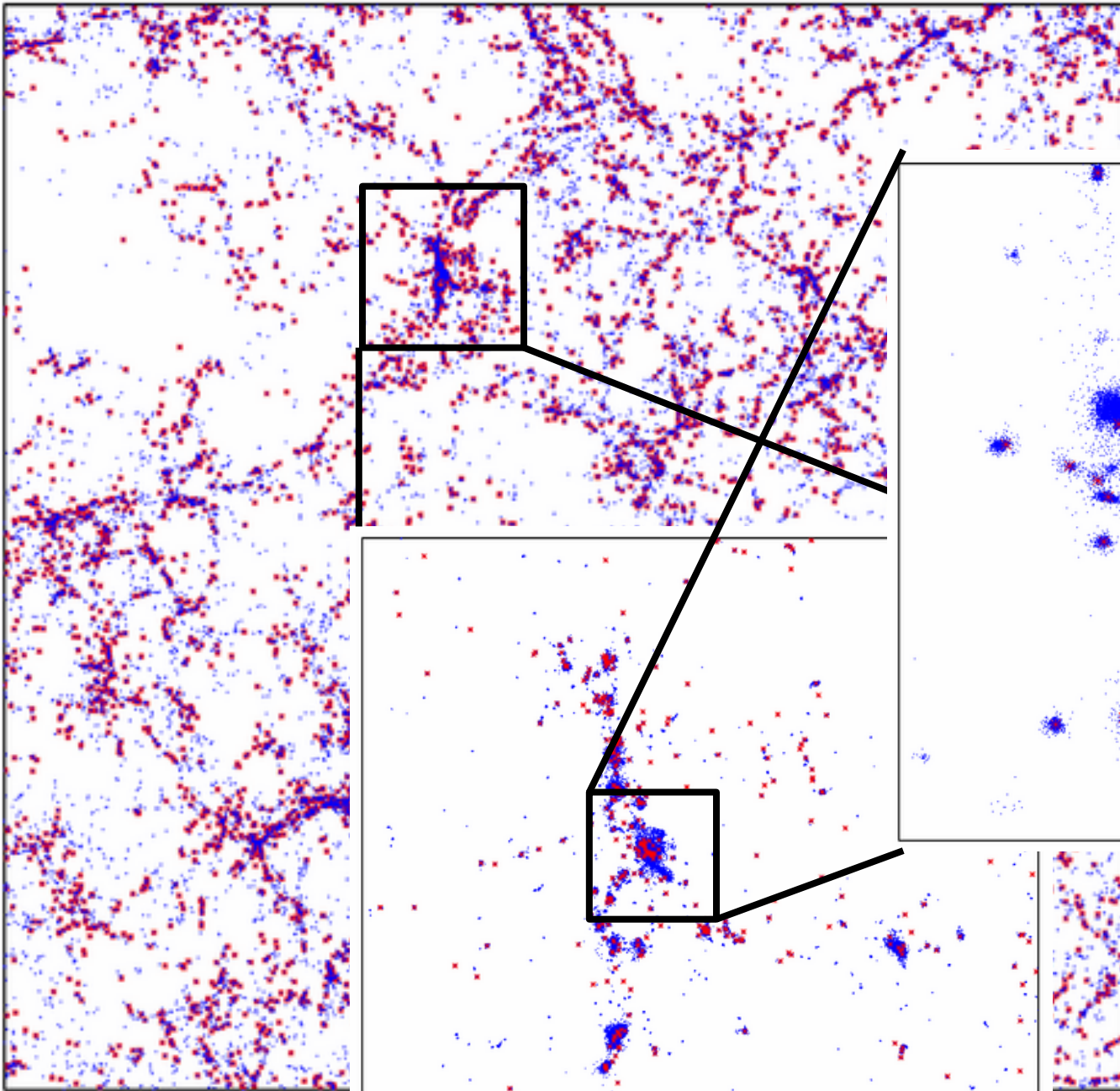
Radio Loud AGN

Use correlation between extended radio
emission & mass accretion rate
(Rawlings & Saunders 1991, Willott et al.
1999)

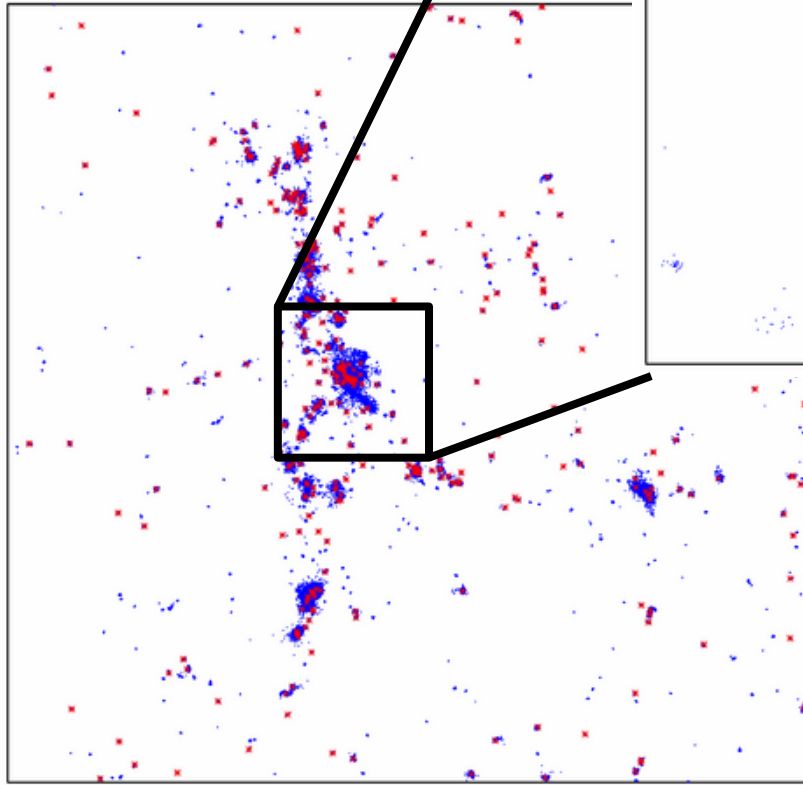
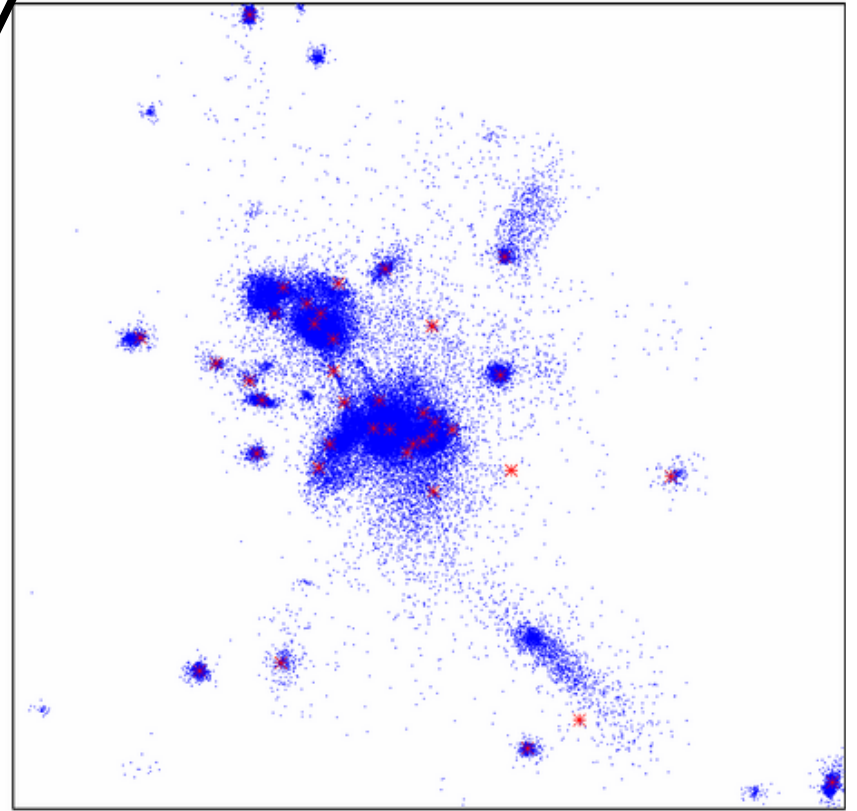
$$\log \dot{M} (\text{g s}^{-1}) = \log L_{151} (\text{W Hz}^{-1} \text{ sr}^{-1}) - 0.15.$$

Kording, Jester, Fender 2008

assuming $L_{\nu} = A \nu^{-0.7}$ (a steep spectrum)
solve for $L_{1.4} = L_{0.151} (1.4/0.151)^{-0.7}$



redshift 3



blue: stars

red: black holes

Black hole creation

$$M_{\text{seed}} = 10^5 M_{\text{sun}}$$

in regions of high gas
and stellar densities

Black hole growth

via accretion and mergers

$$\dot{M}_{\text{BH}} \propto \rho \frac{M_{\text{BH}}^2}{c_s^3}$$

Bondi-Hoyle capped
at Eddington

Black hole feedback

2 modes: radio & quasar

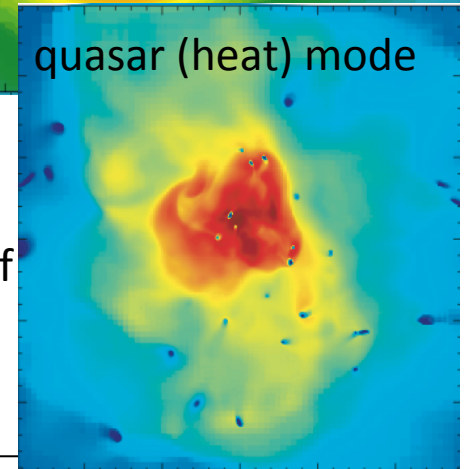
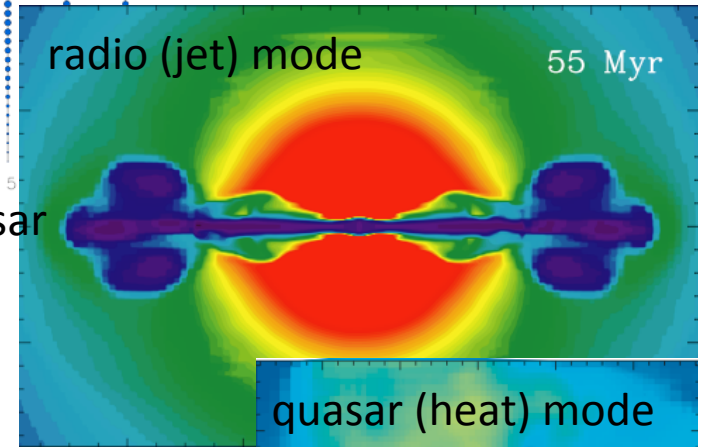
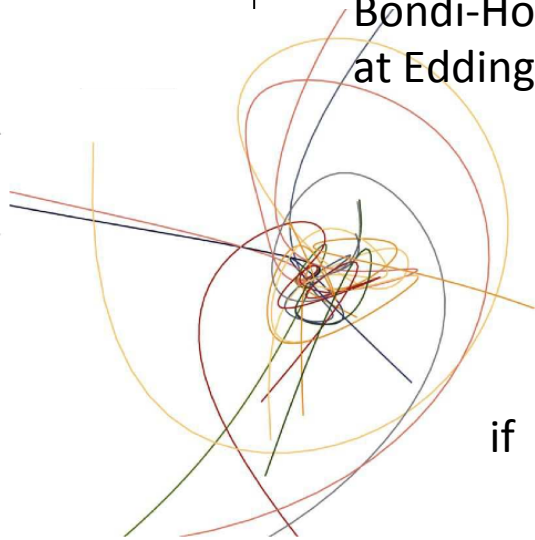
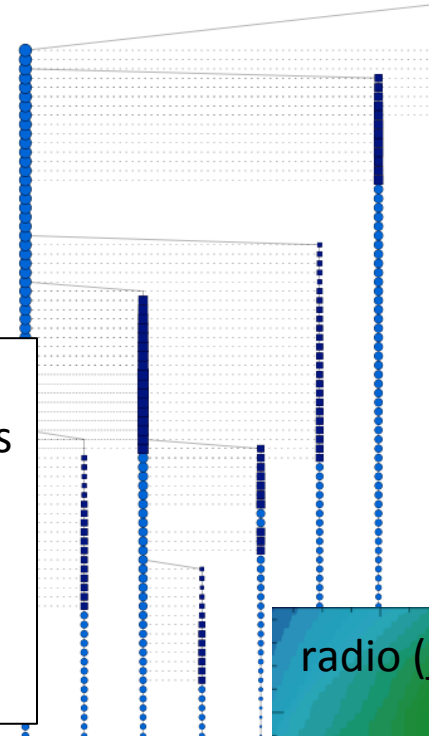
$$\chi = \frac{\dot{M}_{\text{BH}}}{\dot{M}_{\text{Edd}}}$$

if $\chi \leq 0.01$ then jet with

$$L_{\text{radio}} = 0.1 \dot{M}_{\text{BH}} c^2$$

if $\chi > 0.01$ then isotropic injection of
thermal energy with

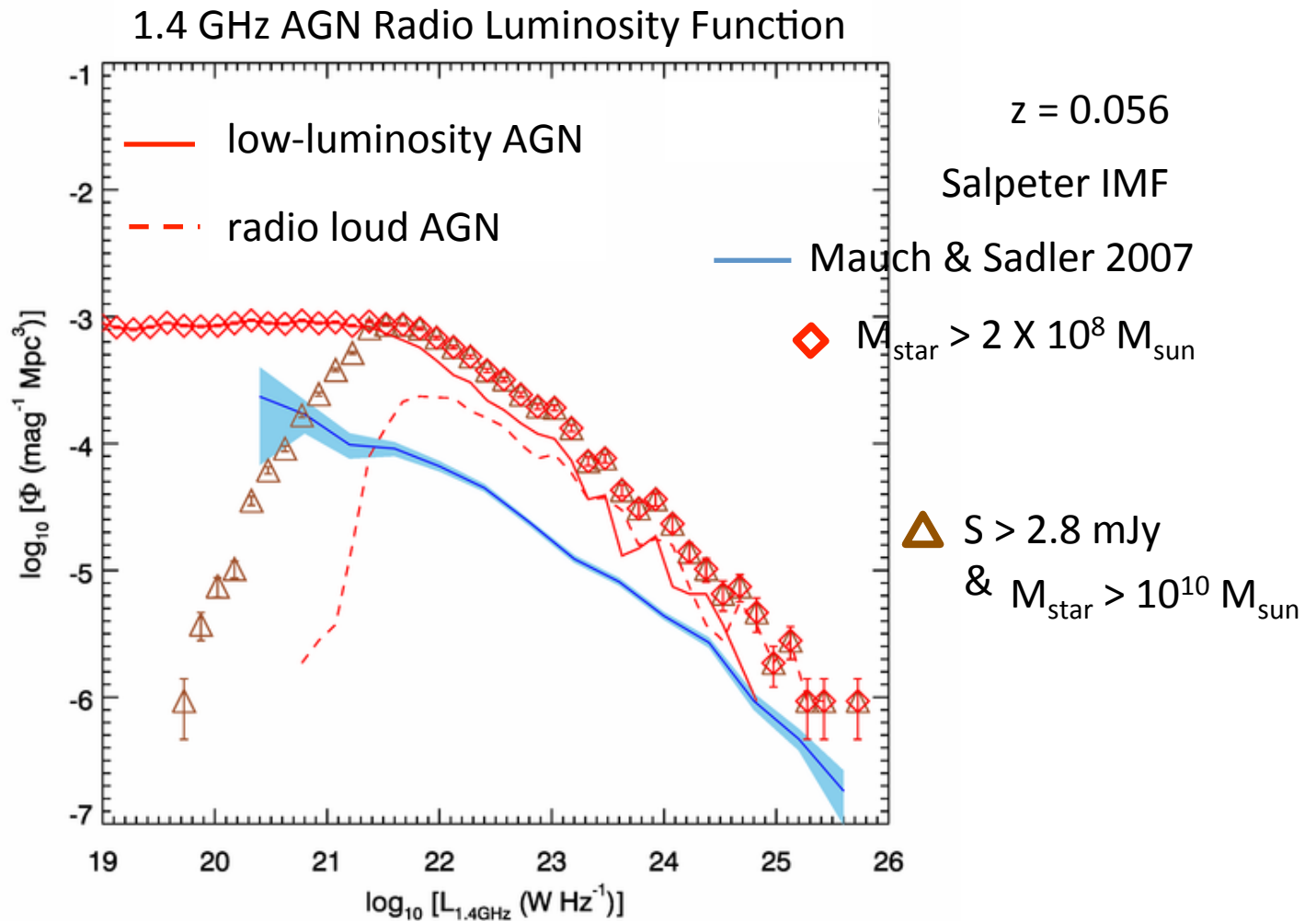
$$L_{\text{quasar}} = 0.015 \dot{M}_{\text{BH}} c^2$$



For low accretion
 $\dot{M}_{\text{acc}}/\dot{M}_{\text{edd}} < \chi_{\text{low}}$
Low luminosity AGN

Model 1: $\chi_{\text{low}} = \chi_{\text{high}} = 0.01$

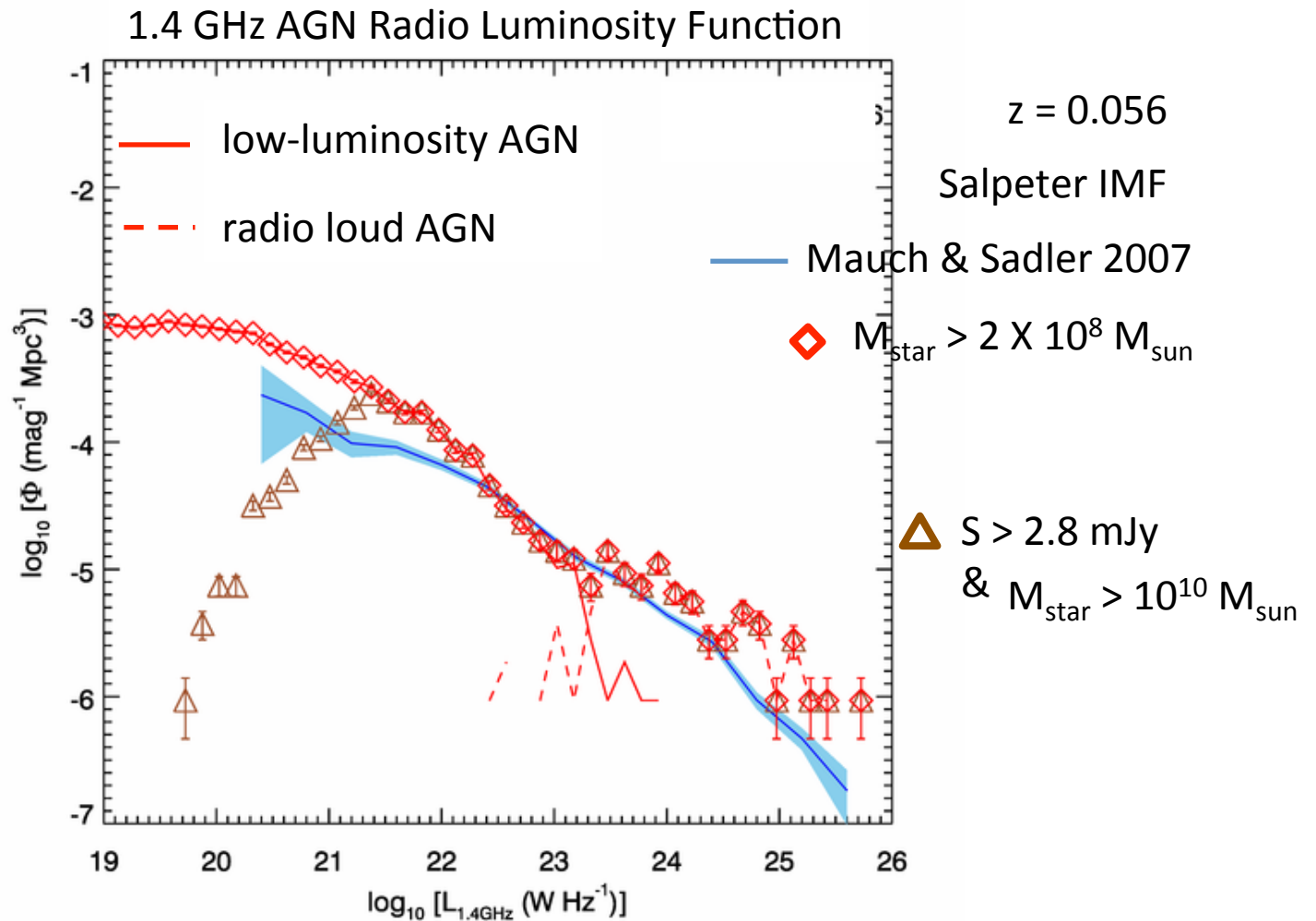
For high accretion
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Radio Loud AGN



For low accretion
 $\dot{M}_{\text{acc}}/\dot{M}_{\text{edd}} < \chi_{\text{low}}$
Low luminosity AGN

Model 2: $\chi_{\text{low}} = 0.001, \chi_{\text{high}} = 0.3$

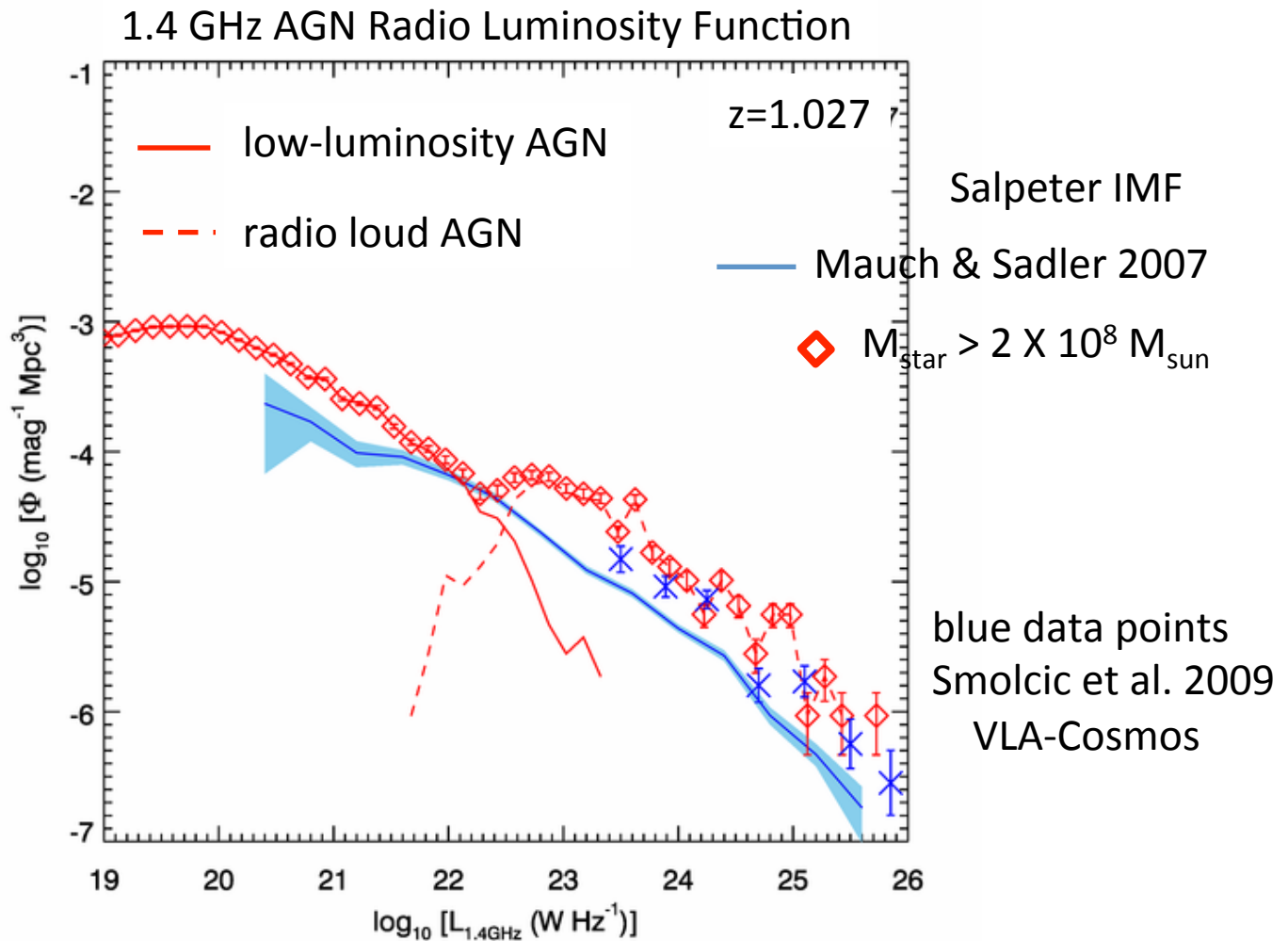
For high accretion
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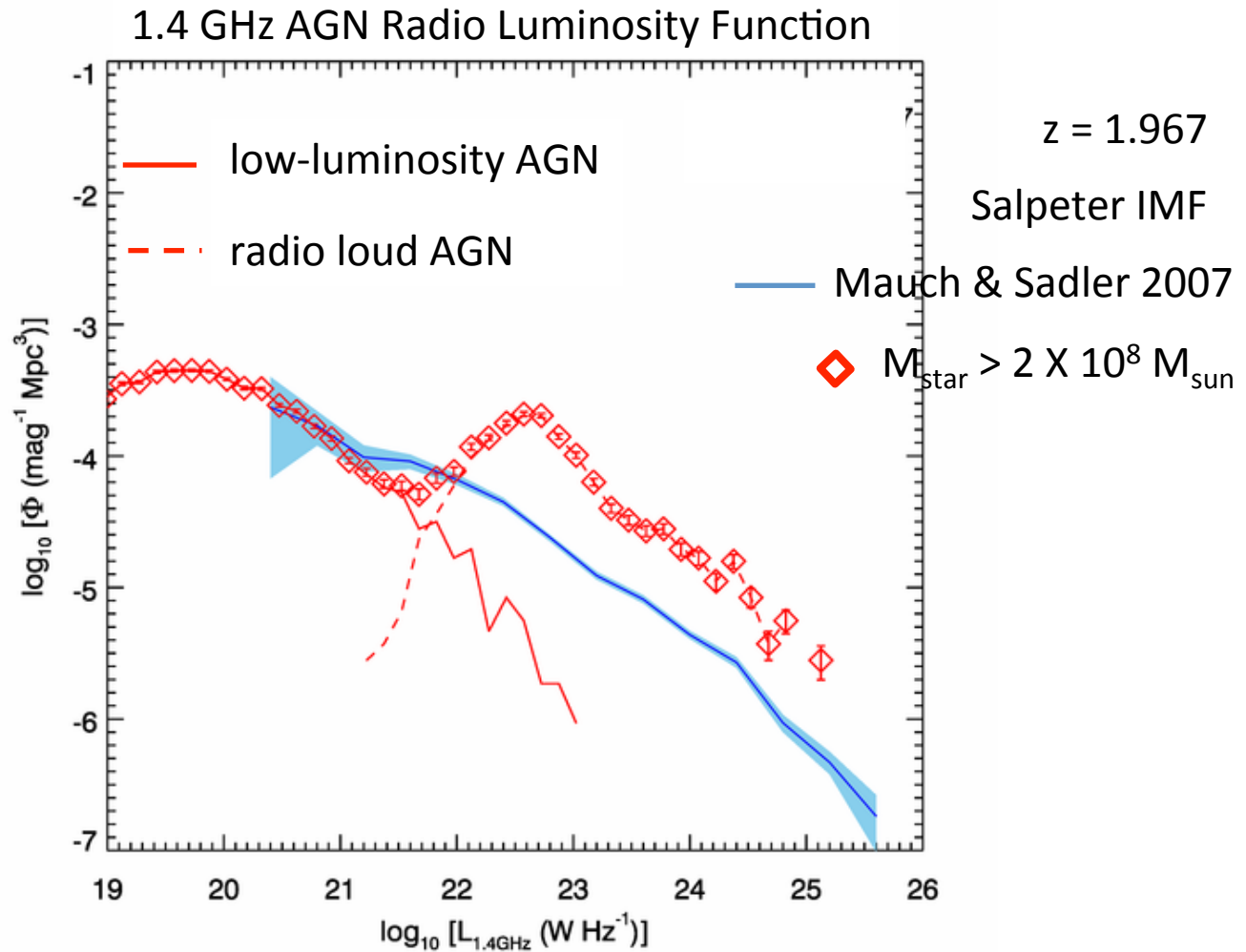
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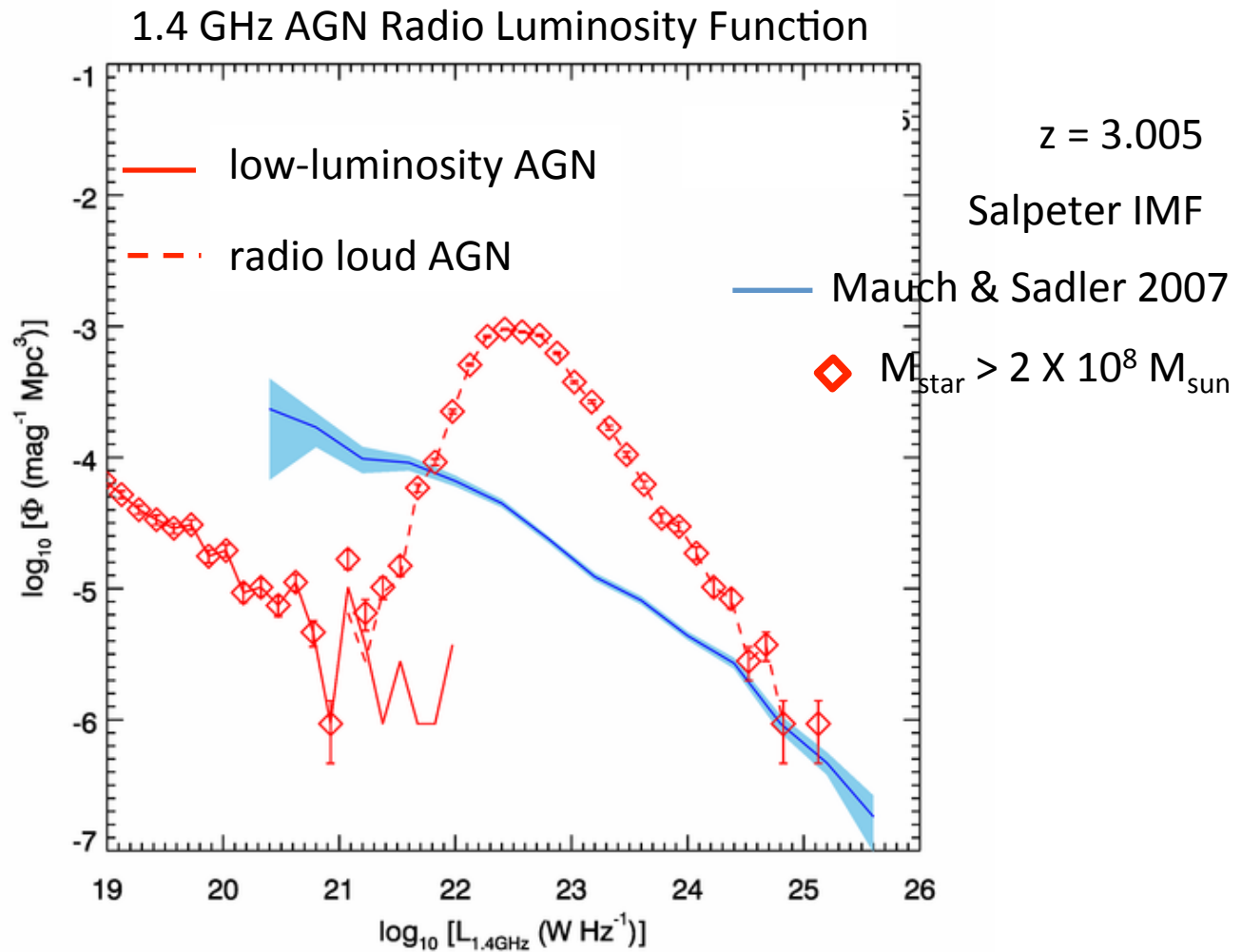
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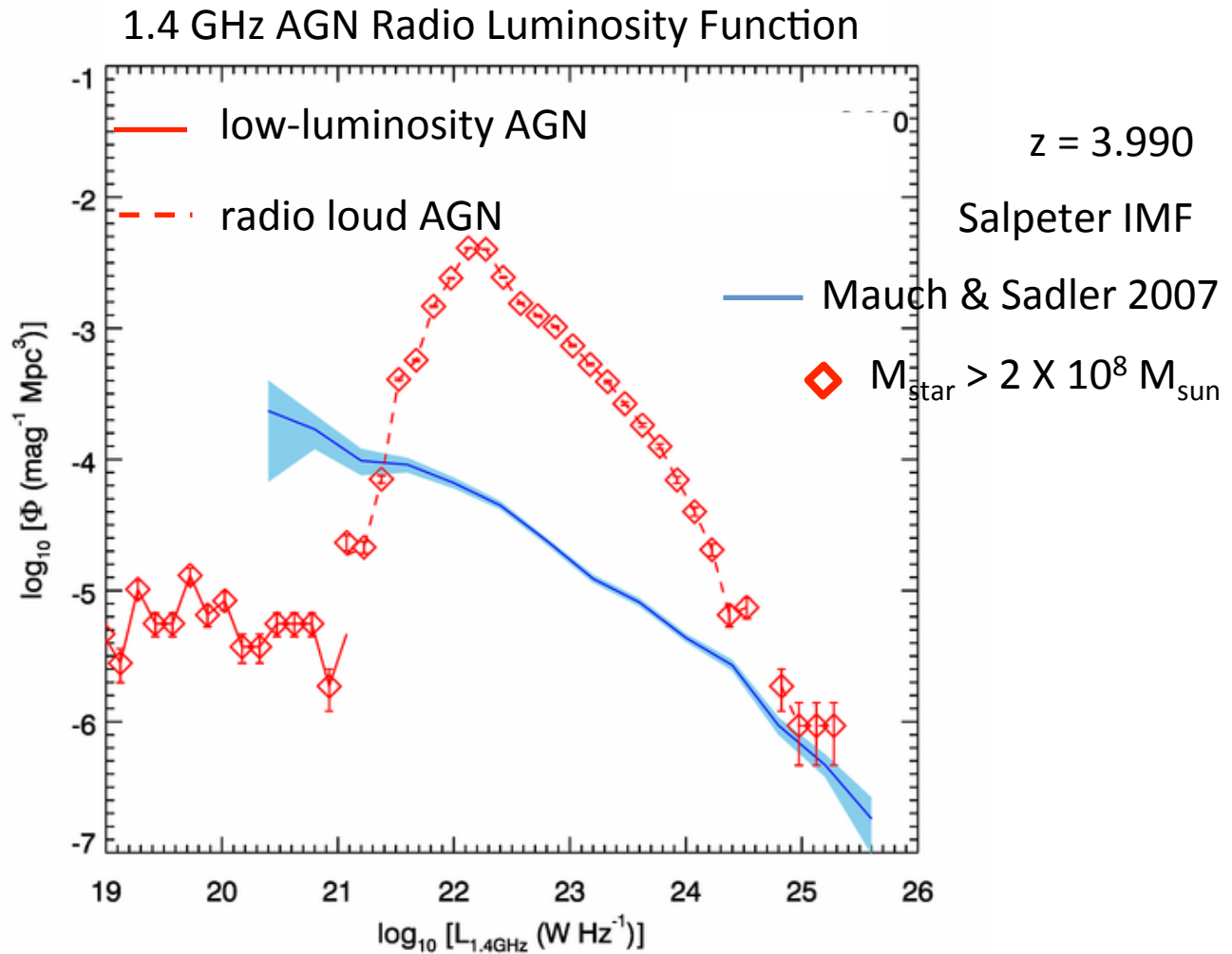
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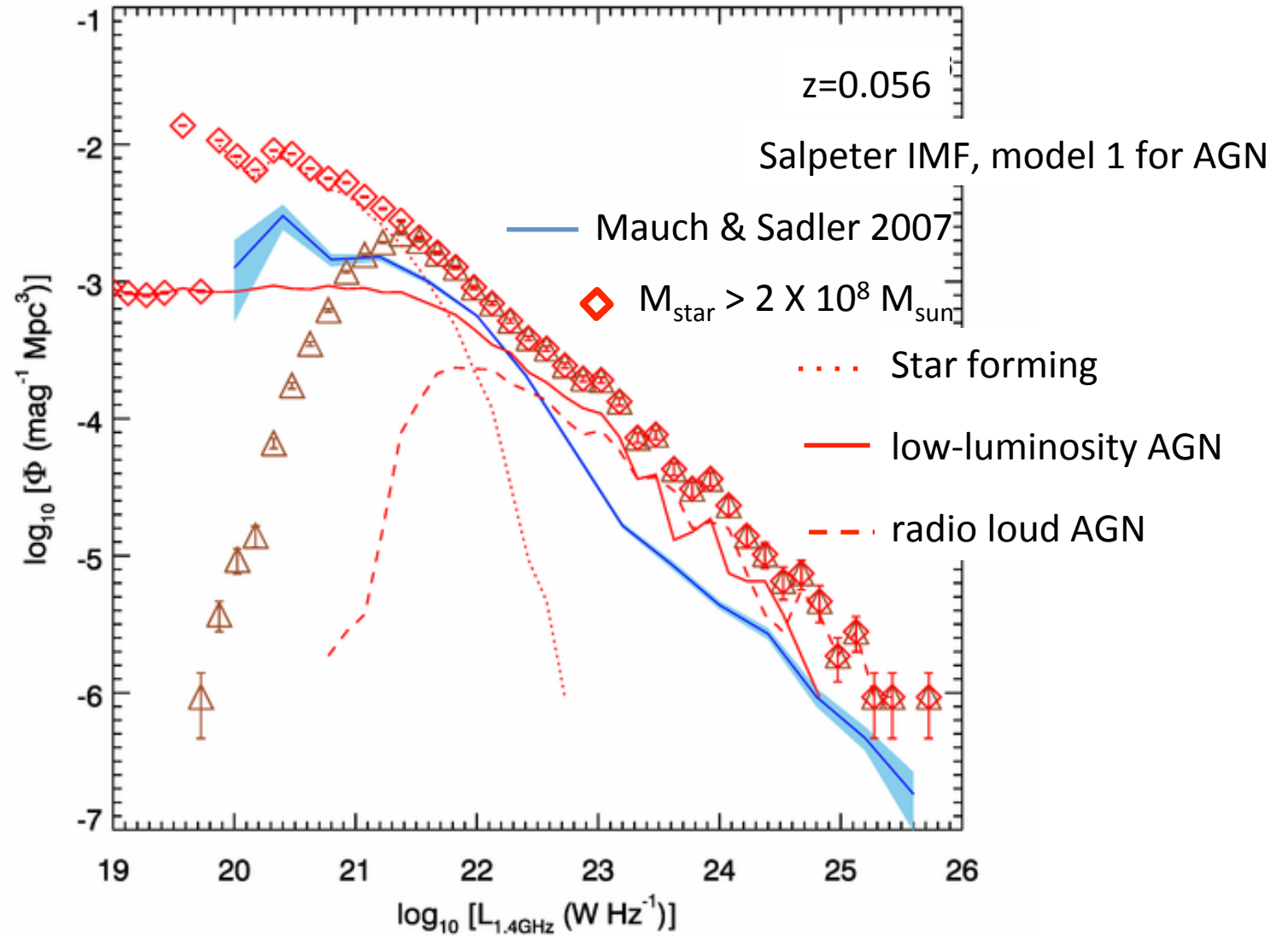
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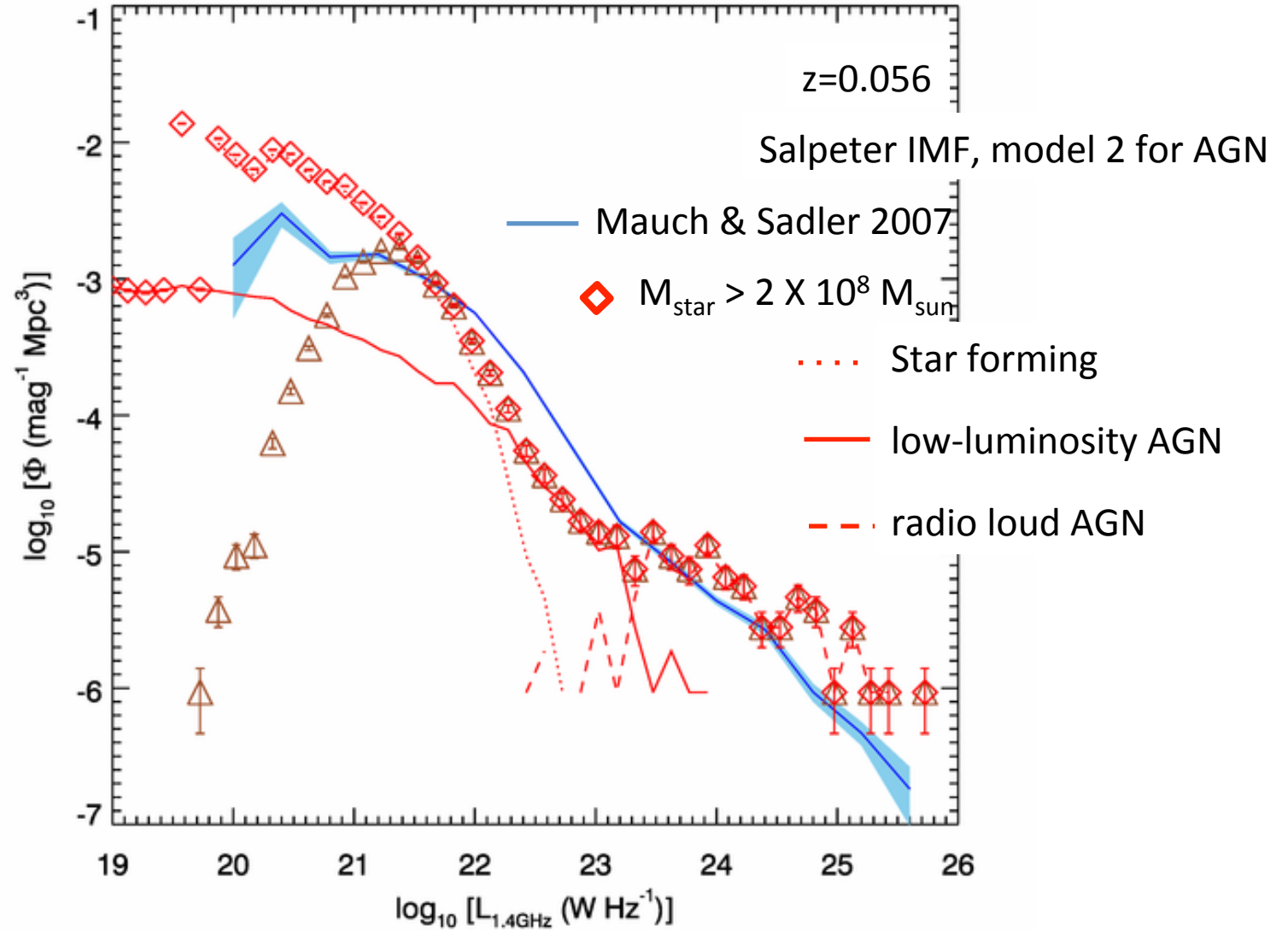
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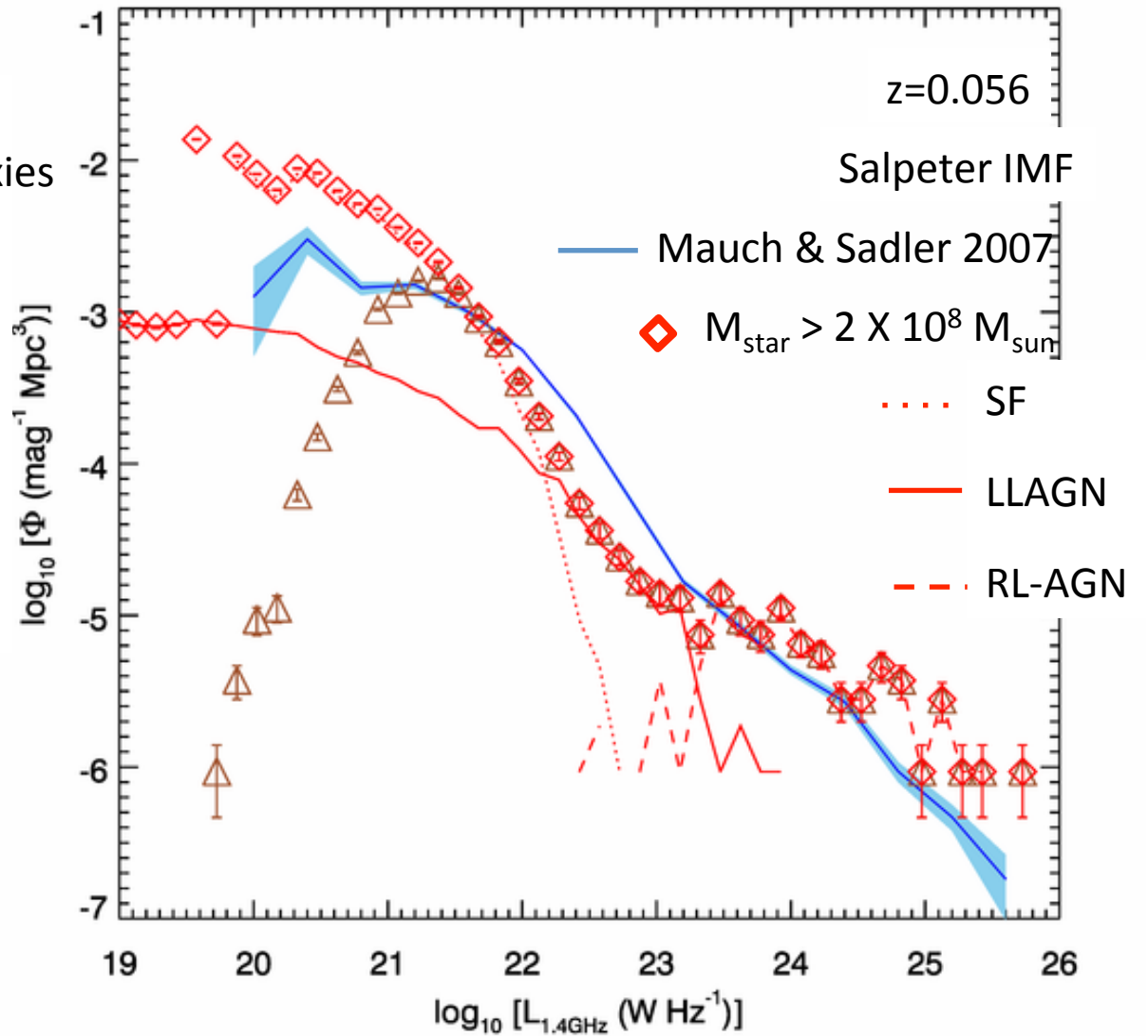
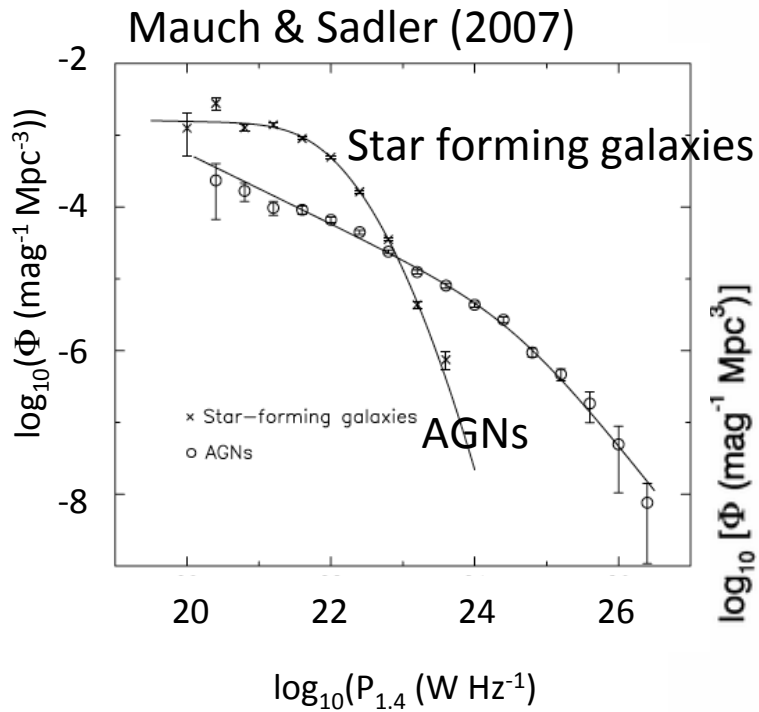
SFG + AGN 1.4 GHz Local Luminosity Functions (model 1)



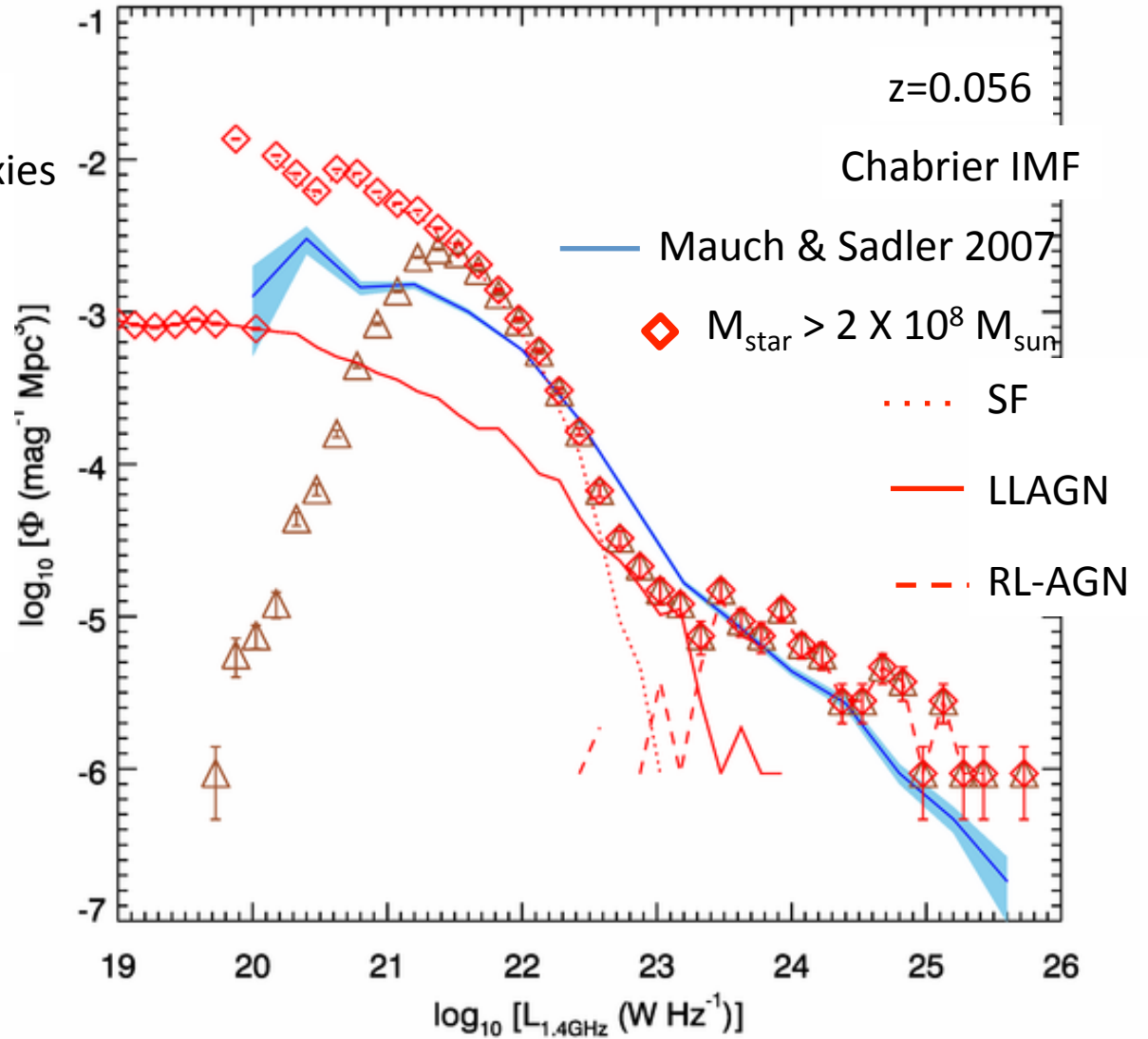
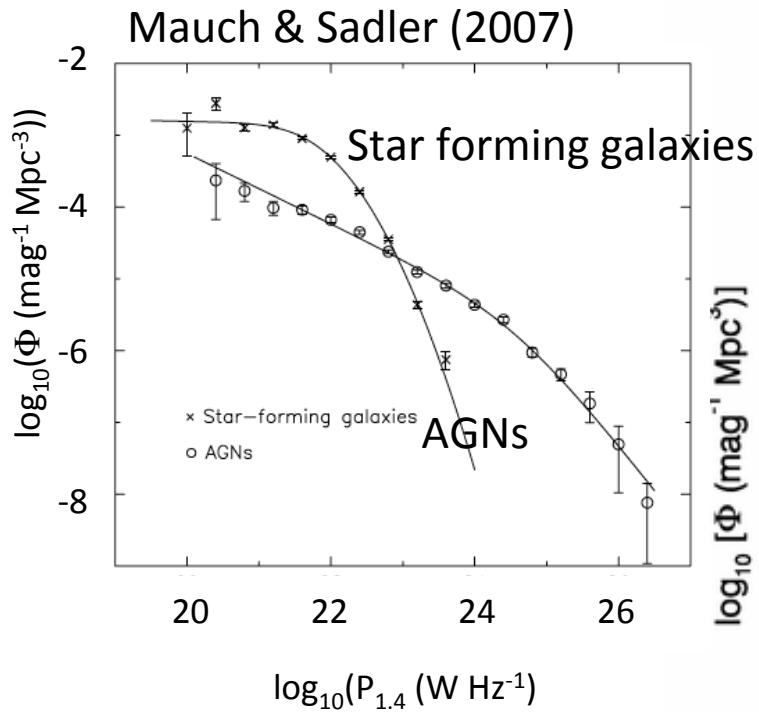
SFG + AGN 1.4 Ghz Local Luminosity Functions (model 2)



SFG + AGN 1.4 Ghz Local Luminosity Functions (model 2)



SFG + AGN 1.4 Ghz Local Luminosity Functions (model 2)



Summary

Hard problem because predictions rely on instantaneous quantities (*e.g. SFR, black hole accretion rate*) in the simulations.

Much easier to get integrated quantities to match observations!

Hard problem because physics of radio continuum emission is complex!

Hard problem because very little known about how radio continuum emission depends on black hole accretion rate!

Luminosity evolution of radio continuum from star formation depends on luminosity.

Choice of IMF changes prediction for radio continuum fueled by SF

Seem to need to suppress low luminosity AGN to get agreement with observations.